Cosmic Microwave Background as a Probe of the Very Early Universe

Eiichiro Komatsu (Department of Astronomy, UT Austin) Colloquium, STScl, October 1, 2008



WMAP 5-Year Papers

- Hinshaw et al., "Data Processing, Sky Maps, and Basic Results" 0803.0732
- Hill et al., "Beam Maps and Window Functions" 0803.0570
- Gold et al., "Galactic Foreground Emission" 0803.0715
- Wright et al., "Source Catalogue" 0803.0577
- Nolta et al., "Angular Power Spectra" 0803.0593
- **Dunkley et al.**, "Likelihoods and Parameters from the WMAP data" 0803.0586
- Komatsu et al., "Cosmological Interpretation" 0803.0547

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Special Thanks to WMAP Graduates!

- C. Barnes
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- L.Verde

Night Sky in Optical (~0.5nm)

courtesy University of Arizona

Night Sky in Microwave (~1mm)

5 courtesy University of Arizona

A. Penzias & R. Wilson, 1965

A MEASUREMENT OF EXCESS ANTENNA TEMPERATURE AT 4080 Mc/s

Measurements of the effective zenith noise temperature of the 20-foot horn-reflector antenna (Crawford, Hogg, and Hunt 1961) at the Crawford Hill Laboratory, Holmdel, New Jersey, at 4080 Mc/s have yielded a value about 3.5° K higher than expected. This excess temperature is, within the limits of our observations, isotropic, unpolarized, and free from seasonal variations (July, 1964–April, 1965). A possible explanation for the observed excess noise temperature is the one given by Dicke, Peebles, Roll, and Wilkinson (1965) in a companion letter in this issue.

May 13, 1965

Bell Telephone Laboratories, Inc CRAWFORD HILL, HOLMDEL, NEW JERSEY

•lsotropic Unpolarized

A. A. PENZIAS R. W. WILSON





•CMB is anisotropic! (at the 1/100,000

COBE to WMAP (x35 better resolution)

COBE

WMAP



COBE 1989

Press Release from the Nobel Foundation

[COBE's] measurements also marked the inception of cosmology as a precise science. It was not long before **it was followed up**, for instance **by the WMAP satellite**, **which yielded even clearer images of the background radiation**.



WMAP 2001



WMAP at Lagrange 2 (L2) Point

June 2001: WMAP launched!

February 2003: The first-year data release

March 2006: The three-year data release

March 2008: **The five-year** data release 9-year survey funded recently



- WMAP leaves Earth, Moon, and Sun 9 behind it to avoid radiation from them

• L2 is a million miles from Earth

WMAP Measures Microwaves From the Universe



- The mean temperature of photons in the Universe today is 2.725 K
- WMAP is capable of measuring the temperature

10 contrast down to better than one part in millionth

Journey Backwards in Time

- The Cosmic Microwave Background (CMB) is the fossil light from the Big Bang
- This is the oldest light that one can ever hope to measure
- CMB is a <u>direct</u> image of the Universe when the Universe was only 380,000 years old



CMB photons, after released from the cosmic plasma "soup," traveled for **13.7 billion years** to reach us. CMB collects information about the Universe as it travels through it.

The Wilkinson Microwave Anisotropy Probe (WMAP) • A microwave satellite working at L2

- Five frequency bands -K (22GHz), Ka (33GHz), Q (41GHz), V (61GHz), W (94GHz) -Multi-frequency is crucial for cleaning the Galactic emission
- The Key Feature: Differential Measurement
 - -The technique inherited from COBE
 - -10 "Differencing Assemblies" (DAs)
 - -K1, Ka1, Q1, Q2, V1, V2, W1, W2, W3, & W4, each consisting of two radiometers that are sensitive to orthogonal linear polarization modes.
- Temperature anisotropy is measured by single difference.
- Polarization anisotropy is measured by double difference. WMAP can measure polarization as well!



WMAP Spacecraft **Radiative Cooling: No Cryogenic System**





upper omni antenna



Τ(μK)

-200

Hinshaw et al.



How Did We Use This Map?









Nolta et al.



Nolta et al.



- We measure the composition of the Universe by analyzing the wave form of the cosmic sound waves. E.g.,
 - Ist-to-2nd-peak ratio: baryon-to-photon ratio
 - Ist-to-3rd-peak ratio: total matter-to-total radiation ratio



- ~WMAP 5-Year~ **Pie Chart Update!**
- Age: **I3.72 +/- 0.12** Gyr
- Atoms: 4.56 +/- 0.15 %
- Dark Matter: 22.8 +/- 1.3%
- Vacuum Energy: **72.6** +/- **1.5%**
- When CMB was released 13.7 B yrs ago
 - A significant contribution from the cosmic neutrino background 20







Expectations From 1970's: $n_s = I$

- Metric perturbations in g_{ij} (let's call that "curvature perturbations" Φ) is related to δ via
 - $k^2\Phi(k)=4\pi G\rho a^2\delta(k)$
- Variance of $\Phi(x)$ in position space is given by
 - $<\Phi^2(x)>=\int \ln k k^3 |\Phi(k)|^2$
 - In order to avoid the situation in which curvature (geometry) diverges on small or large scales, a "scaleinvariant spectrum" was proposed: k³|Φ(k)|² = const.
 - This leads to the expectation: $P(k) = |\delta(k)|^2 = k (n_s = 1)$
 - Harrison 1970; Zel'dovich 1972; Peebles&Yu 1970²⁴



• WMAP-alone: n_s=0.963 (+0.014) (-0.015) (Dunkley et al.)

- 2.5-sigma away from n_s=1, "scale invariant spectrum"
- n_s is degenerate with $\Omega_b h^2$; thus, we can't really improve upon n_s further unless we improve upon $\Omega_b h^2$

Deviation from $n_s = I$

- This was expected by many inflationary models
- In n_s-r plane (where r is called the "tensorto-scalar ratio," which is P(k) of gravitational waves divided by P(k) of density fluctuations) many inflationary models are compatible with the current data
- Many models have been excluded also



Searching for Primordial Gravitational Waves in CMB

- Not only do inflation models produce density fluctuations, but also primordial gravitational waves
- Some predict the observable amount (r>0.01), some don't
 - Current limit: **r<0.22** (95%CL) (WMAP5+BAO+SN)
- Alternative scenarios (e.g., New Ekpyrotic) don't
- A powerful probe for testing inflation and testing specific models: next "Holy Grail" for CMBist

Testing Cosmic Inflation ~5 Tests~

- Is the observable universe flat?
- Are the primordial fluctuations adiabatic?
- Are the primordial fluctuations nearly Gaussian?
- Is the power spectrum nearly scale invariant?
- Is the amplitude of gravitational waves reasonable?



Seljak & Zaldarriaga (1997); Kamionkowski, Kosowsky, Stebbins (1997) What About Polarization? Polarization is a rank-2 tensor field. One can decompose it into a divergence-like "E-mode" and a vorticity-like "B-mode".

E-mode







Nolta et al.

B-modes

- No detection of B-mode polarization yet.
- I will come back to this later.

How Do We Test Inflation?

- The WMAP data alone can put tight limits on most of the items in the check list. (For the WMAP-only limits, see Dunkley et al.)
- However, we can improve the limits on many of these items by adding the extra information from the cosmological distance measurements:
 - Luminosity Distances from Type Ia Supernovae (SN)
 - Angular Diameter Distances from the Baryon Acoustic Oscillations (BAO) in the distribution of galaxies





- WMAP measures the angular diameter distance to the decoupling epoch at z=1090.
- The distance depends on curvature AND other things, like the energy content; thus, we need more than one

distance indicators, in order to constrain, e.g., Ω_m and H₀ 35

Type la Supernova (SN) Data

Supernova Cosmology Project Kowalski, et al., *Ap.J.* (2008)



Kowalski et al. (SN) Data

From these measurements, we get the **relative** luminosity distances between Type Ia SNe. Since we marginalize over the absolute magnitude, the current SN data are <u>**not**</u> sensitive to the absolute distances.

2.0

Latest "Union" supernova compilation (Kowalski et al.)

BAO in Galaxy Distribution



• The same acoustic oscillations should be hidden in this galaxy distribution...



Dunkley et al. **BAO** in Galaxy Distribution



 BAO measured from SDSS (main samples and LRGs) and 2dFGRS (Percival et al. 2007)

• Just like the acoustic oscillations in CMB, the galaxy BAOs can be used to measure the **absolute** distances ³⁸

As a result.



• -0.0181 < Ω_k < 0.0071 (95% CL) for w=-1 (i.e., dark energy being a cosmological constant)

• The constraint driven mostly by WMAP+BAO

How Big Is Our Universe?

- By definition, the curvature radius of the universe is given by
 - $R_{curv} = 3h^{-1}Gpc / sqrt(\Omega_k)$
 - For negatively curved space $(\Omega_k > 0): \mathbb{R} > 33h^{-1}Gpc$
 - For positively curved space $(\Omega_k < 0): \mathbb{R} > 22h^{-1}Gpc$
- The particle horizon today is 9.7h⁻¹Gpc
 - The curvature radius of the universe is at least 3 times as large as the observable universe.

How Long Did Inflation Last?

- The universe had expanded by **e^{Ntot}** during inflation.
 - Q. How long should inflation have lasted to explain the observed flatness of the universe?
 - A. $N_{total} > 36 + ln(T_{reheating}/I TeV)$
 - A factor of 10 improvement in Ω_k will raise this lower limit by 1.2.
 - Lower if the reheating temperature was < I TeV
- This is the check list #I

Komatsu et al. Check List #2: Adiabaticity

- The adiabatic relation between radiation and matter:
 - $3\delta\rho_{radiation}/(4\rho_{radiation}) = \delta\rho_{matter}/\rho_{matter}$
- Deviation from adiabaticity: A simple-minded quantification
 - Fractional deviation of A from B = (A-B) / [(A+B)/2]
 - $\delta_{adi} = [3\delta\rho_{radiation}/(4\rho_{radiation}) \delta\rho_{matter}/\rho_{matter}]/$ $\{[3\delta\rho_{radiation}/(4\rho_{radiation}) + \delta\rho_{matter}/\rho_{matter}]/2\}$
 - Call this the "adiabaticity deviation parameter"
 - "Radiation and matter obey the adiabatic relation to $(100\delta_{adi})\%$ level." 42



Nolta et al.

 The negative TE at I~100 is the distinctive signature of superhorizon adiabatic perturbations (Spergel & Zaldarriaga 1997)

 Non-adiabatic perturbations would fill in the trough, and shift the zeros. 43

Axion Dark Matter



Axion Dark Matter?

- CMB and axion-type dark matter are adiabatic to 8.6%
 - This puts a severe limit on axions being the dominant dark matter candidate.

$$\frac{\Omega_a}{\Omega_c} < \frac{3.0 \times 10^{-39}}{\theta_a^5 \gamma^6} \left(\frac{0.01}{r}\right)^{7/2}$$

The non-adiabatic perturbations, combined with the expression for Ω_a , constrain $\Omega_a^{1/7}$.

Check list #3: Gaussianity

- In the simplest model of inflation, the distribution of primordial fluctuations is close to a Gaussian with random phases.
- The level of non-Gaussianity predicted by the simplest model is well below the current detection limit.
- A convincing detection of primordial non-Gaussianity will rule out most of inflation models in the literature.
 - Detection of non-Gaussianity would be a breakthrough in cosmology

Getting the Most Out of Fluctuations, $\delta(x)$ • In Fourier space, $\delta(k) = A(k) \exp(i\varphi_k)$ • **Power**: $P(k) = \langle \delta(k) |^2 \rangle = A^2(k)$

- - **Phase**: ϕ_k
- We can use the observed distribution of...
 - matter (e.g., galaxies, gas)
 - radiation (e.g., Cosmic Microwave Background)
- to learn about both P(k) and φ_k .

What About Phase, ϕ_k

- There were expectations also:
 - Random phases! (Peebles, ...)
- Collection of random, uncorrelated phases leads to the most famous probability distribution of δ :

Gaussian Distribution















 The one-point distribution of WMAP map looks pretty Gaussian.

-Left to right: Q (41GHz), V (61GHz), W (94GHz). Deviation from Gaussianity is small, if any.

Spergel et al. (2008)

Triangles on the Sky: Angular Bispectrum

 Non-zero bispectrum means the detection of non-Gaussianity. It's always easy to look for deviations from zero!

There are many triangles to look for, but...

I₁ Local

• Will focus on two classes

"• "Squeezed" parameterized by fnl

"Equilateral" parameterized by fnlequil

No Detection at >95%CL

- $-9 < f_{NL}(local) < 111 (95\% CL)$
- $-151 < f_{NL}(equilateral) < 253 (95% CL)$

- These numbers mean that the primordial curvature perturbations are Gaussian to 0.1% level.
 - This result provides the strongest evidence for inflation.

Komatsu et al.

quantum origin of primordial fluctuations during

• 3.1 sigma away from $n_s = 1$

- WMAP-only: $n_s = 0.963 (+0.014) (-0.015)$ • WMAP+BAO+SN: $n_s = 0.960 \pm 0.013$
- For a power-law power spectrum (no dn_s/dlnk):

Dunkley et al.; Komatsu et al. Check List #4: Scale Invariance

Check List #5: Gravitational Waves

• How do WMAP data constrain the amplitude of primordial gravitational waves?

- We use "r" to parameterize the amplitude of GWs relative to the density fluctuations (or the scalar curvature (metric) perturbations)
 - When r=1, we have equal amount of scalar and tensor metric perturbations.



- Low-I polarization gives r<20 (95% CL)
- + high-l polarization gives r<2 (95% CL)
- + low-l temperature gives r<0.2 (95% CL)



- $m^2 \phi^2$ is within 95% CL.
 - Future WMAP data would be able to push it to outside of 95% CL, if $m^2 \phi^2$ is not the right model.
- N-flation $m^2 \varphi^2$ (Easther&McAllister) is being pushed out
- PL inflation $[a(t) \sim t^{p}]$ with p<60 is out.
- A blue index $(n_s > I)$ region of hybrid inflation is disfavored

Komatsu et al. Lowering a "Limbo Bar" • $\lambda \phi^4$ is totally out. (unless you invoke, e.g., non-minimal coupling, to suppress r...)

Grading Inflation

- Flatness: Curvature < 1.3%
- Non-adiabaticity: <8.9%</p>
- Non-Gaussianity: <0.1%
- Tilt (for r=0): $n_s=0.960 \pm 0.013$ [68% CL]
- Gravitational waves: r < 0.22
 - $n_s = 0.970 \pm 0.015$ [68% CL]
 - n_s>I disfavored at 95% CL regardless of r

Summary

- A simple inflation model (~25 years old) fits the WMAP data, as well as the other astrophysical data sets.
- We did everything we could do to find deviations from the simple inflation model (curvature, non-adiabaticity, nongaussianity), but failed.
- Significant improvements in limits on the deviations
 - Most notably, r < 0.22 (95% CL), and $n_s > 1$ is now disfavored regardless of r.
 - Good News: Many popular inflation models have been either ruled out, or being in danger!

Looking Ahead...

- With more WMAP observations, exciting discoveries may be waiting for us. Two examples for which we might be seeing some hints from the 5-year data:
 - Non-Gaussianity: If f_{NL}~50, we will see it at the 3 sigma level with 9 years of data.
 - Gravitational waves (r) and tilt (n_s) : $m^2 \phi^2$ can be pushed out of the favorable parameter region
 - n_s>1 would be convincingly ruled out regardless of r.
- Beyond WMAP: detection of gravitational waves?