



Delensing: Updates from the South Pole Telescope and the BICEP / Keck Array

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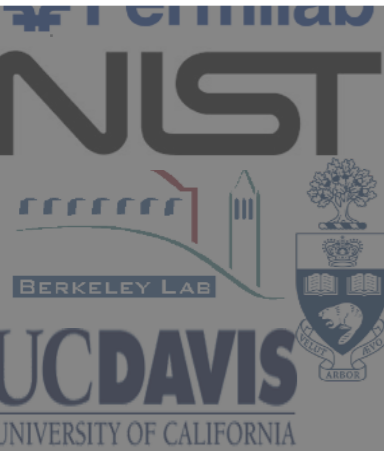
December 18, 2019
B-mode from Space
Max Planck Institute for Astrophysics



BICEP/Keck Collaboration



Inaugural South Pole Observatory Collaboration Meeting Oct 2019

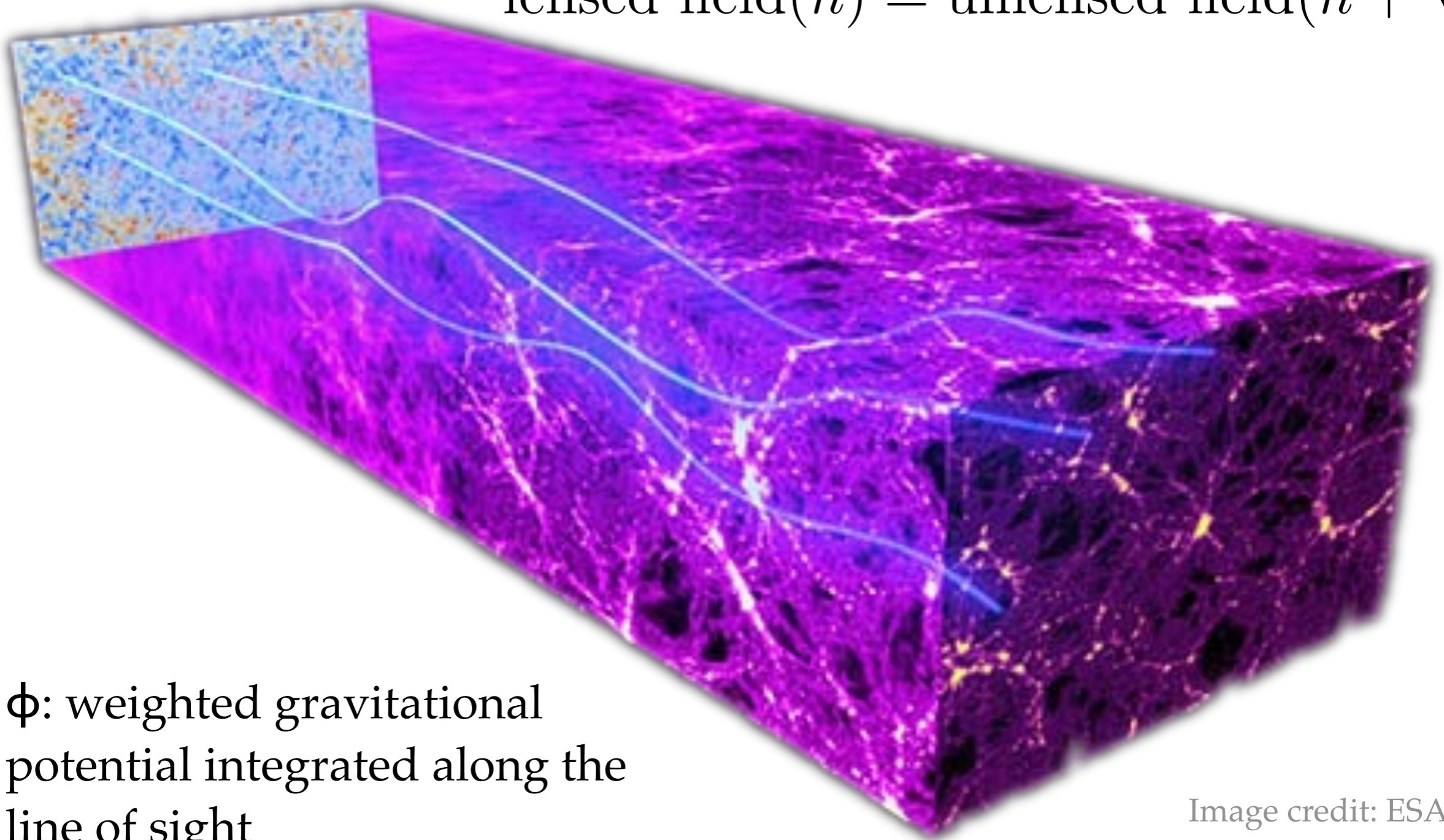


South Pole Telescope Collaboration



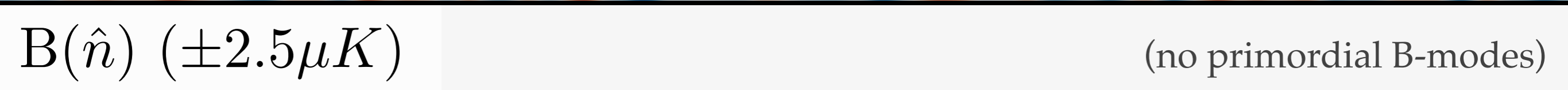
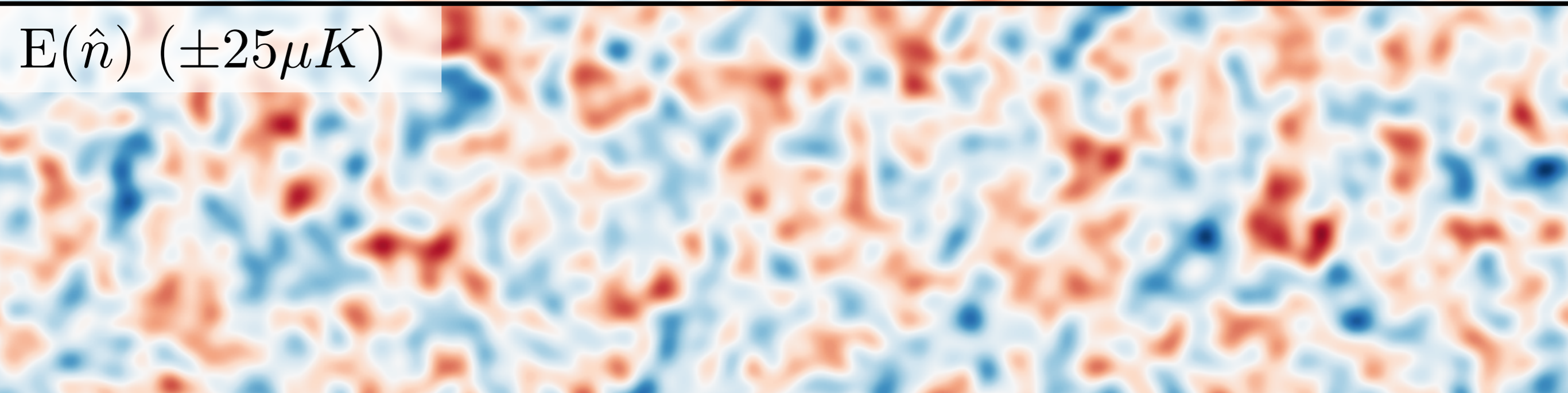
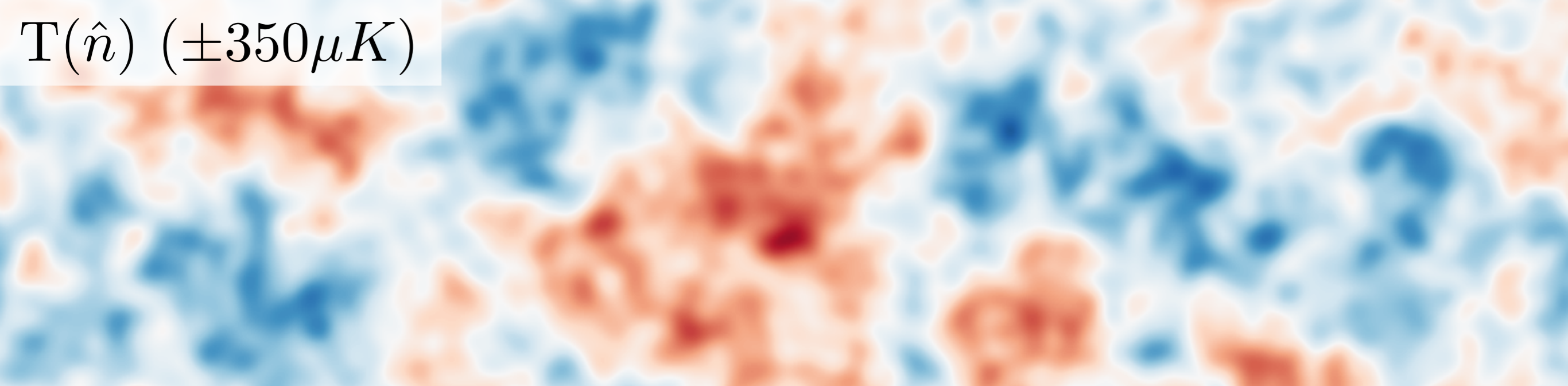
CMB lensing

$$\text{lensed field}(\hat{n}) = \text{unlensed field}(\hat{n} + \nabla\phi)$$



ϕ : weighted gravitational potential integrated along the line of sight

Image credit: ESA



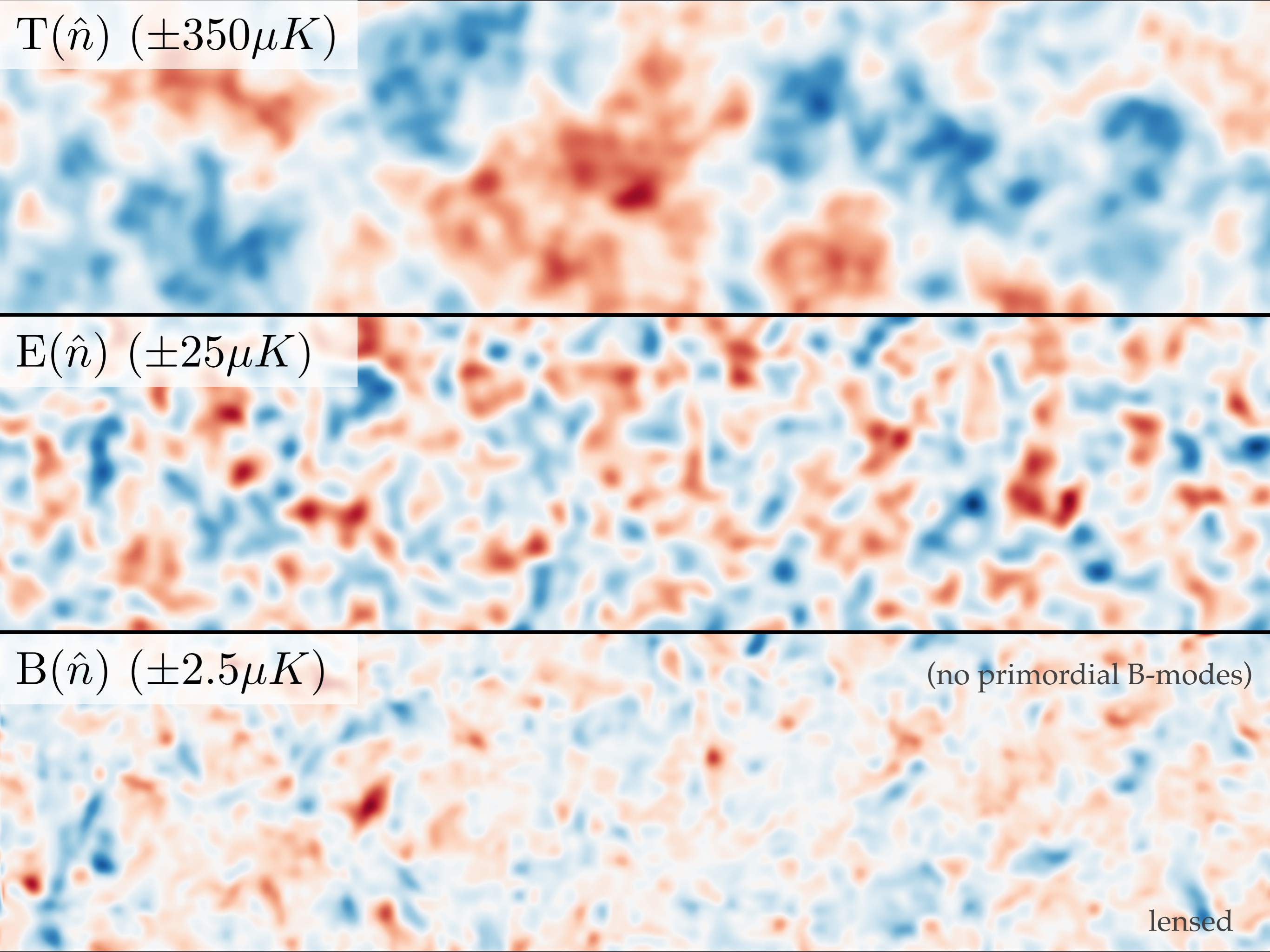
$T(\hat{n}) (\pm 350 \mu K)$

$E(\hat{n}) (\pm 25 \mu K)$

$B(\hat{n}) (\pm 2.5 \mu K)$

(no primordial B-modes)

lensed



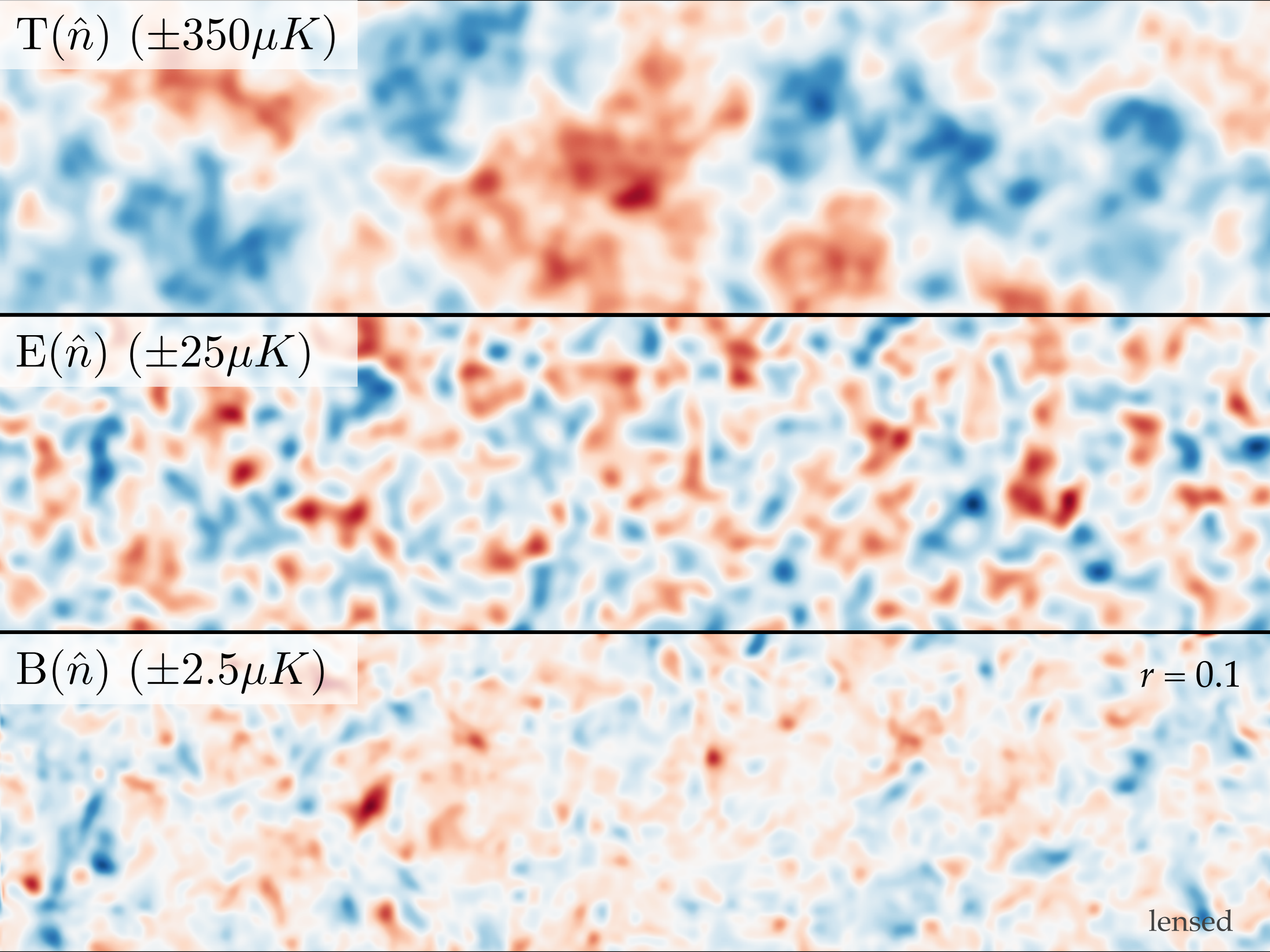
$T(\hat{n}) (\pm 350 \mu K)$

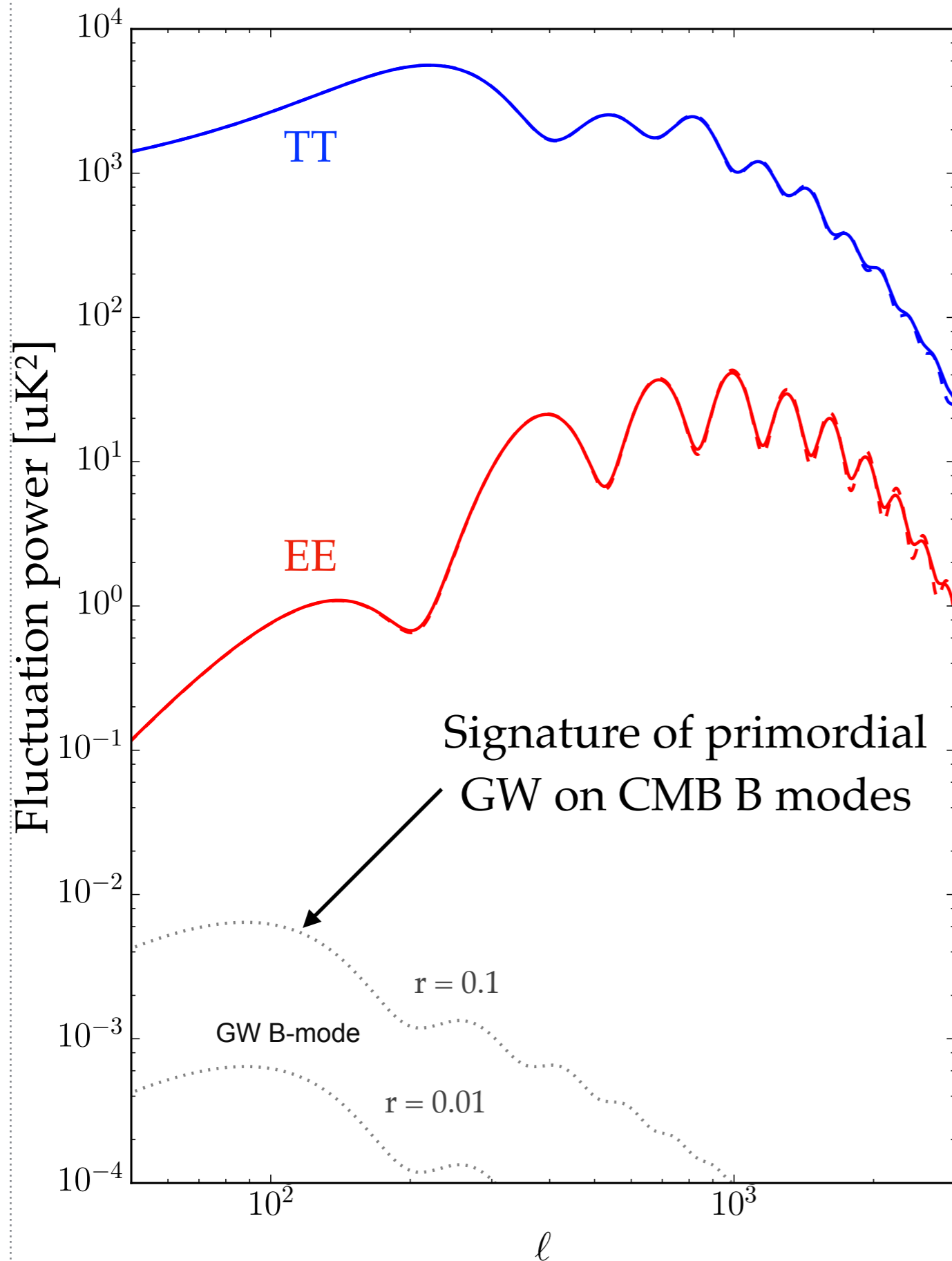
$E(\hat{n}) (\pm 25 \mu K)$

$B(\hat{n}) (\pm 2.5 \mu K)$

$r = 0.1$

lensed





Lensing generates B modes which limit constraints on r

- Sample variance from lensing B modes limits how low constraints on r can be.
- Need **delensing** to remove the lensing B-mode contribution to the uncertainty to the r measurement.

e.g. Planck lensing 2018,
Manzotti, Story, KW (SPT, 1701.04396),
Polarbear (1909.13832)

How does lensing enter the r estimate?

Lensing, foreground, (PGW B-modes)

Instrument noise


$$\sigma(r)^* \propto C_\ell^{BB} + N_\ell$$

Delensing for r = reduce the sample variance
contributed by lensing when measuring r

*assuming diagonal covariance & brutally simplified

$$\sigma(r) \propto \sum_\ell \sqrt{\frac{1}{\# \text{ of modes}} \left(\frac{C_\ell^{BB} + N_\ell}{\partial C_\ell^{BB} / \partial r} \right)}$$

Why now for BICEP/Keck?

Contributions to $\sigma(r)$: $C_\ell^{\text{BB,fg}} + C_\ell^{\text{BB,lens}} + N_\ell$

For current BICEP/Keck data set:

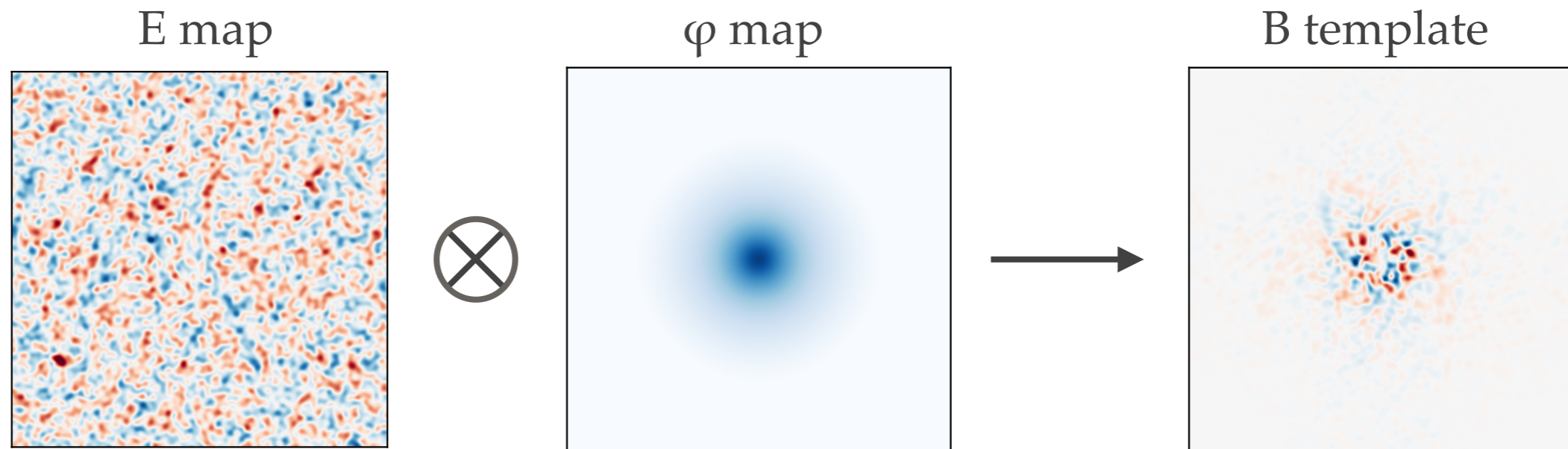
Foregrounds
becoming sample-
variance limited

Noise variance
becoming comparable/
lower than lensing
variance at 90/150 GHz

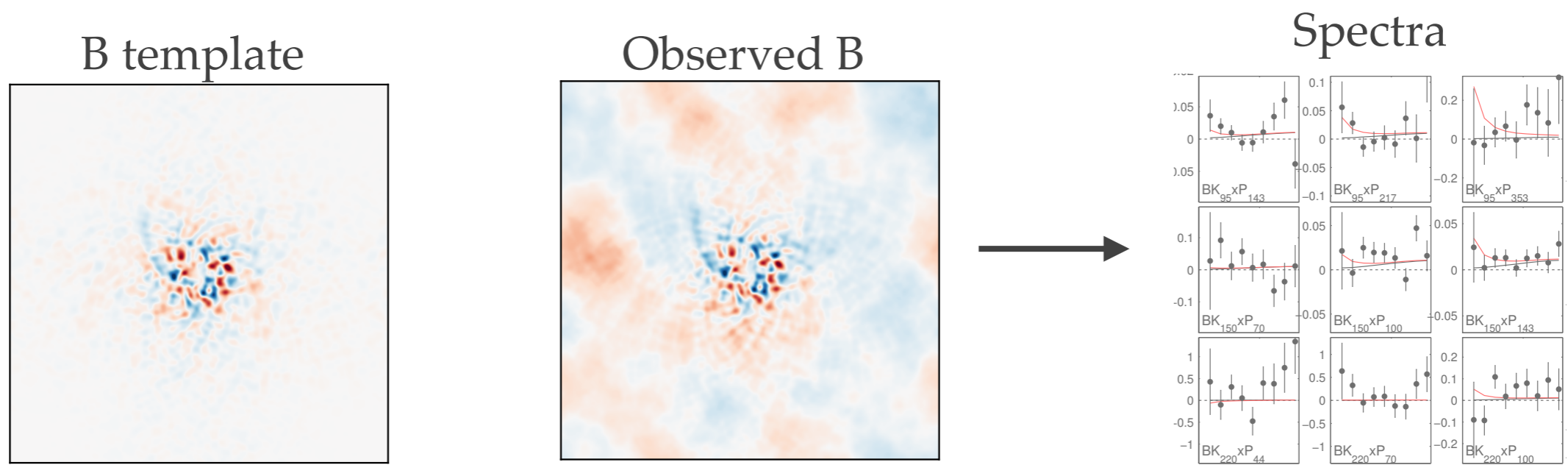
In regime where delensing can begin to improve $\sigma(r)$

Delensing: the idea

1. Use φ to lens E-mode map to get expected lensing B template

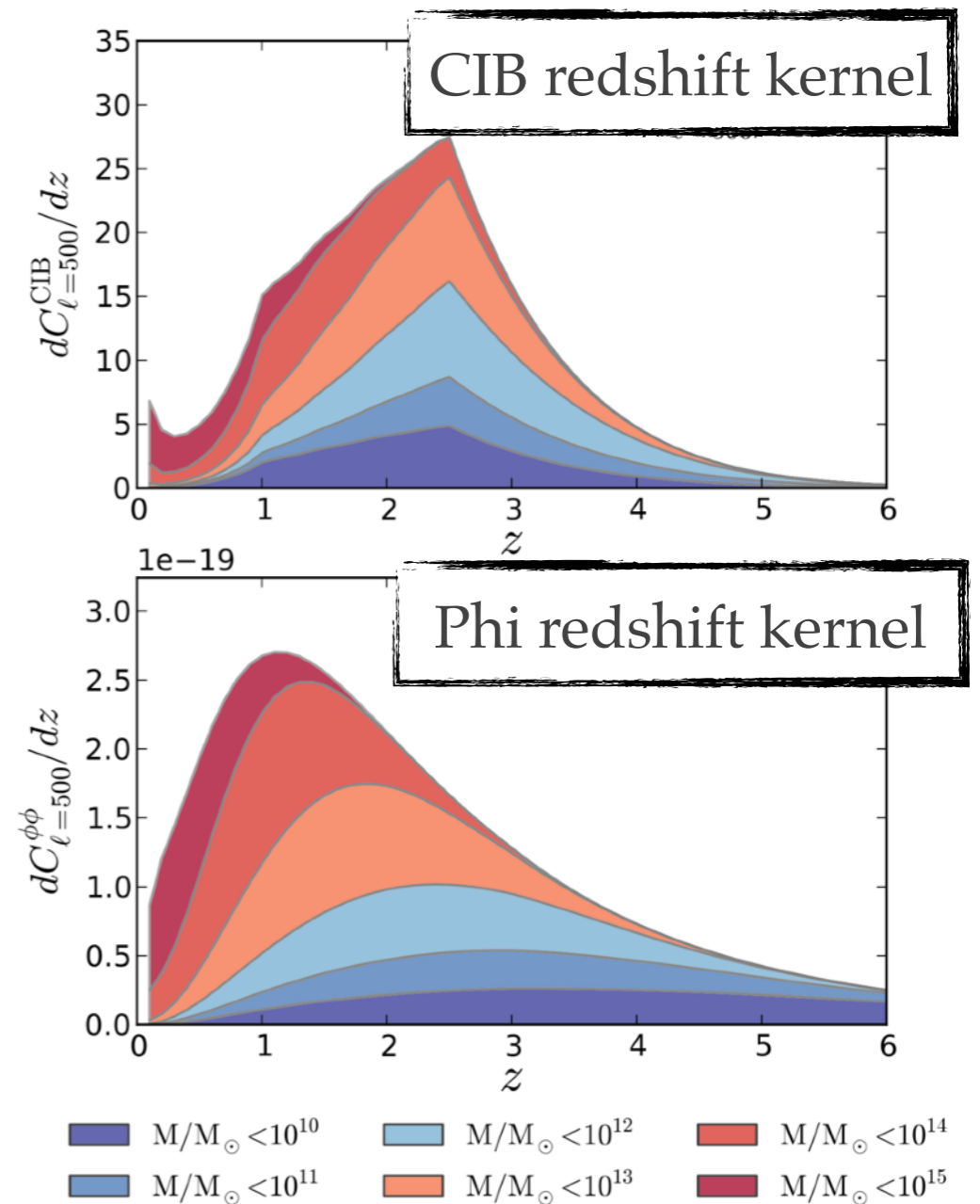


2. From lensing B template, one can then measure its auto- and cross-spectra



CIB as a φ tracer

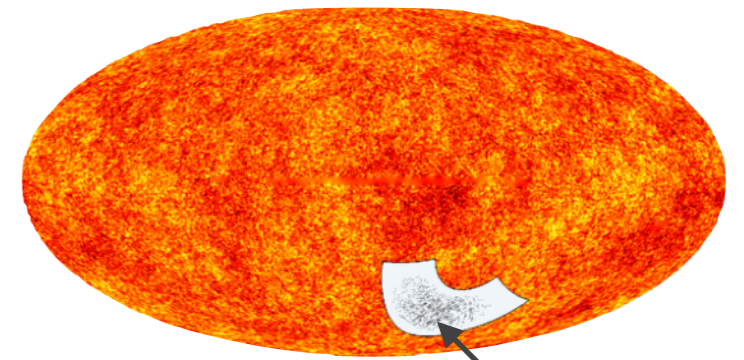
- Can reconstruct φ from CMB, but S/N is not great currently. (Will get better!)
- Cosmic infrared background (CIB) from dusty star-forming galaxies with redshift distribution peaked between $z \sim 1$ and 2.
- CMB lensing potential's redshift kernel peaks between $1 < z < 3$
- Cross-correlation can be as high as $\sim 80\%$



Planck 2013 XVIII

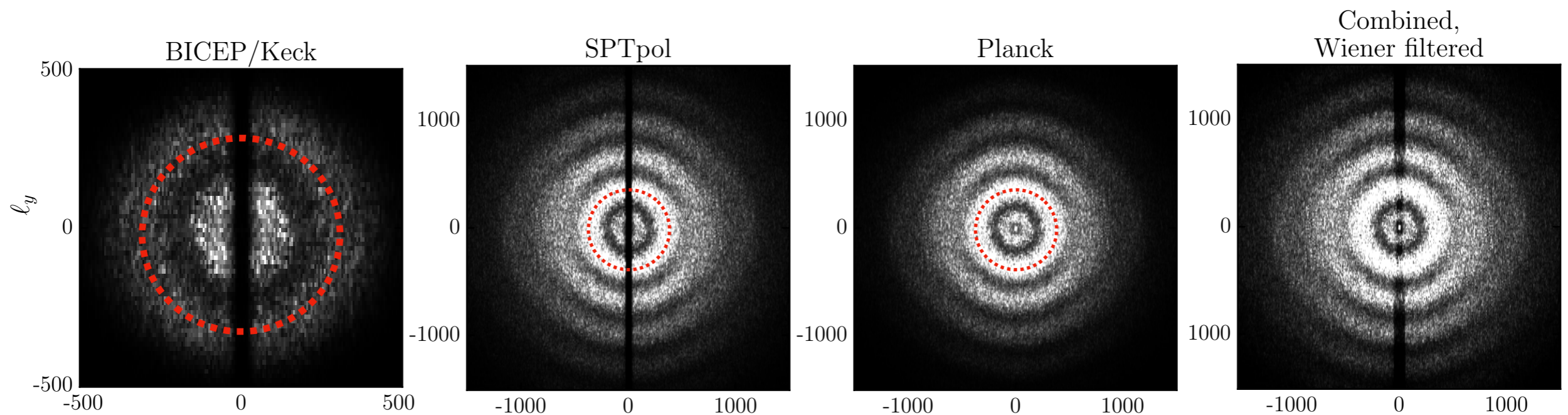
Lensing template inputs: Q/U maps for E modes

E modes: combine Q/U maps from
BICEP/Keck 150GHz, SPTpol
150GHz, and *Planck* 143GHz



BK patch; $\sim 500 \text{ deg}^2$

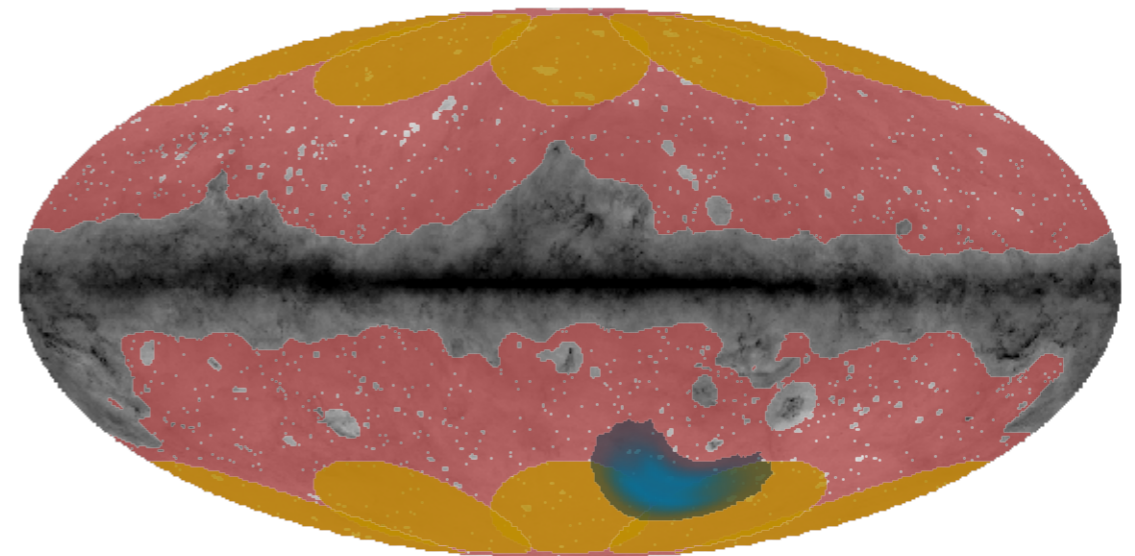
E mode 2D angular power spectra



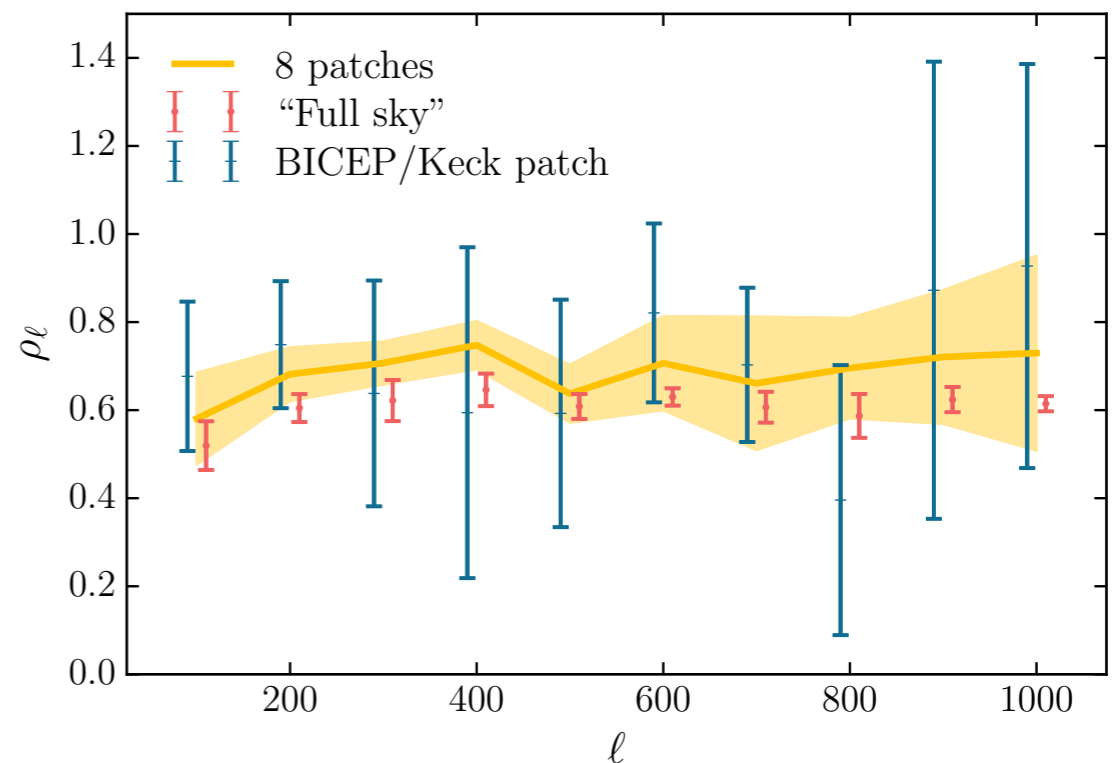
Cover broader multipole range than BK

Lensing template inputs: CIB

- CIB map: *Planck*
- Need CIB auto-spectrum and CIB $\times\varphi$ for filtering and generating simulated realizations.
- Use high Galactic latitude areas to estimate the CIB auto-spectrum and CIB $\times\varphi$ to ensure similar levels of dust contamination.
- Generate CIB realizations by rescaling the underlying φ and adding Gaussian noise with the auto-spectra and cross-spectra with φ distribution drawn from the covariance of the spectra measured from the 8 patches.



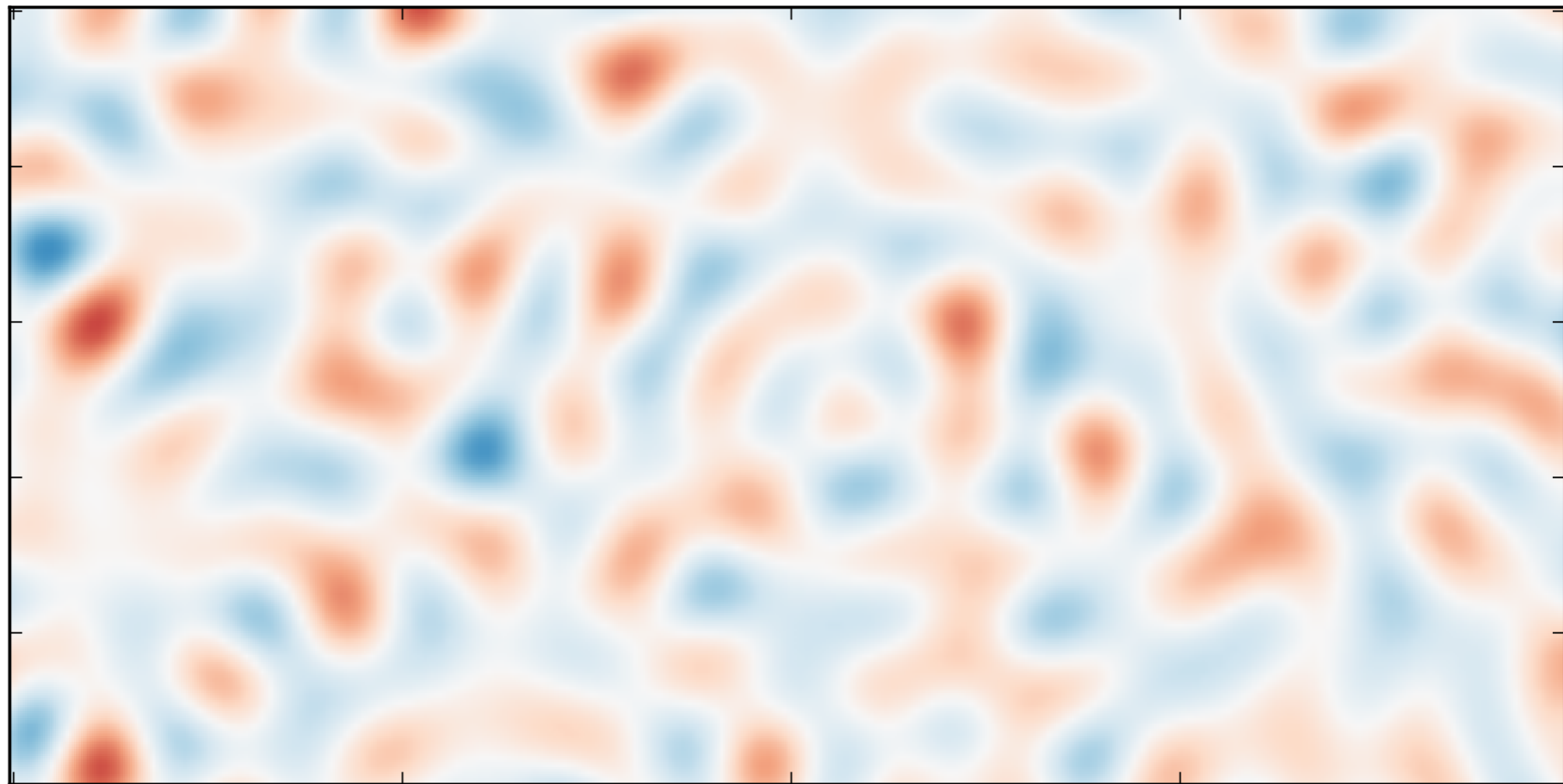
Planck lens Patches BICEP/Keck



Making the lensing template: undeflection-and-difference

$\pm 0.35 \mu K$

Undeflect by $-\nabla \hat{\phi}$

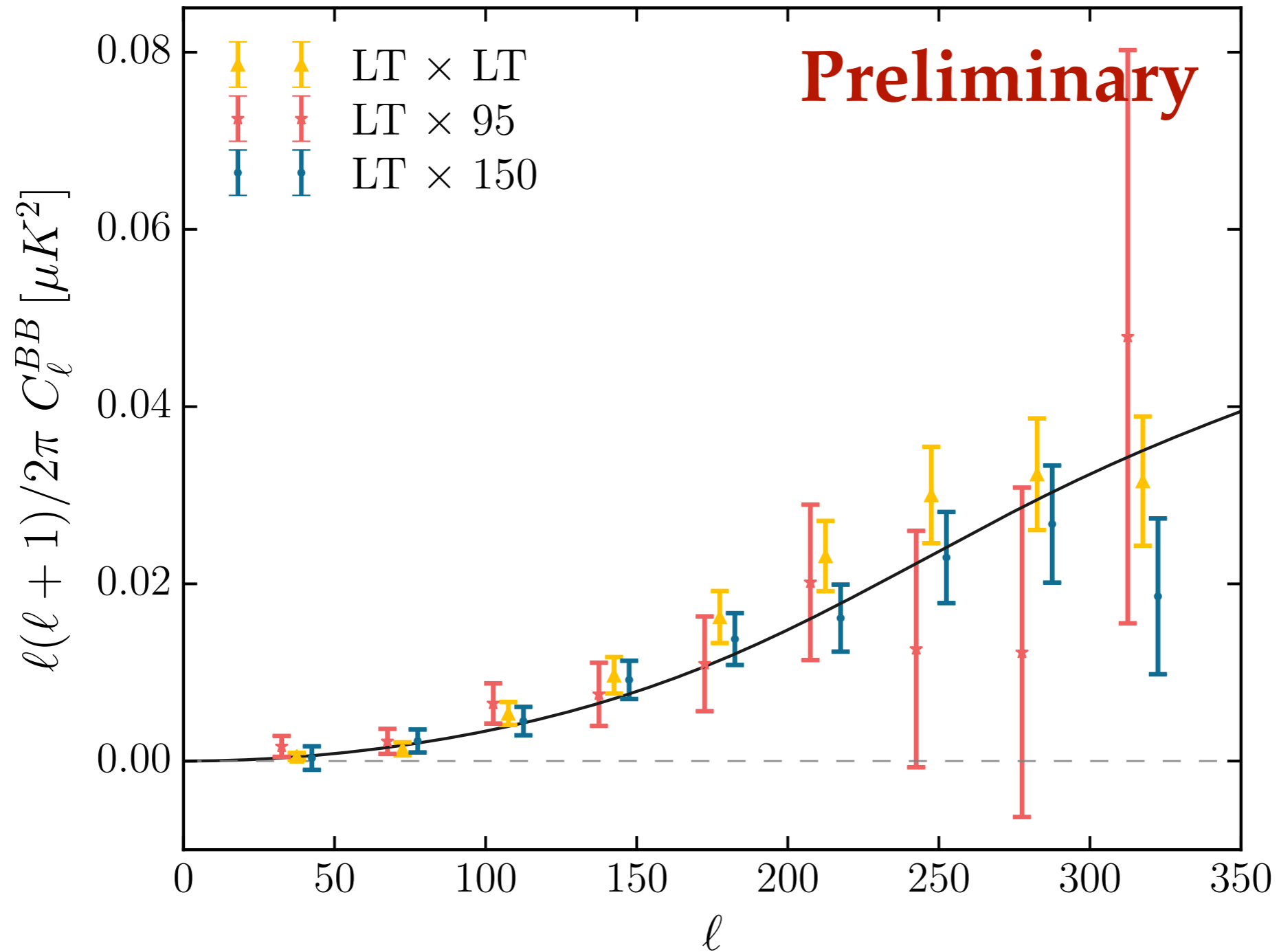


Sim

1) Lensed Q map; 2) Undeflected Q map; 3) Lensed-Undeflected Q map

Same for U map

Form auto- and cross-spectra of the lensing template



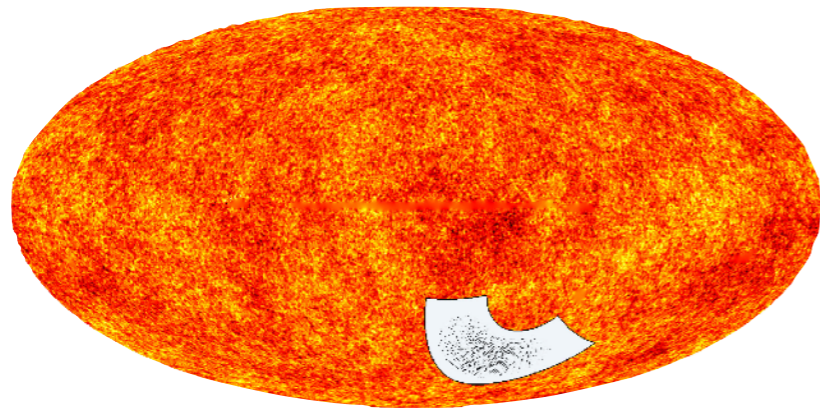
Connecting delensing to $\sigma(\mathbf{r})$

BICEP / Keck likelihood analysis framework:

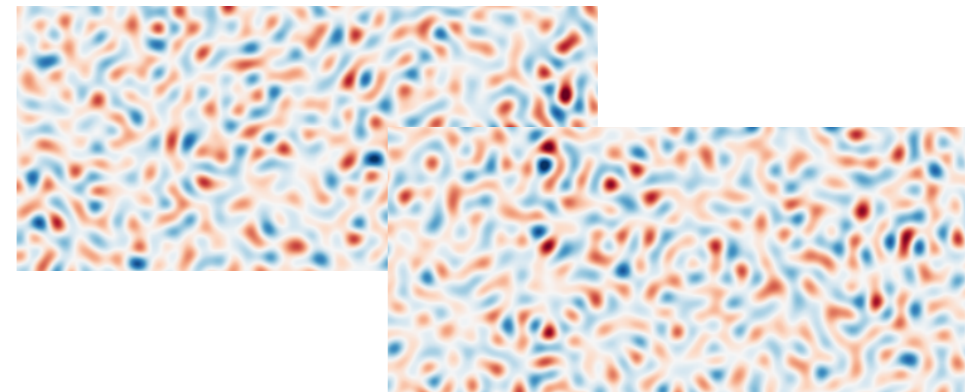
how is delensing incorporated

BICEP/Keck likelihood input (+ delensing)

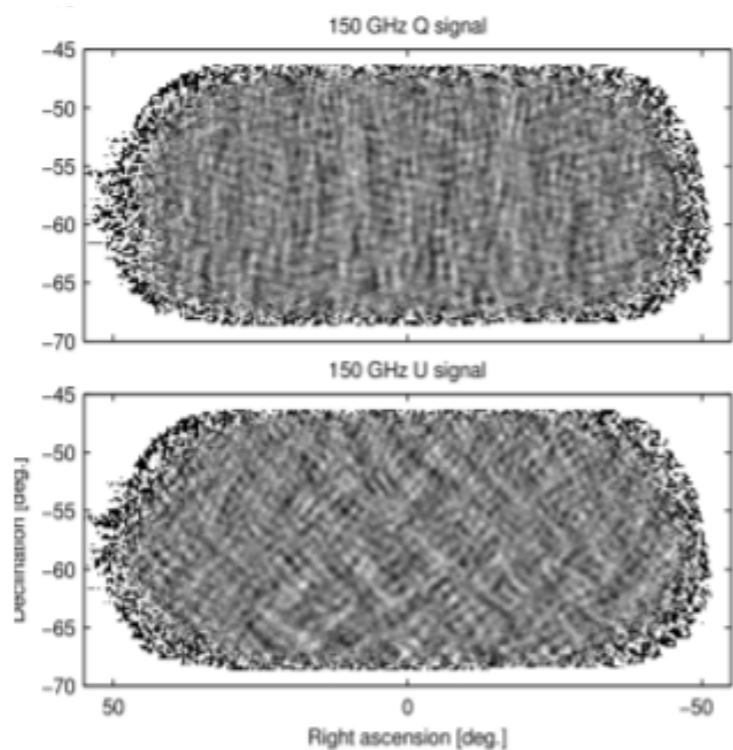
- Input maps to multicomponent analysis that extracts constraints on r



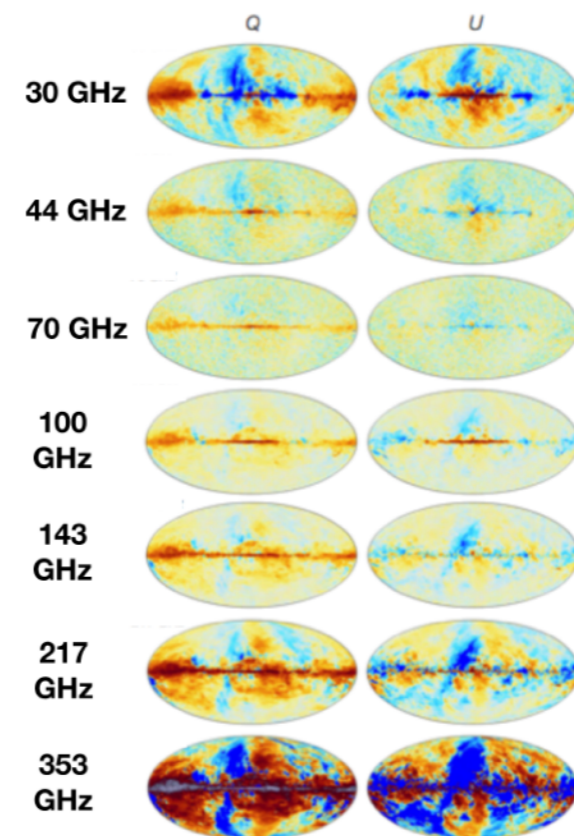
+ lensing template



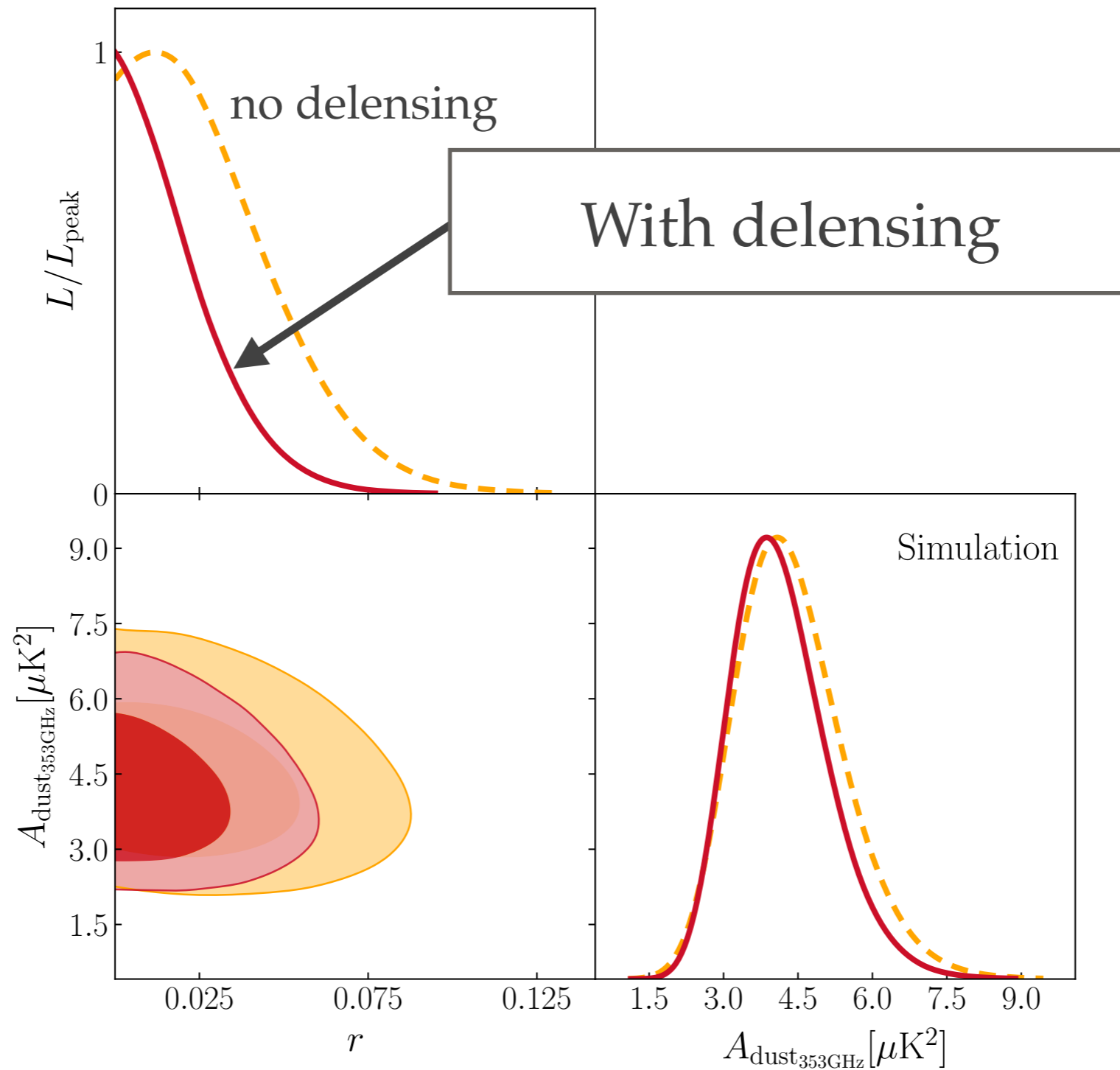
Maps from BICEP/Keck (95/150GHz)



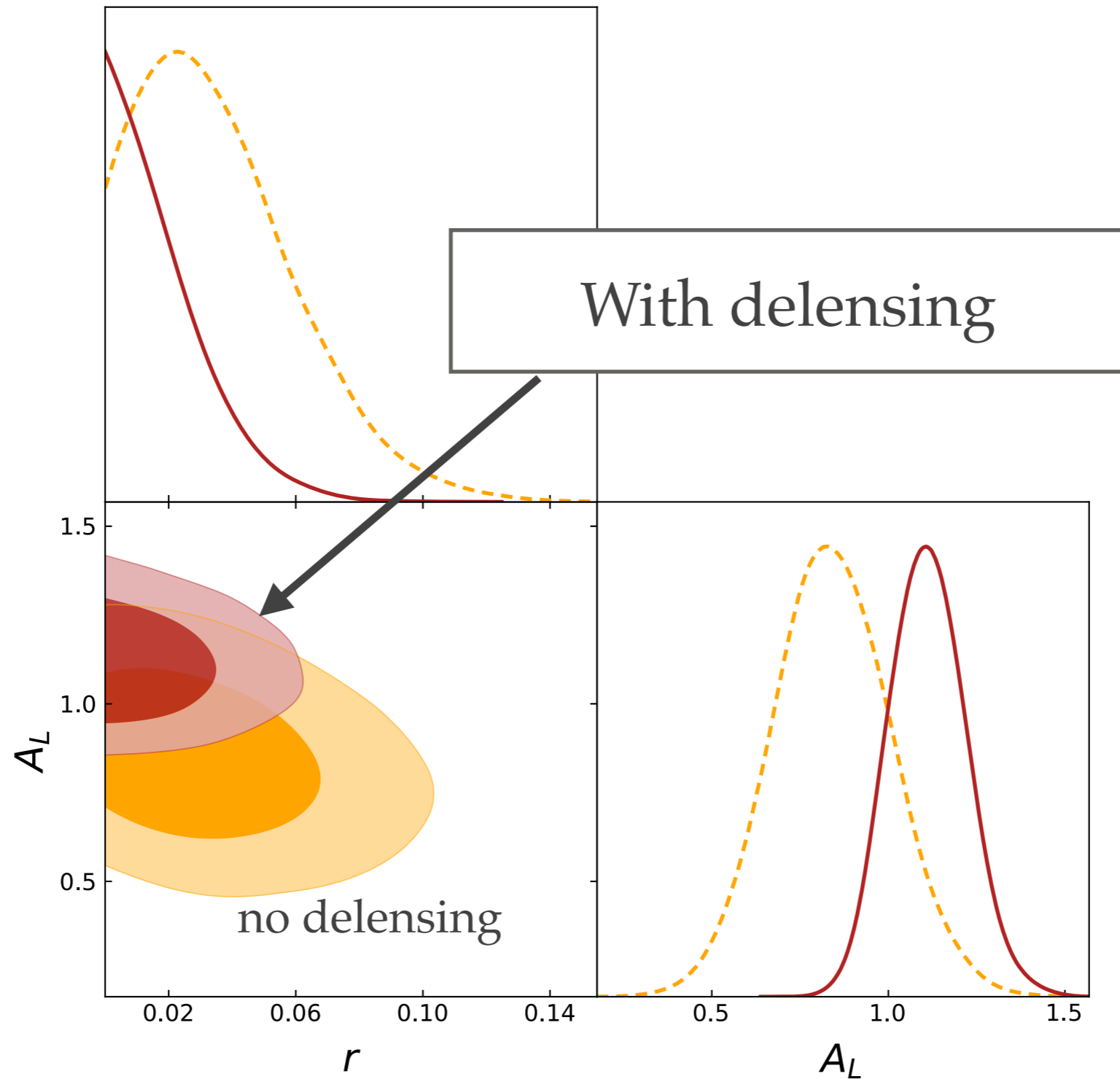
Maps from Planck/WMAP



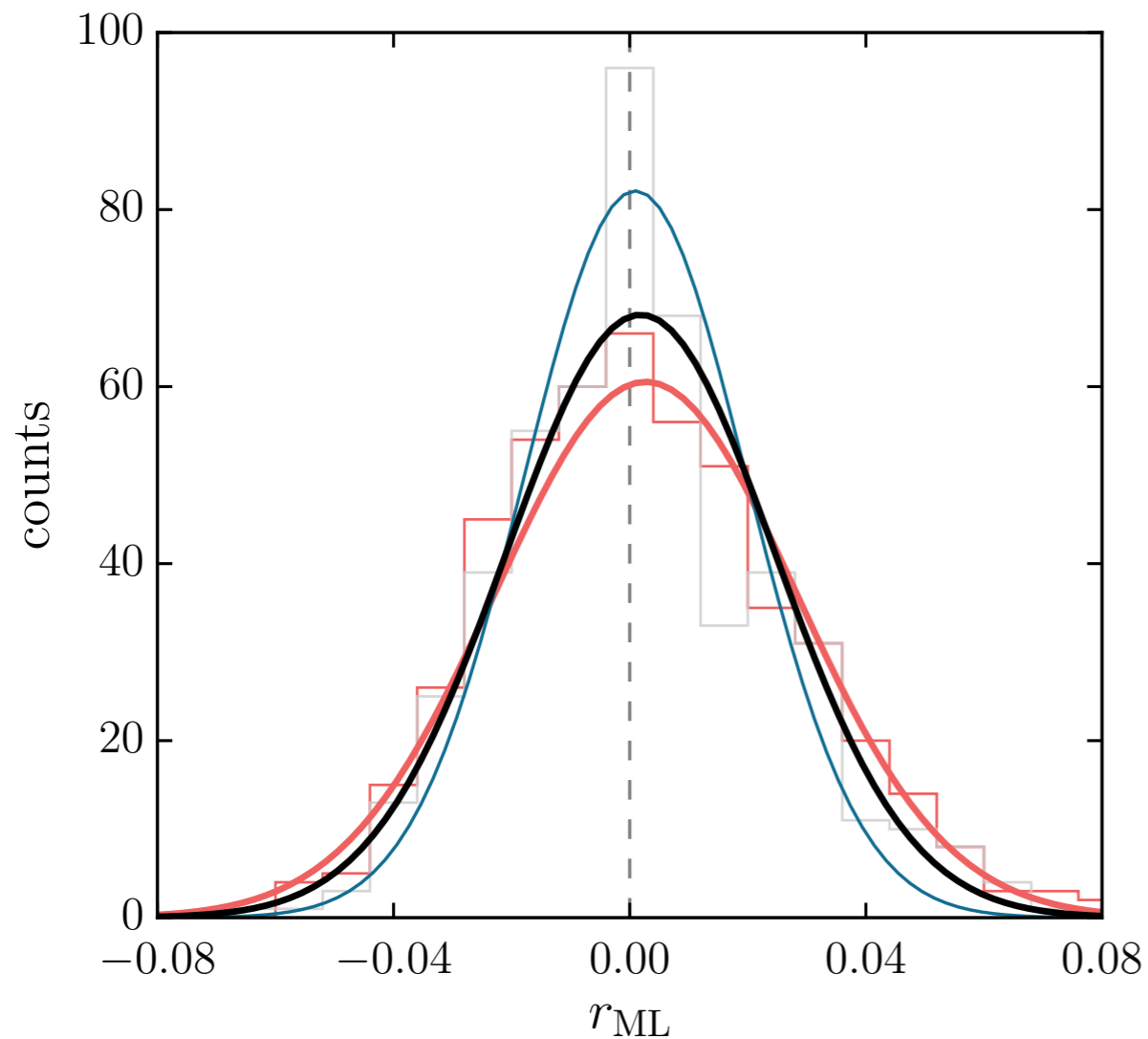
Posterior distribution with delensing (sim)



Lensing template breaks r degeneracy with A_{lens}



How much do we improve $\sigma(r)$?



No delensing
Perfect delensing
This analysis

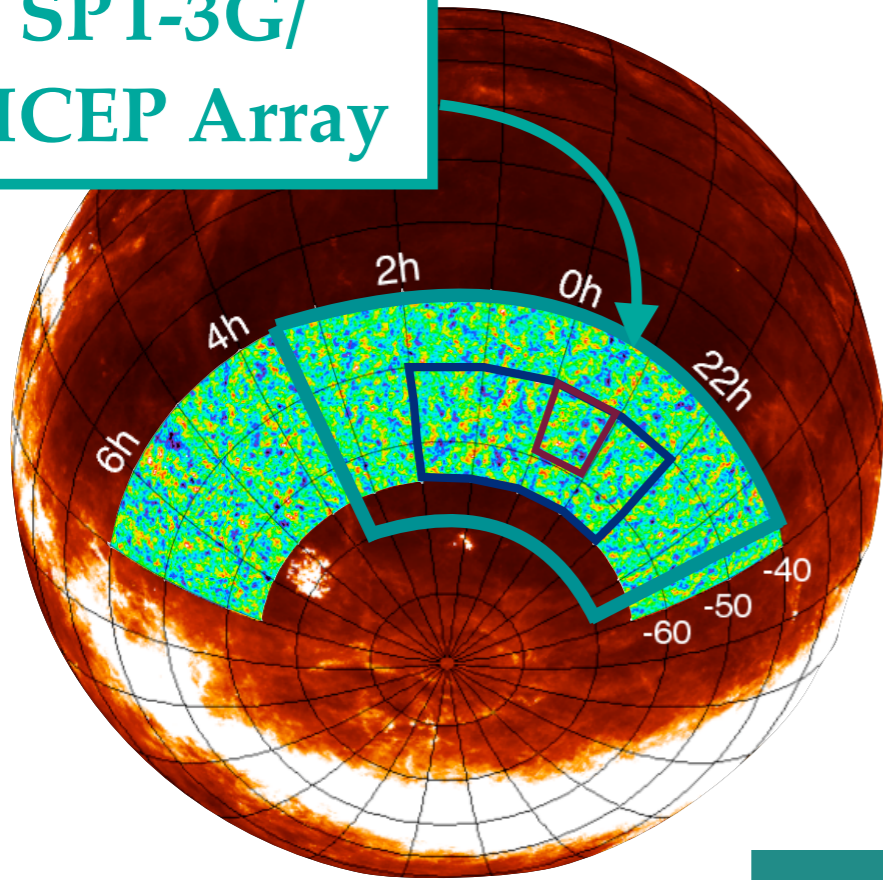
- With perfect φ map and E modes, adding a lensing template to the BK14 data set improves $\sigma(r)$ from 0.026 to 0.019.
 - ~30% of Clbb variance is from lensing
- Using CIB φ tracer to form the lensing template, $\sigma(r)$ improves by ~10% from BK14 to 0.023.
- When only one of the 3 input E modes are used, SPTpol improves $\sigma(r)$ most, then is BK, then Planck.

Current limitation to delensing

- B mode variance is dominated by galactic foregrounds; even with perfect delensing we do not improve $\sigma(r)$ very significantly.
- Need better φ tracer: CIB map we use has cross-correlation with underlying φ at 60-80%. CMB-derived φ from upcoming CMB experiments will do better!

SPT-3G lensing

SPT-3G/
BICEP Array

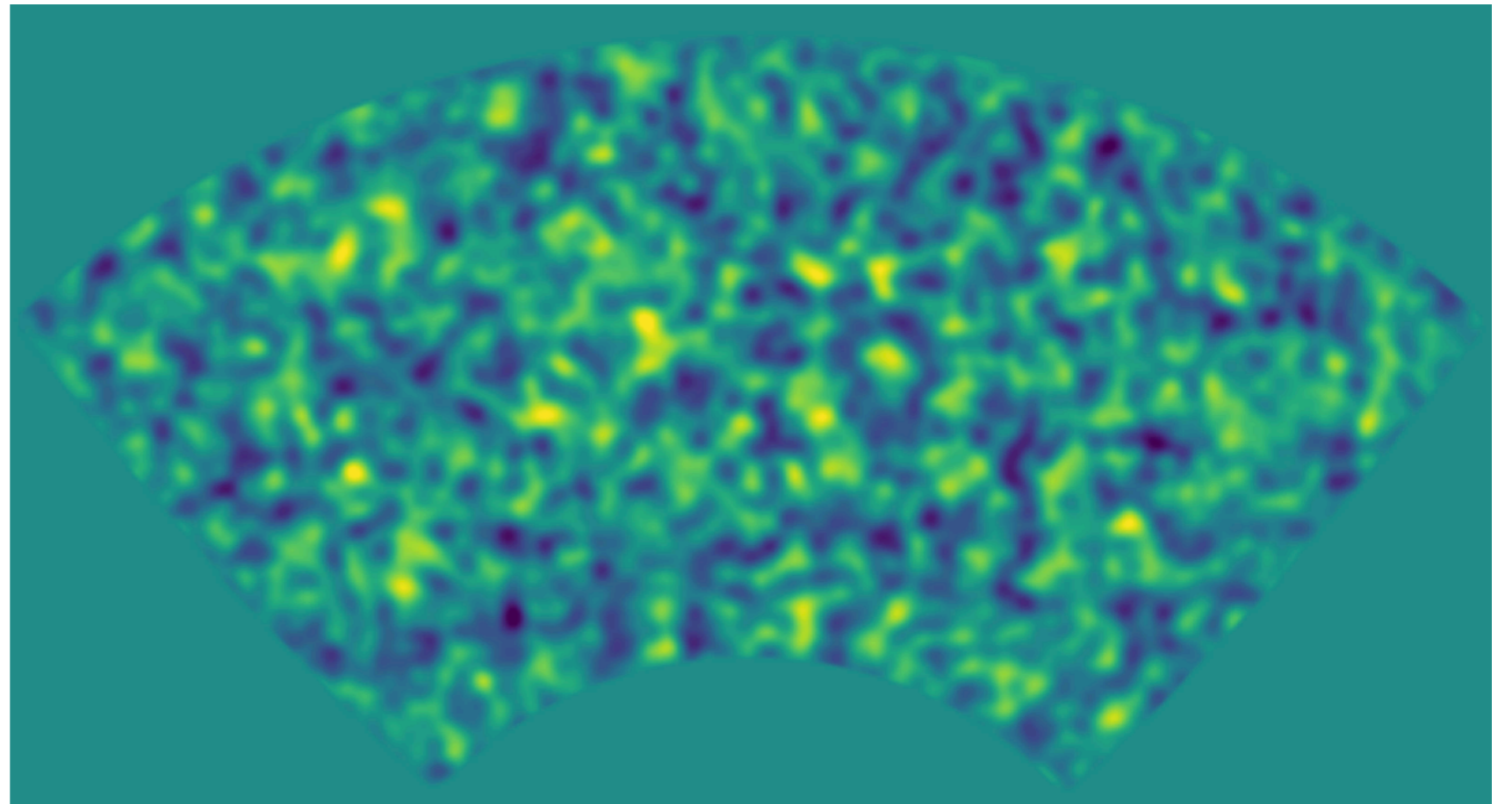


SPT-3G lensing



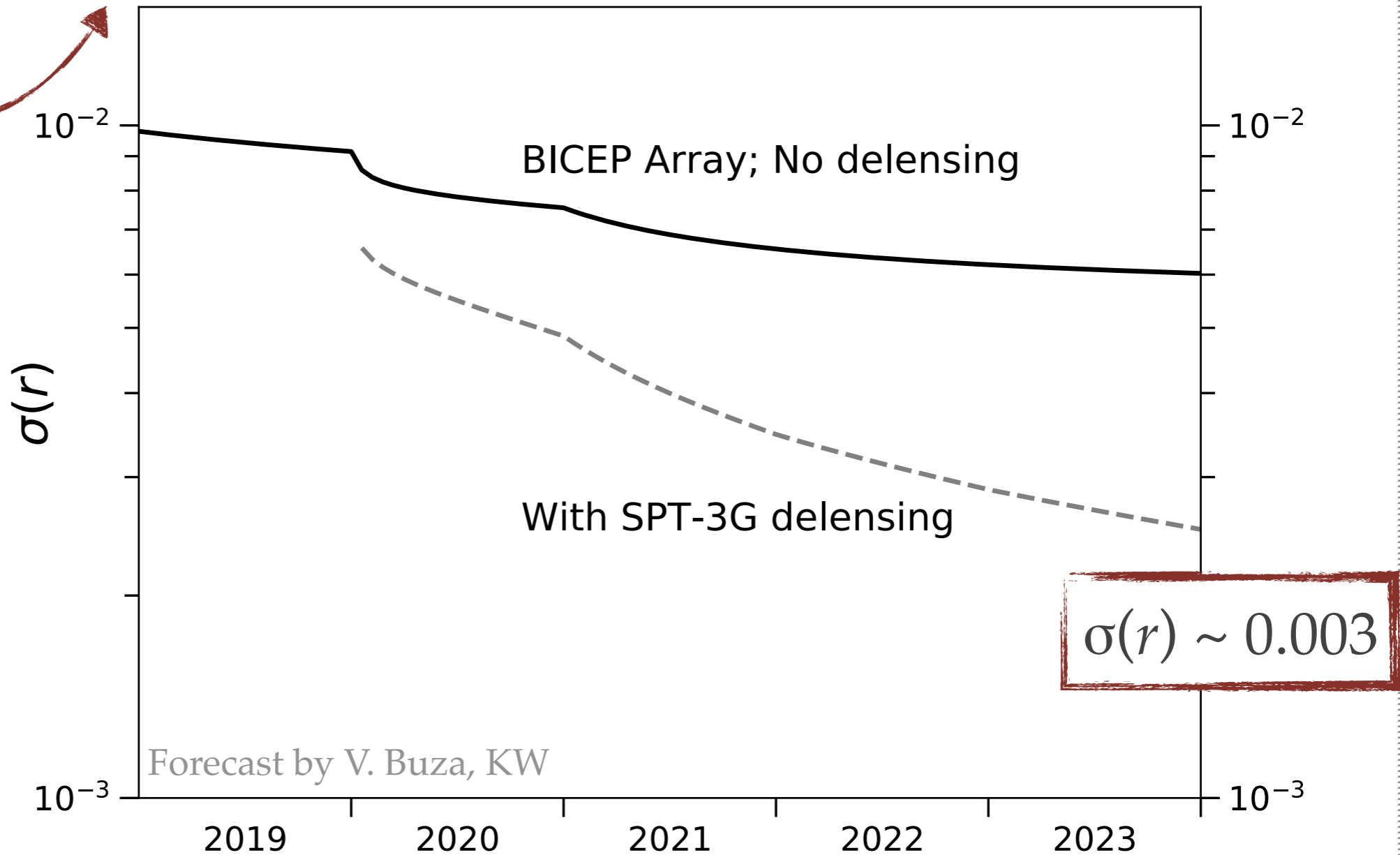
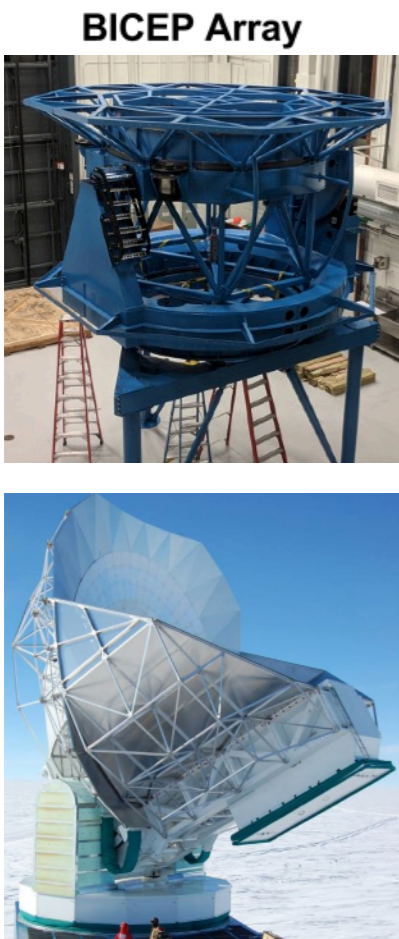
Zhaodi Pan
UChicago

MV reconstruction on 1500 sq. deg. SPT3G footprint, 2018 noise level (simulation)



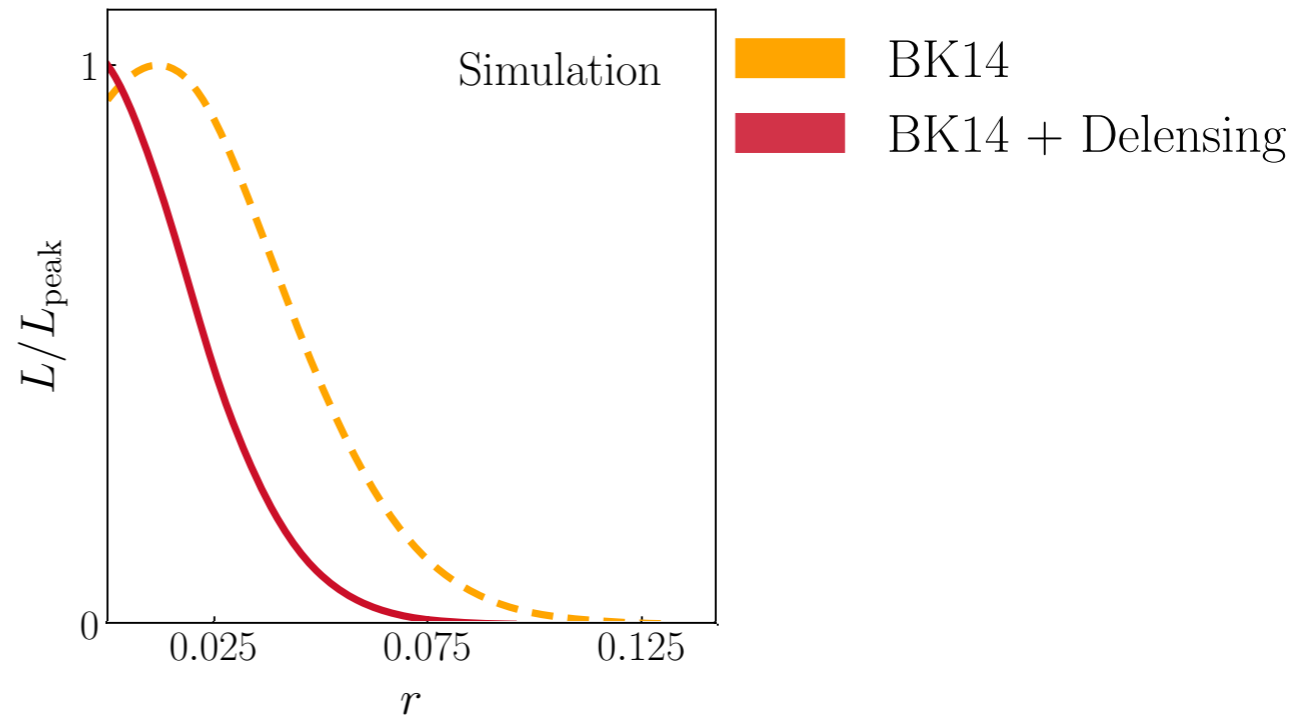
Delensing BICEP/Keck B-mode maps using SPT-3G φ to improve r constraint

Current $\sigma(r) = 0.02$
(BK15)



Summary

- Add lensing template to the BK14 analysis.
- Use CIB as φ tracer and combined BK, SPTpol, and Planck maps for E modes.
- Delensing of BICEP / Keck maps currently improves $\sigma(r)$ by 10%.
- Delensing BICEP Array B-mode maps with SPT-3G φ map improves $\sigma(r)$ by $> 2x$.



Extras