

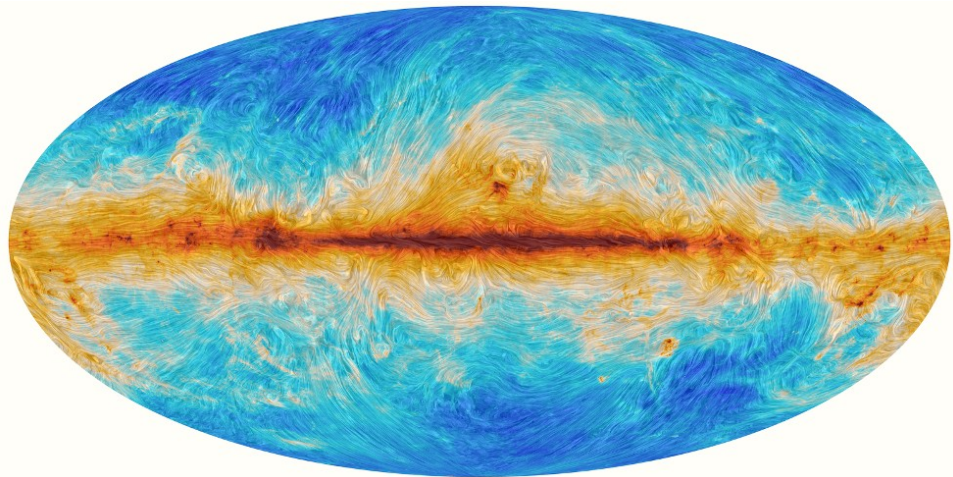
3D mapping of the magnetized ISM with starlight polarization

Gina Panopoulou
NASA Hubble Fellow
Caltech

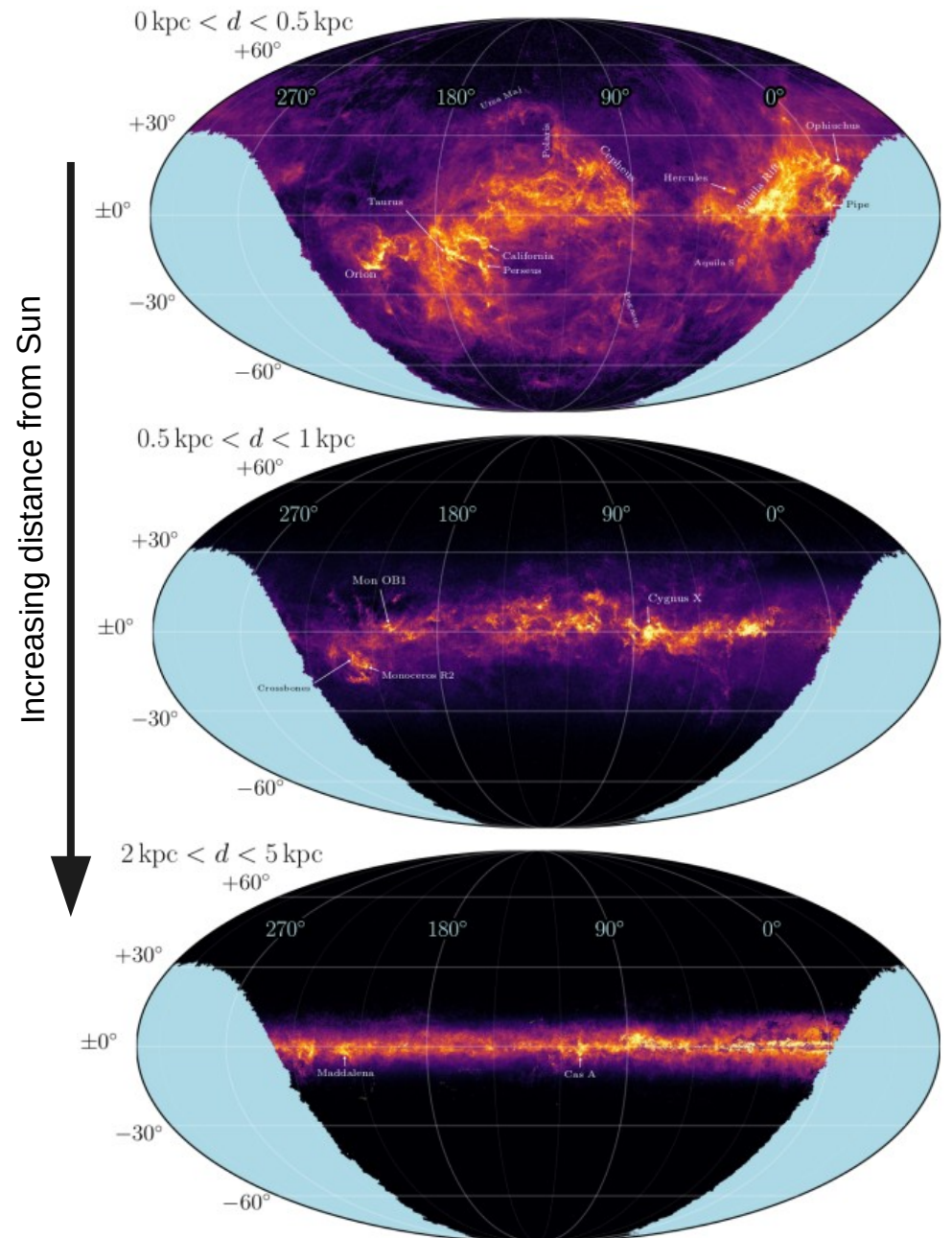
B-mode from space
MPA, Munich, 2019

Dust varies along line of sight

‘The’ dust component

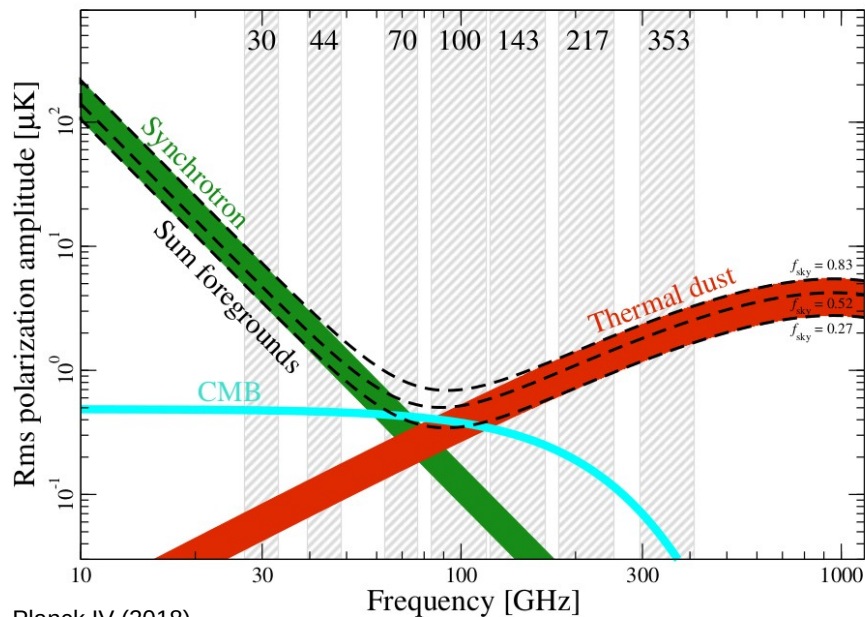


How to go from the *simplest* model to a *plausible* model?



Parametric modeling of ISM dust: a first approximation

Planck: Modified Black-body is a good fit to dust contribution of intensity + polarization



- Assume uniform population of dust grains in uniform magnetic field

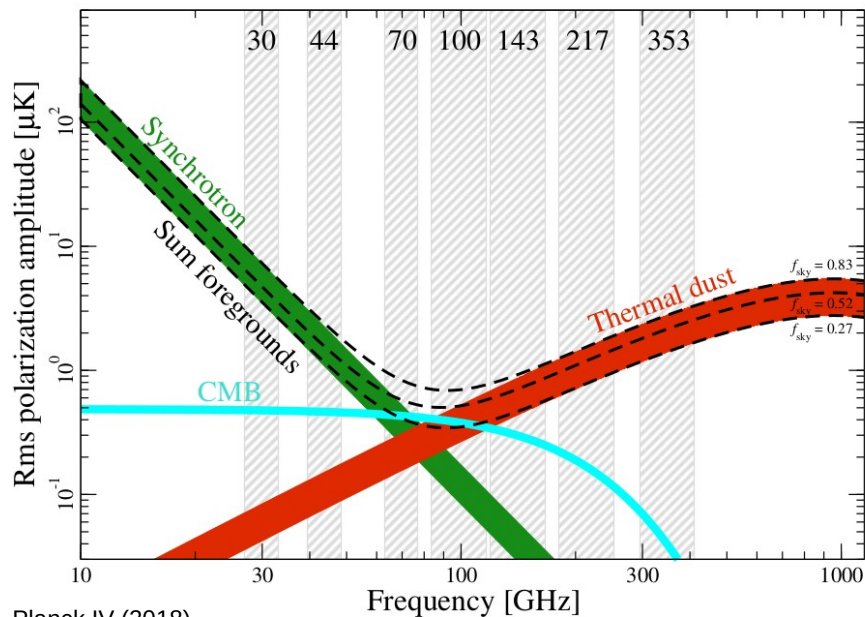
$$Q_\nu = A^P \cos 2\chi \left(\frac{\nu}{\nu_0} \right)^\beta B_\nu(T) \quad U_\nu = A^P \sin 2\chi \left(\frac{\nu}{\nu_0} \right)^\beta B_\nu(T)$$

Frequency dependence only by Modified Black-body

- Solve for all foreground model parameters

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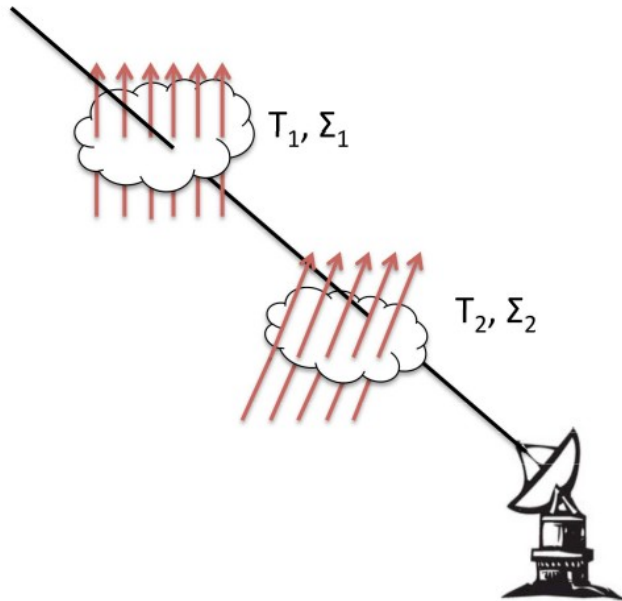
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Frequency dependence only by Modified Black-body

- Solve for all foreground model parameters

What accuracy can we reach with this approximation?

WANTED: better approximation to dust modeling



When multiple clouds along the line of sight, single blackbody model assumption breaks down

$$I_{\text{tot}} = I_1 + I_2$$

$$Q_{\text{tot}} = Q_1 + Q_2$$

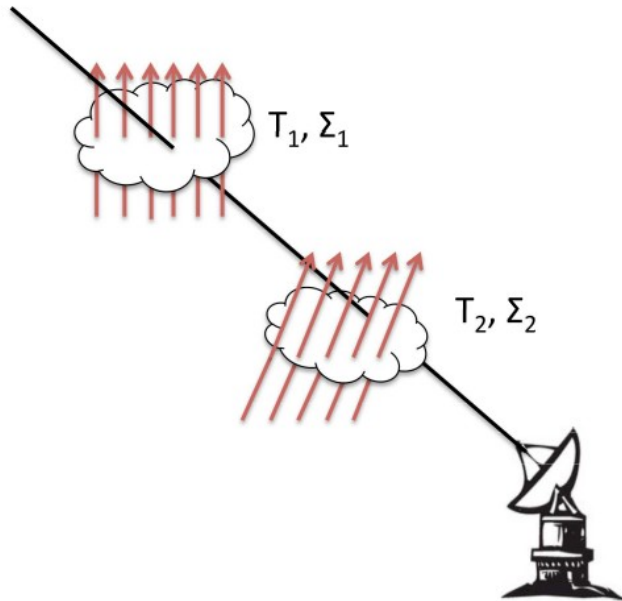
$$U_{\text{tot}} = U_1 + U_2$$

Multiple dust clouds *in principle* need to be taken into account ...

Poh & Doddelson 2015, Ghosh+ 2017, Adak+ 2017, Hensley & Bull 2017, Martinez-Solaesche+ 2019, Clark & Hensley 2019

...but no consensus as to what the importance of the effect is for foreground subtraction

WANTED: better approximation to dust modeling



Tassis & Pavlidou 2015

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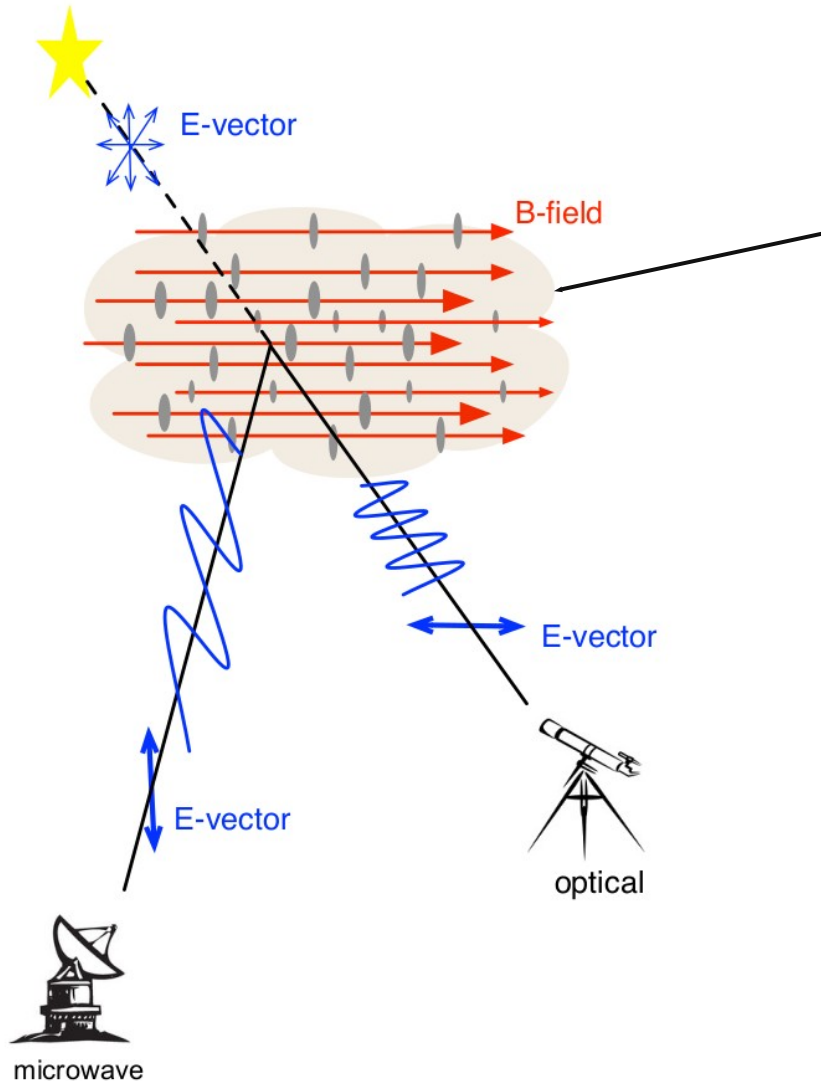
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Answer depends on ISM properties!

Need to *measure* ISM properties in 3D

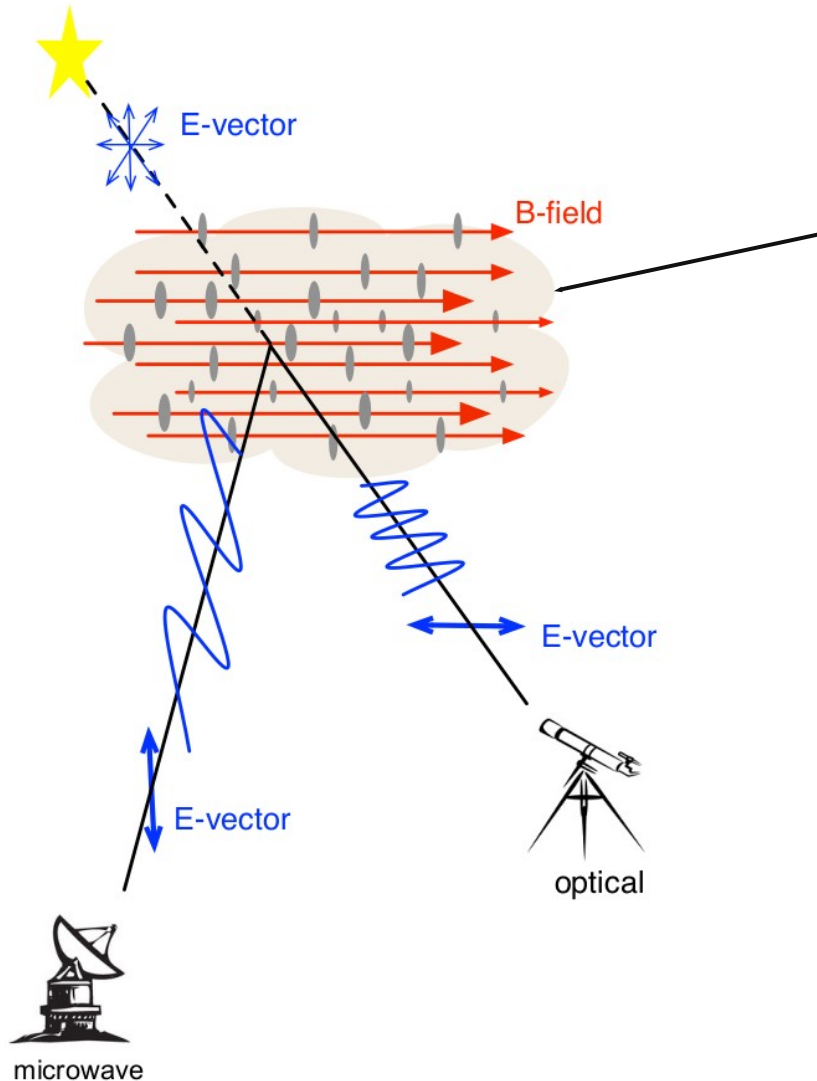
Towards a better approach to dust modeling: starlight polarization



Dust grains aligned perpendicular to magnetic field lines act as a polarizer

Both types of radiation trace component of **B** perpendicular to line of sight

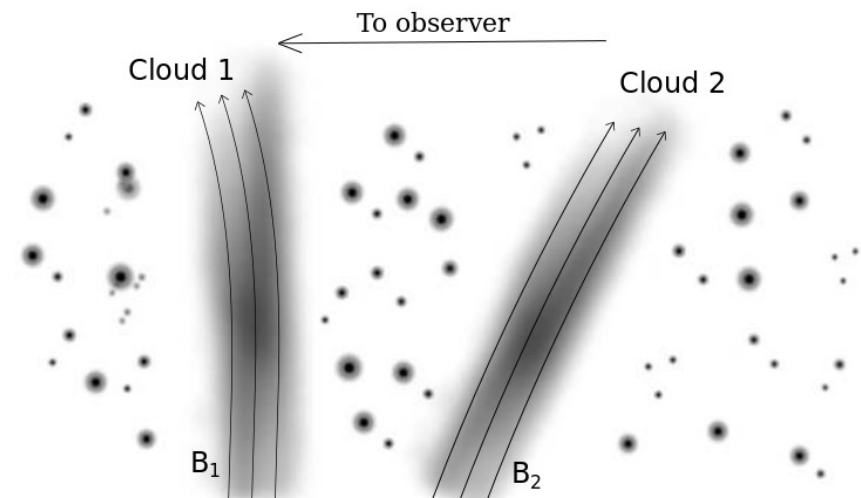
Towards a better approach to dust modeling: starlight polarization



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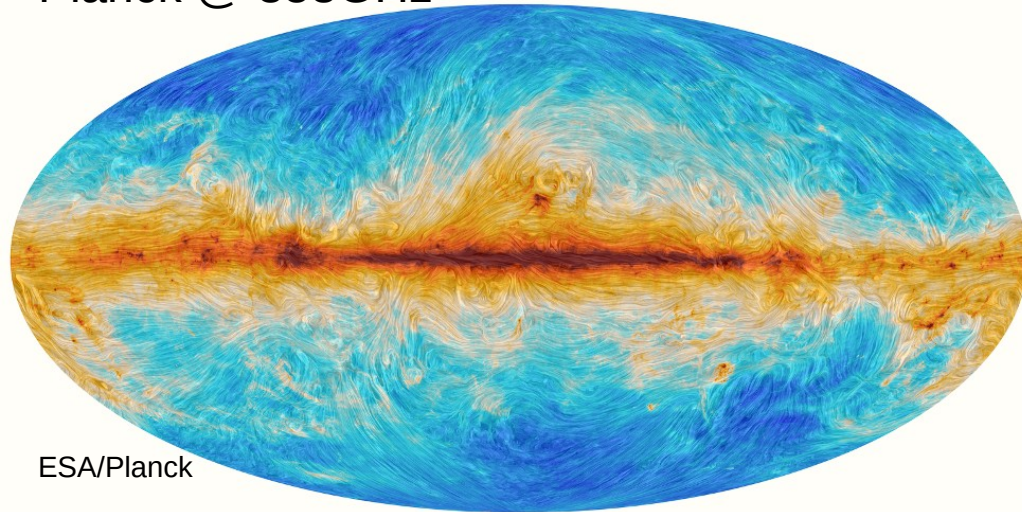
Both types of radiation trace component of **B** perpendicular to line of sight

BUT: stellar polarization traces signal only out to distance of star!

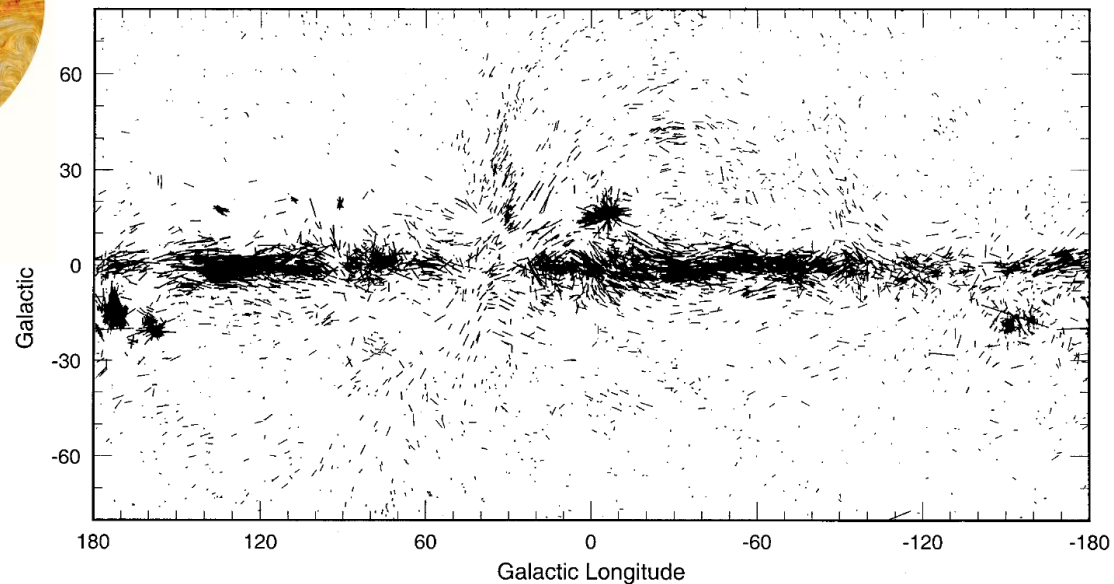


Starlight polarization not well-sampled

Planck @ 353GHz



Starlight polarization (Heiles 2000)



Need orders of magnitude more stellar polarization measurements

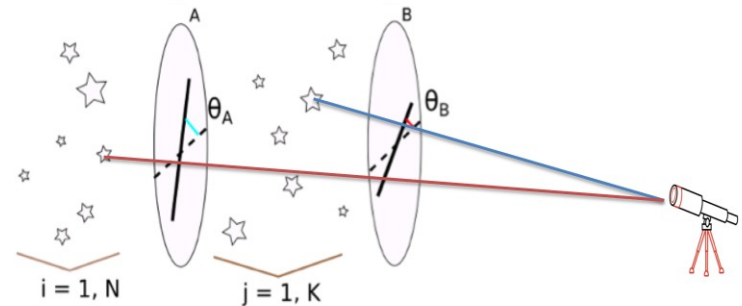
A high-accuracy optical polarization survey



Tassis+ 2018

Starts in 2020!

Measuring the polarization of millions of stars to tomographically map the ISM magnetic field



Web:
pasiphae.science

White paper
arXiv:1810.05652

Partner Institutions

University of Crete (PI: K. Tassis)

Caltech

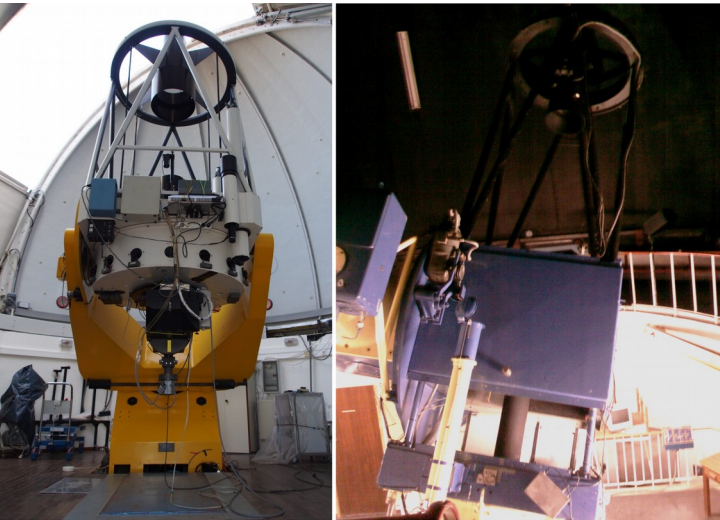
University of Oslo

Inter-University Center for Astronomy and Astrophysics

South African Astronomical Observatory

Key advances of PASIPHAE

Two 1-m telescopes (North + South)

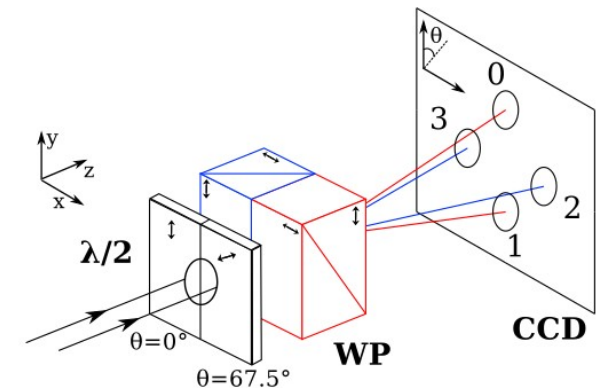


Single-shot, wide field polarimeters (WALOPs)

0.5x0.5 deg Field of View

Single-shot principle
successfully implemented
in precursor instrument

Excellent control of instrument systematics
(0.1% systematic uncertainty in p - unprecedented for
wide-field stellar polarimetry)

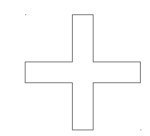


robopol

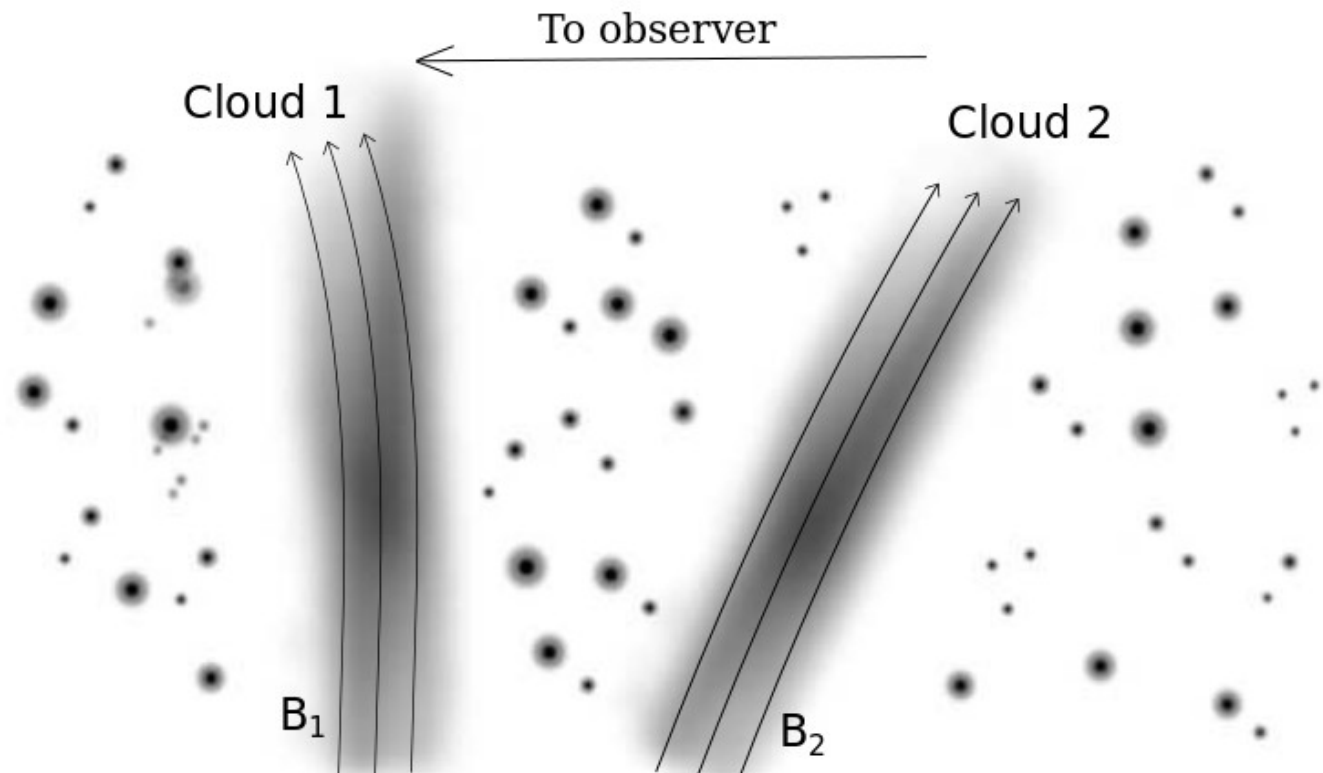
Ramaprakash+
2019

A first look at PASIPHAE-like data

A path-finding survey for PASIPHAE with the RoboPol polarimeter

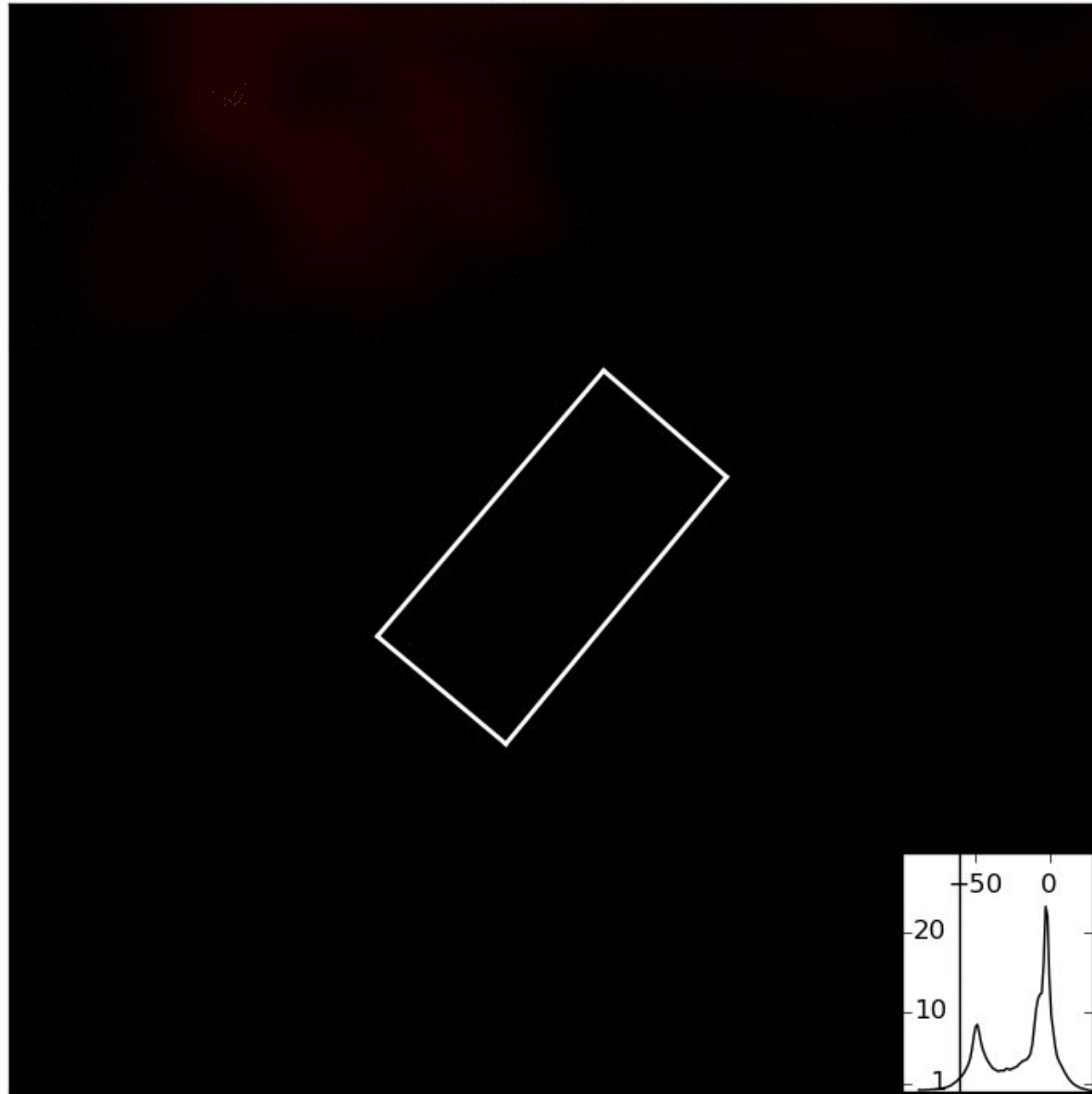


Deep optical polarization survey



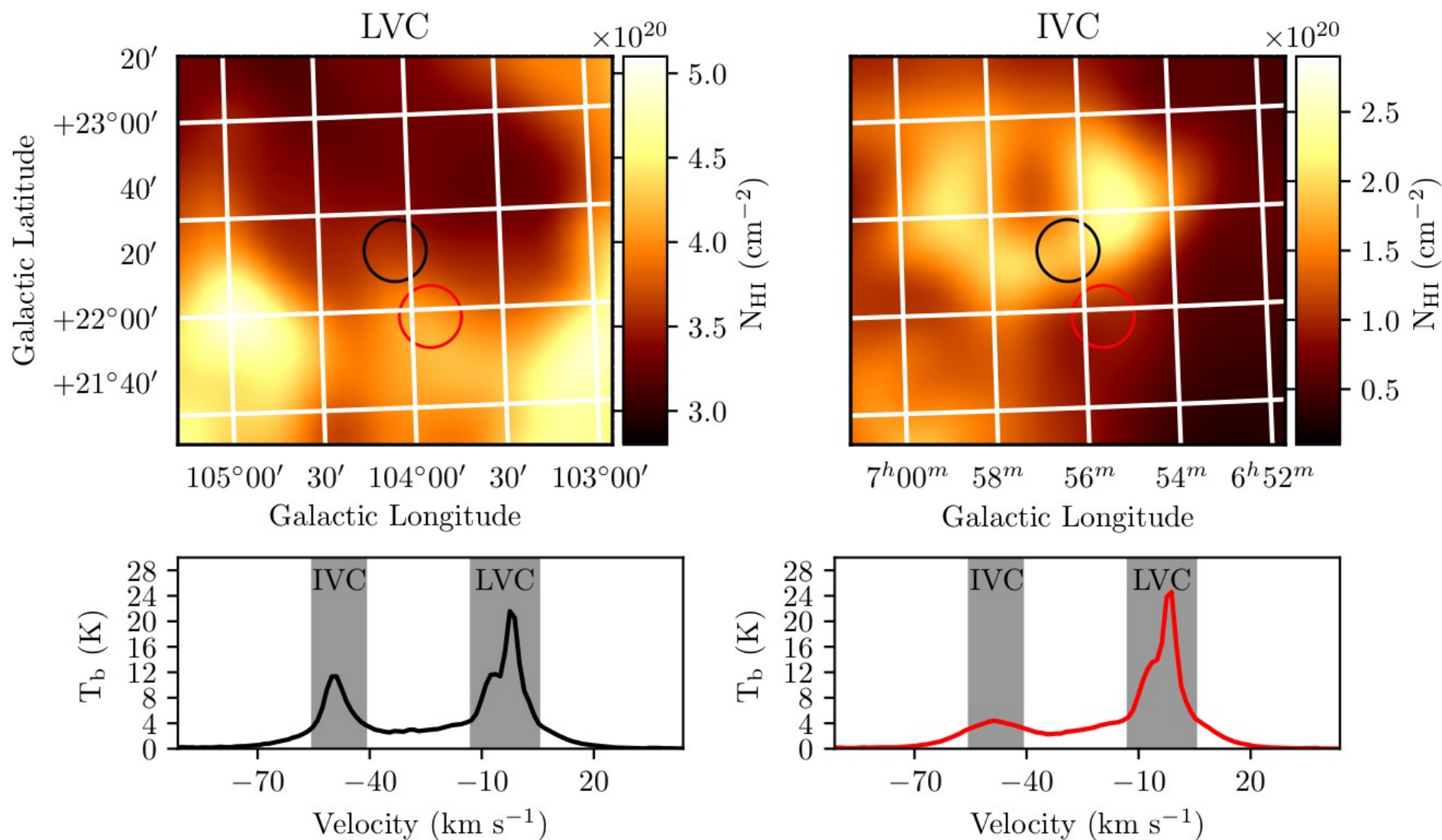
The target region in HI

-61.7 km/s

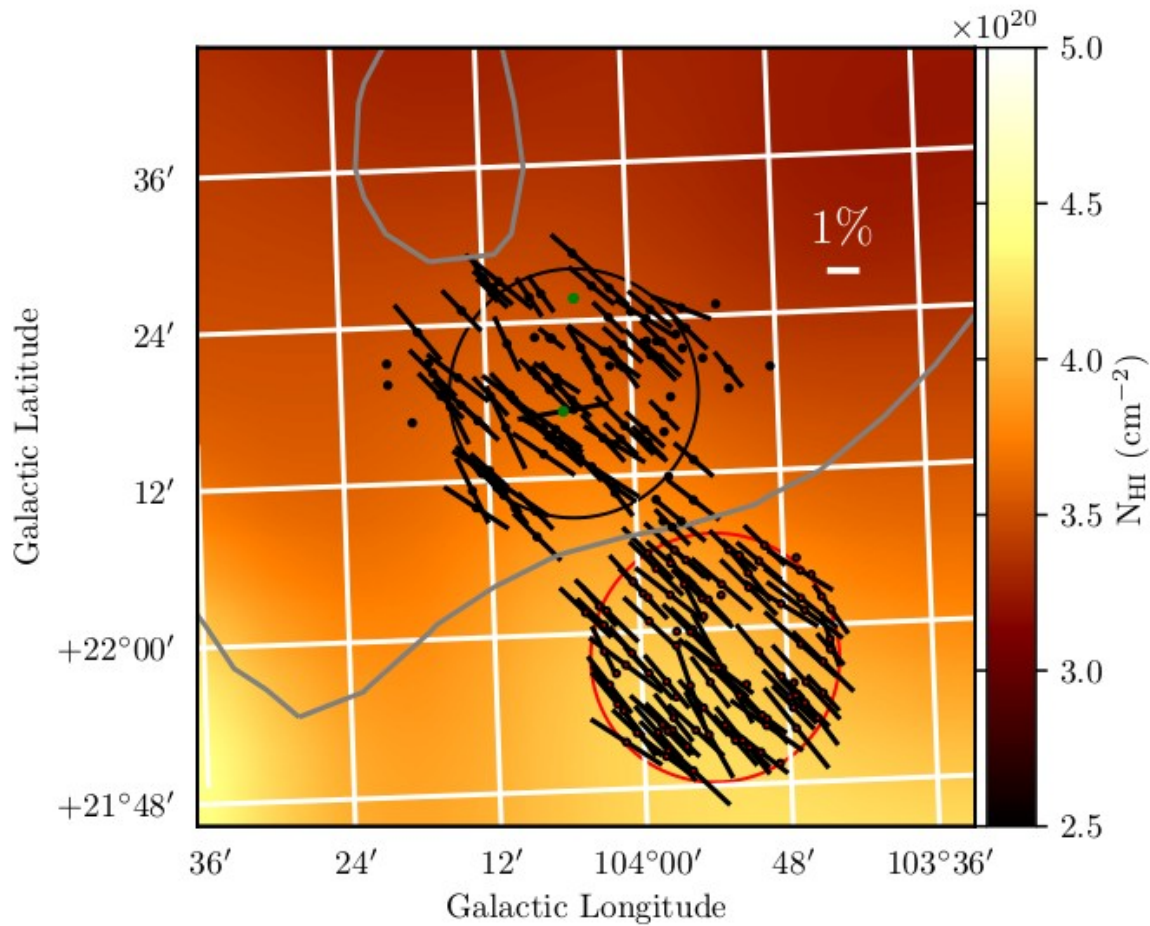


Effelsberg-
Bonn HI
Survey
(Winkel+ 2016)

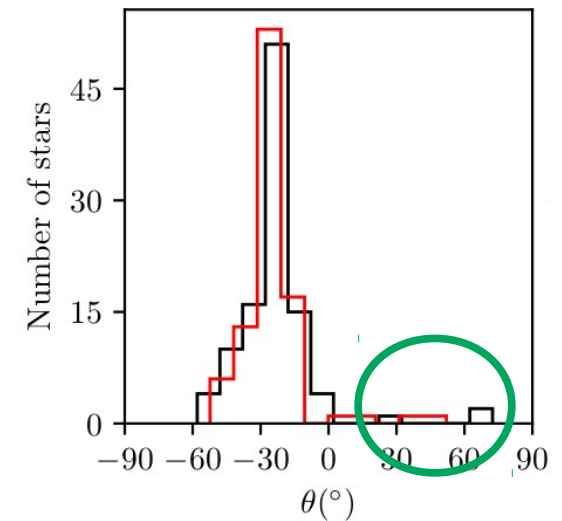
Two very different clouds along the same line of sight



Stellar polarizations in 2D



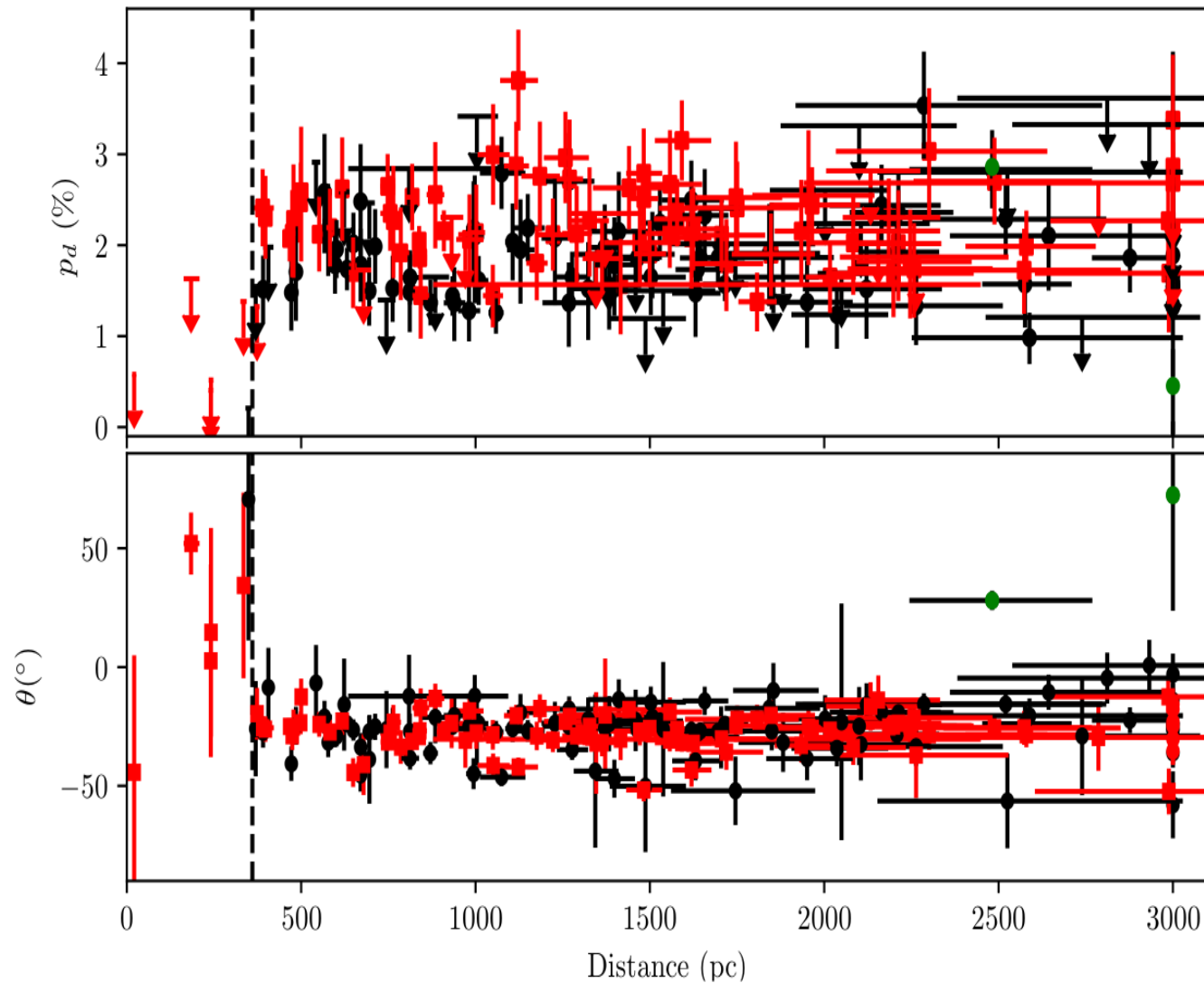
PDF of polarization angle



Previously unknown
intrinsically
polarized sources

No indication of difference between regions
by looking at polarization angles in 2D

Looking into the line-of-sight dimension with Gaia distances

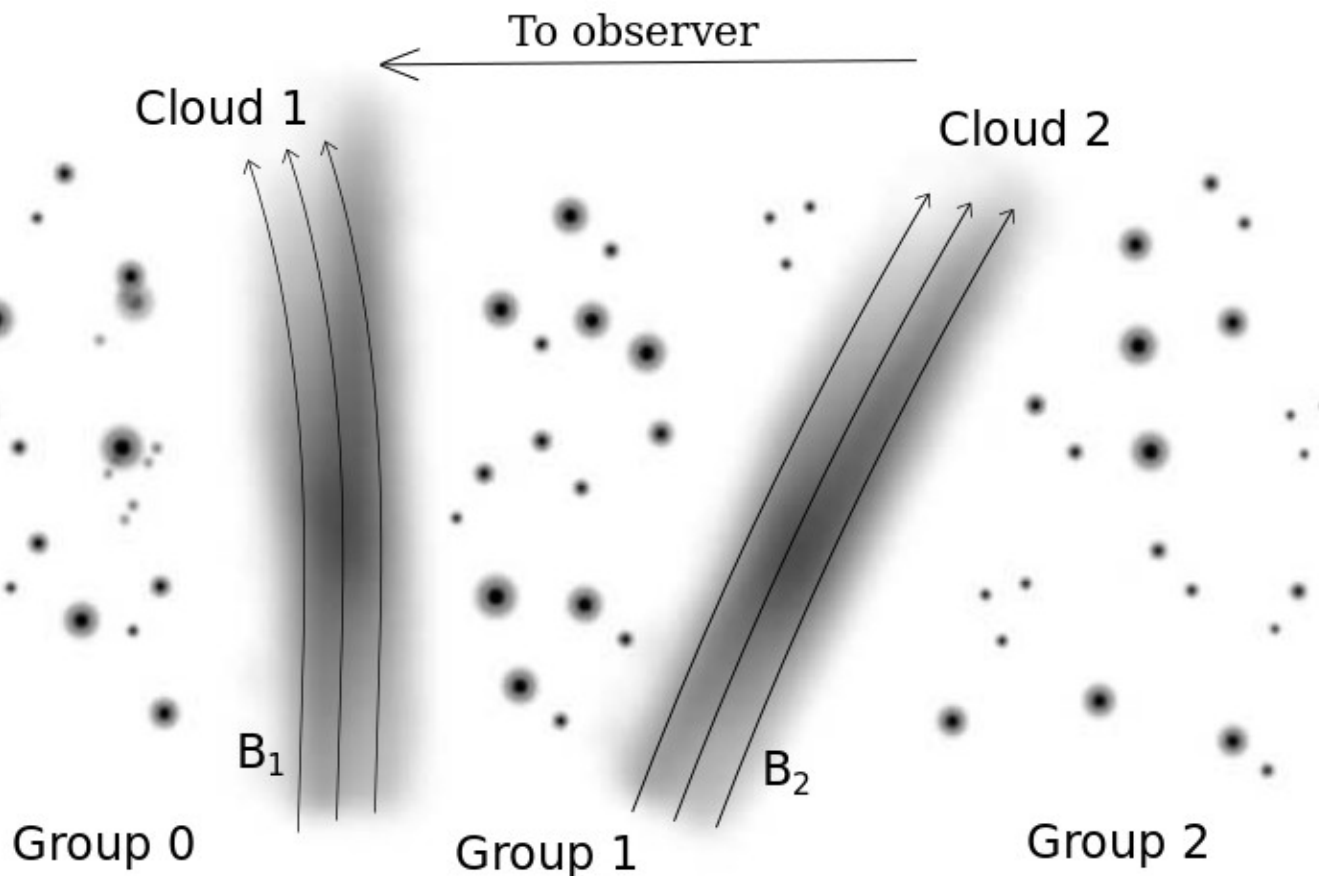
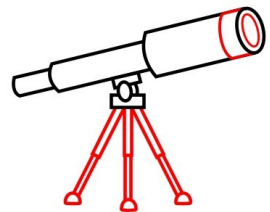


Decomposing the polarization properties of the clouds

$$\langle q_{obs} \rangle = 0$$
$$\langle u_{obs} \rangle = 0$$

$$\langle q_{obs} \rangle = \langle q_1 \rangle$$
$$\langle u_{obs} \rangle = \langle u_1 \rangle$$

$$\langle q_{obs} \rangle = \langle q_1 \rangle + \langle q_2 \rangle$$
$$\langle u_{obs} \rangle = \langle u_1 \rangle + \langle u_2 \rangle$$



Statement of the problem

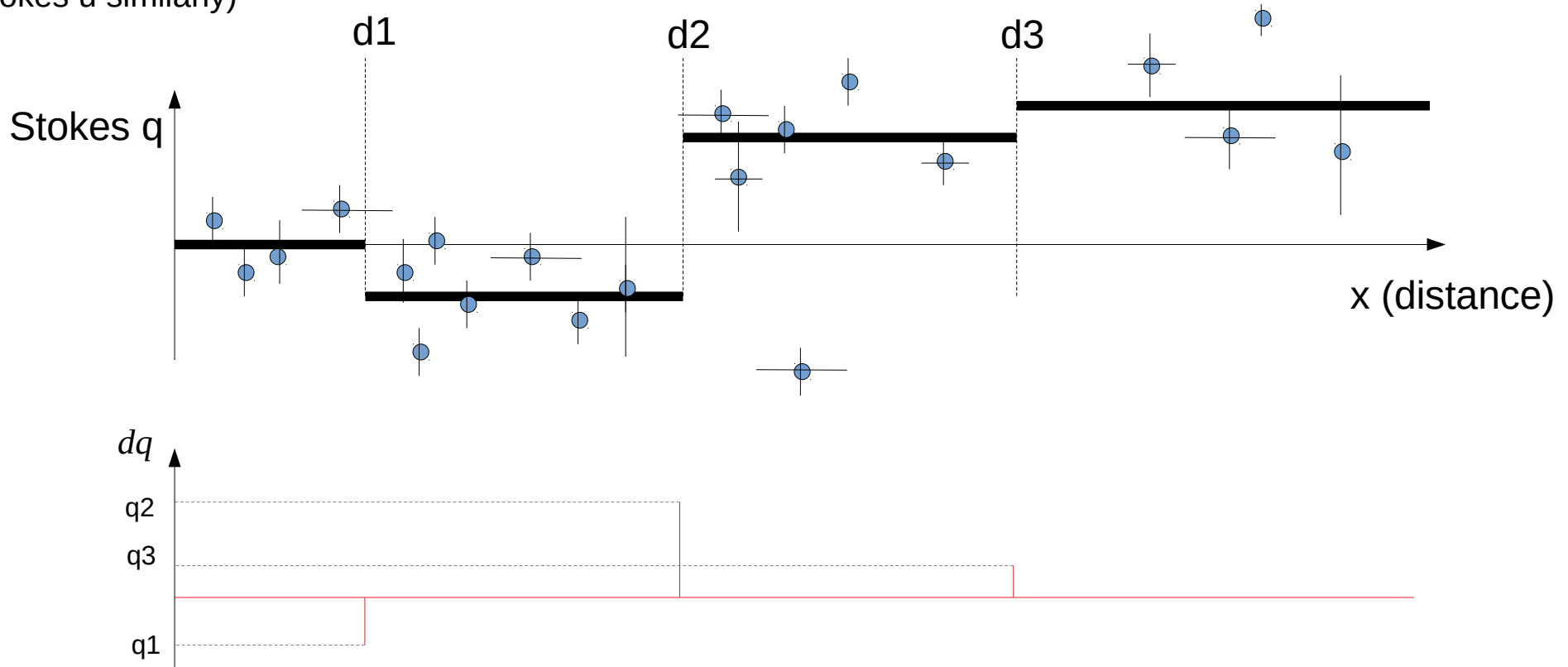
We wish to determine:

$$q(x) = \begin{cases} 0, & 0 \leq x < d_1 \\ q_1, & d_1 \leq x < d_2 \\ q_1 + q_2, & d_2 \leq x < d_3 \\ q_1 + q_2 + q_3, & d_3 \leq x < \dots \end{cases}$$

Unknowns:

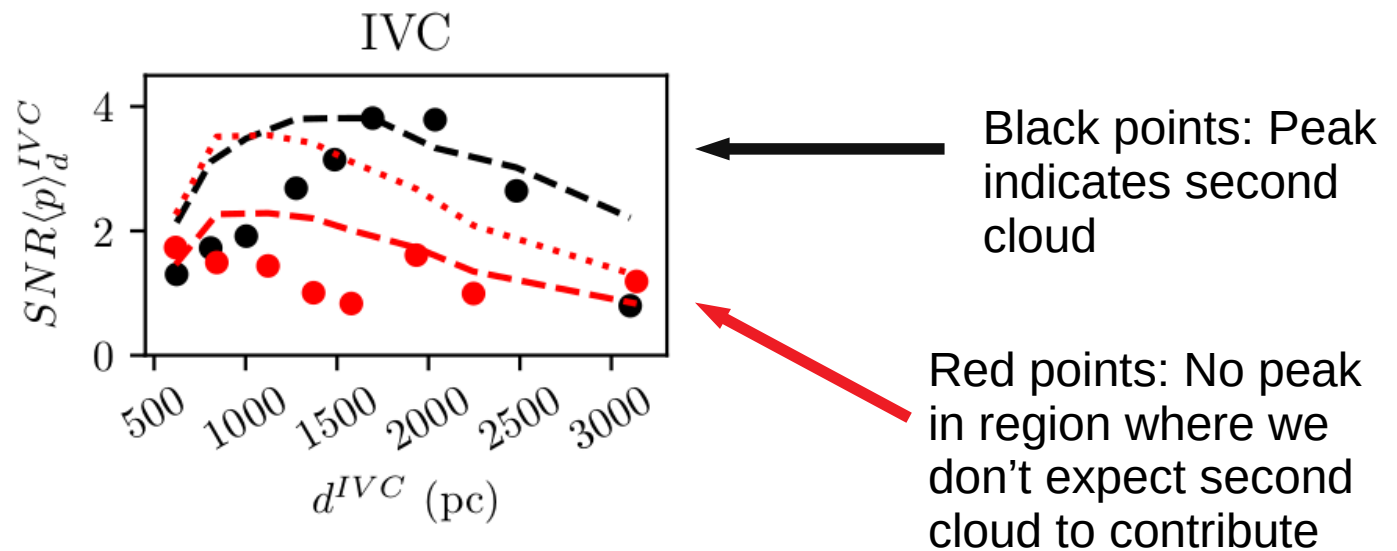
- N_{clouds} Number of clouds
- d_1, d_2, d_3, \dots Location of clouds
- q_1, q_2, q_3, \dots Cloud polarization properties

(And Stokes u similarly)

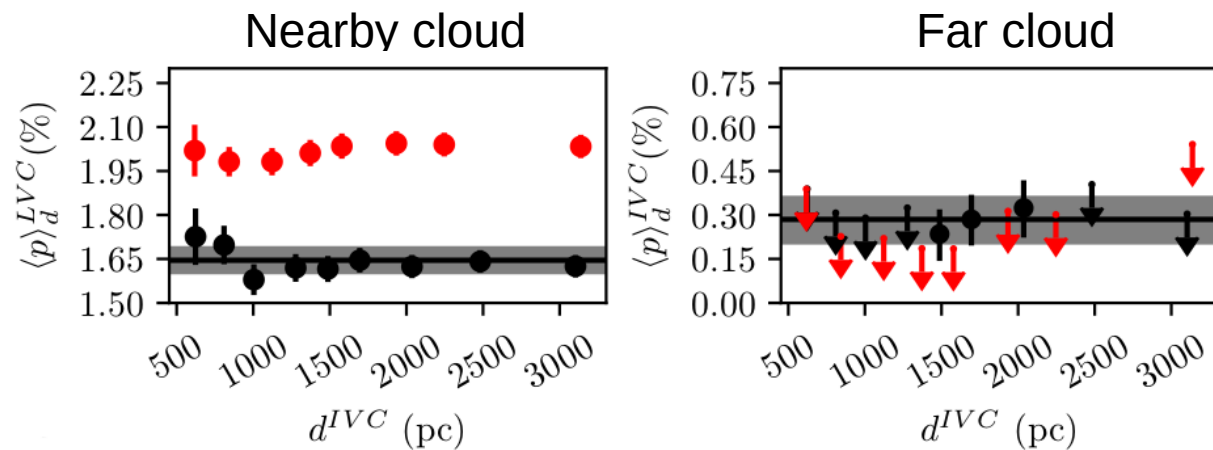


To locate clouds look for a peak in the derivative of the polarization fraction $p = \sqrt{q^2 + u^2}$

We can detect the effect of the second cloud!

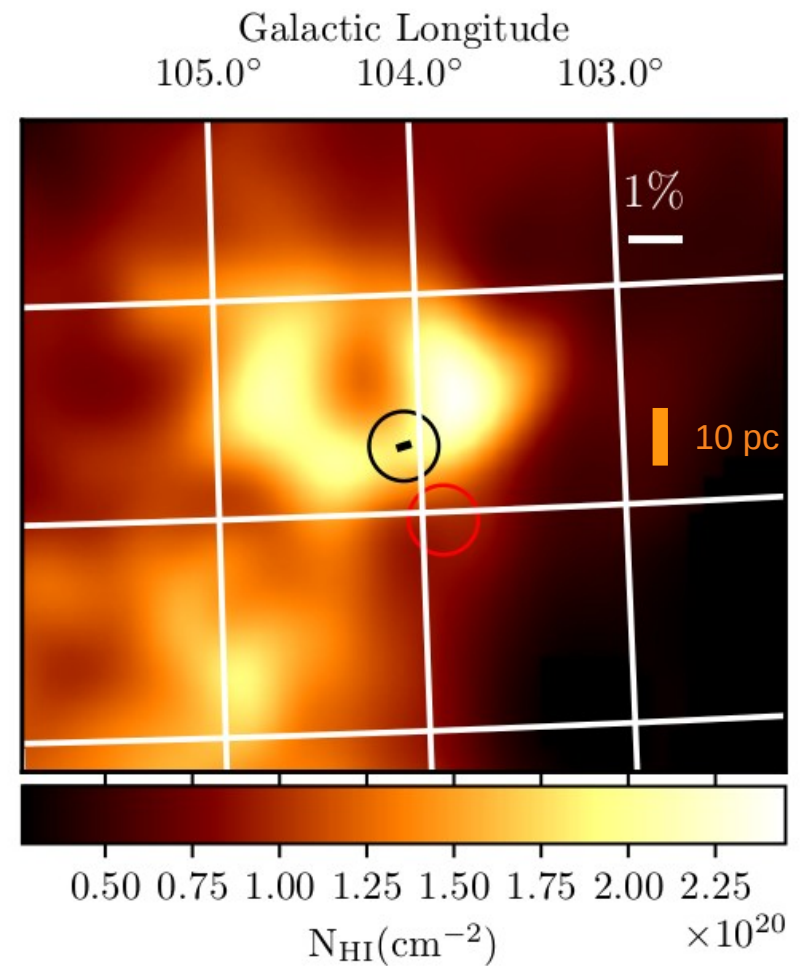
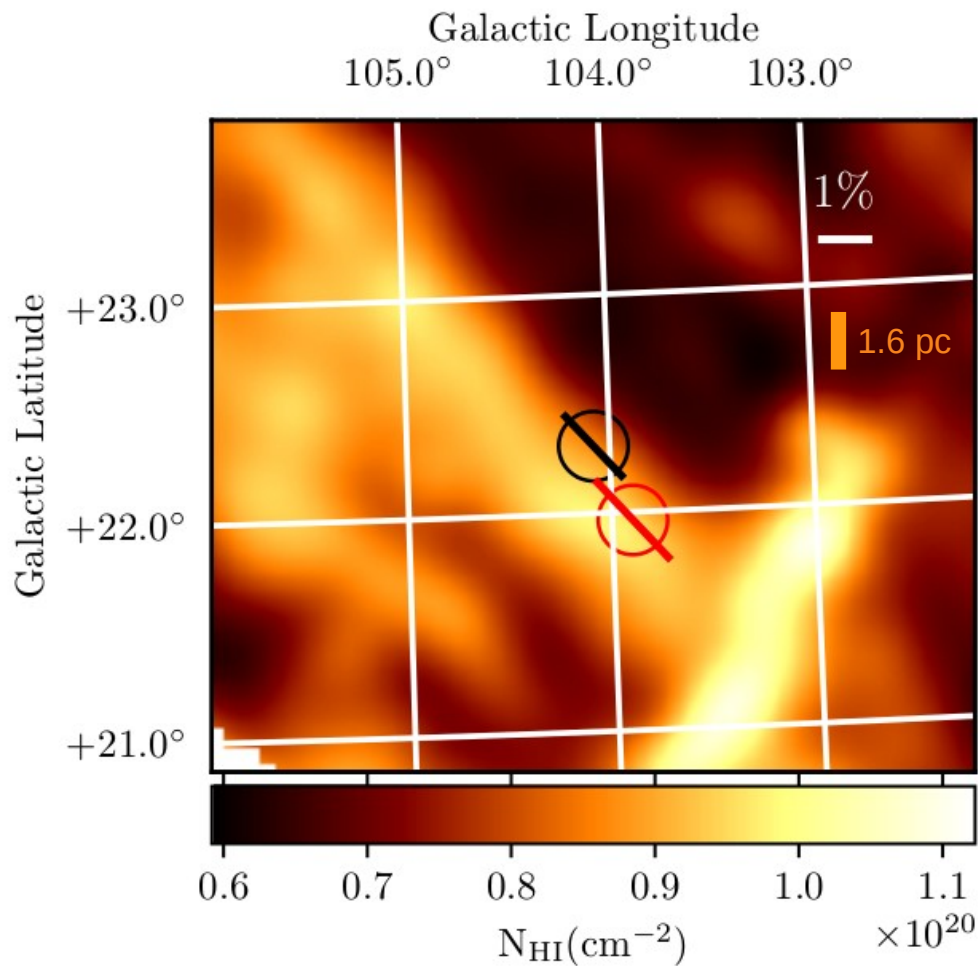


Now we can decompose the polarization from each cloud...

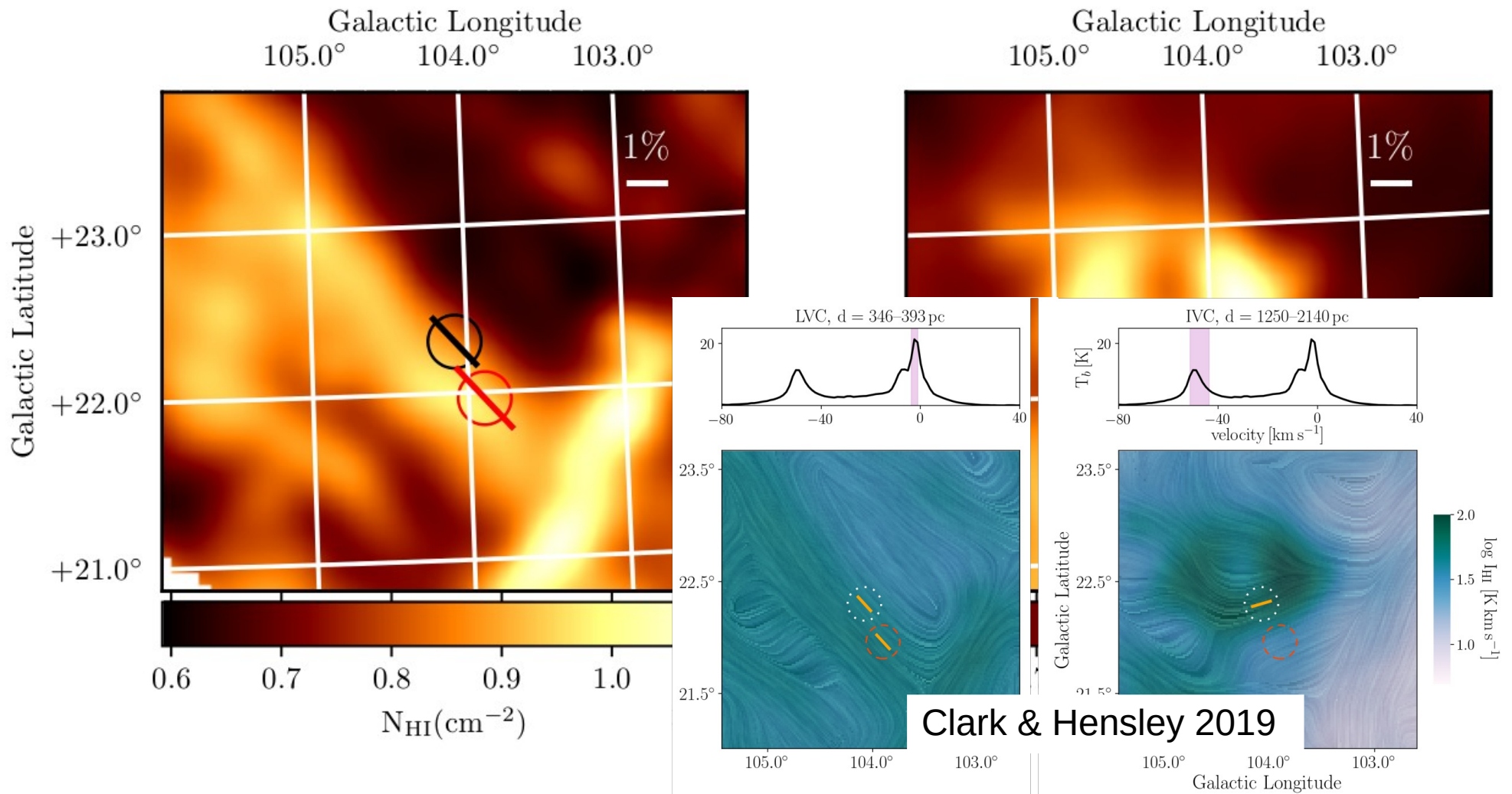


The nearby cloud causes 5-6 times more polarization than the far cloud

The magnetic field orientation in each cloud

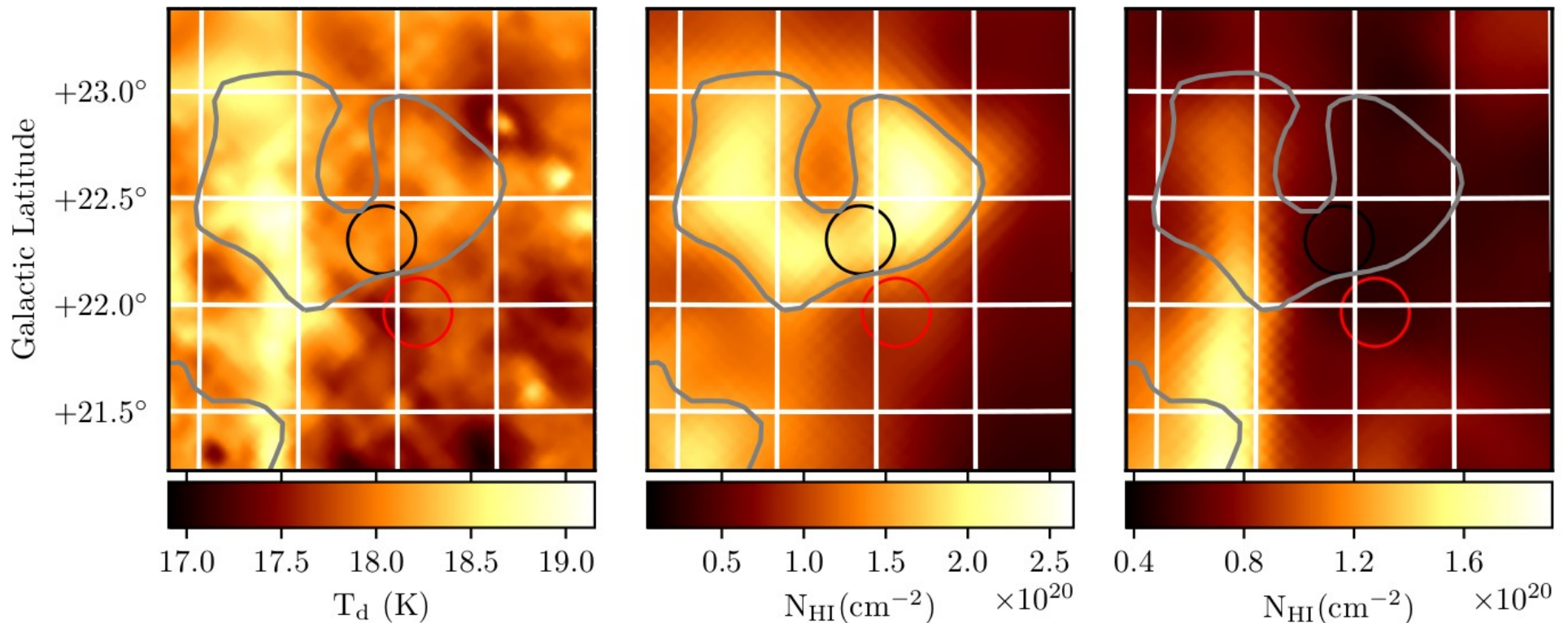


The magnetic field orientation in each cloud



Dust temperature too varies along line of sight?

Galactic Longitude
105.0° 104.5° 104.0° 103.5° 103.0°



Other IVCs known to have higher dust temperature than local gas (Planck XXIV 2011)

Modeling dust emission from 2 clouds

1. The 2-cloud model:

$$I_{\text{tot}} = I_1 + I_2$$

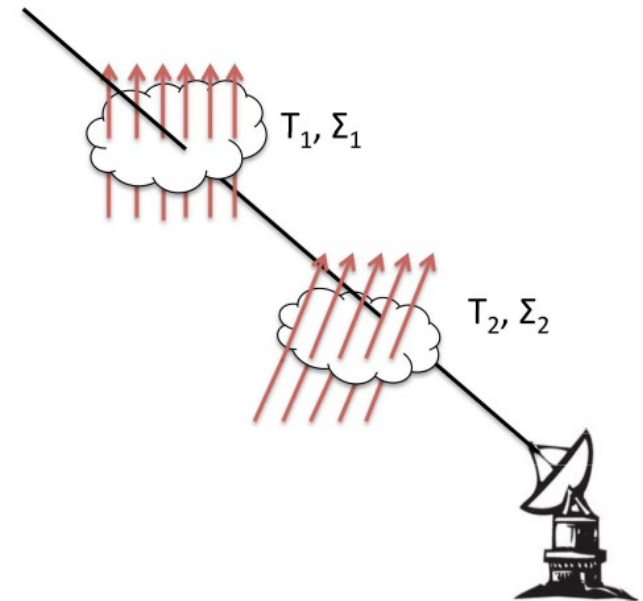
$$Q_{\text{tot}} = Q_1 + Q_2$$

$$U_{\text{tot}} = U_1 + U_2$$

2. Stokes parameters for each cloud:

$$I_{\nu}^{C_i} \propto \underline{c^{C_i}} \left(\frac{\nu}{\nu_0}\right)^{\beta^{C_i}} \underline{N_H^{C_i}} B(\nu, T^{C_i}),$$

$$Q_{\nu}^{C_i} = \underline{p_{\nu}^{C_i}} I_{\nu}^{C_i} \cos \underline{2\chi^{C_i}}, \quad U_{\nu}^{C_i} = \underline{p_{\nu}^{C_i}} I_{\nu}^{C_i} \sin \underline{2\chi^{C_i}}$$



Measured from HI +
starlight polarizaton

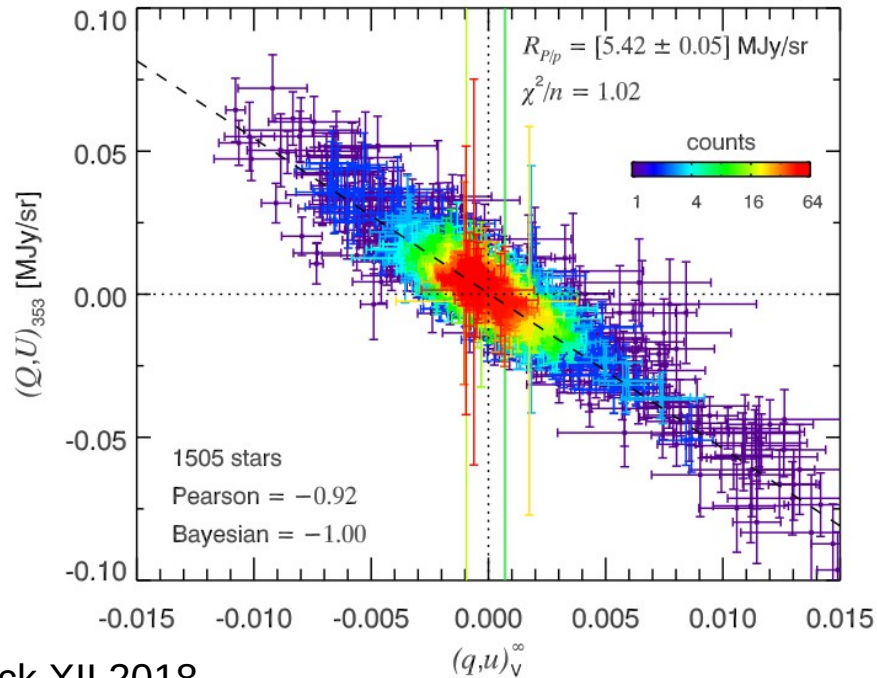
From educated guesses

c : dust-to-gas mass ratio, N_H : HI column density,

T : temperature, C_i : the i -th cloud, χ = polarization angle (emission)

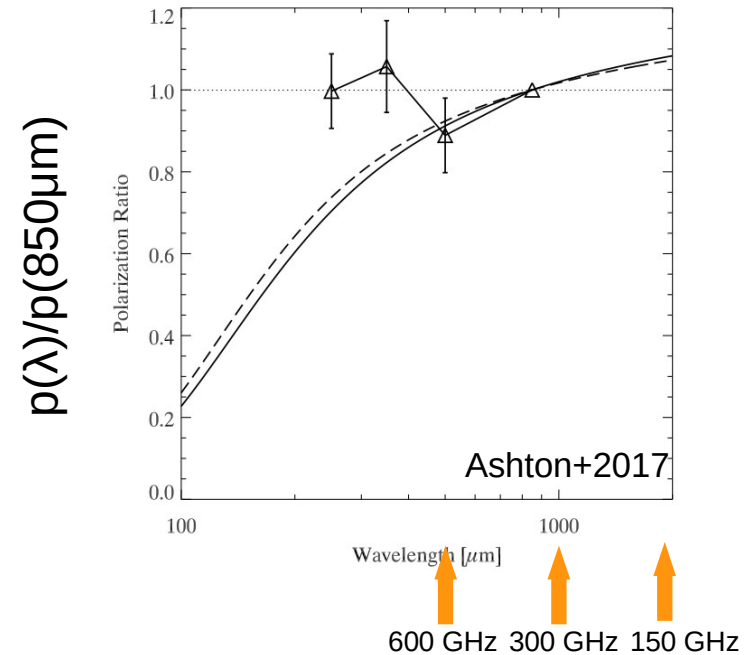
Constraining the unknown parameters

Starlight p is proxy for dust emission P_{353}



Planck XII 2018

Per cloud: $p(\nu) \sim \text{constant}$

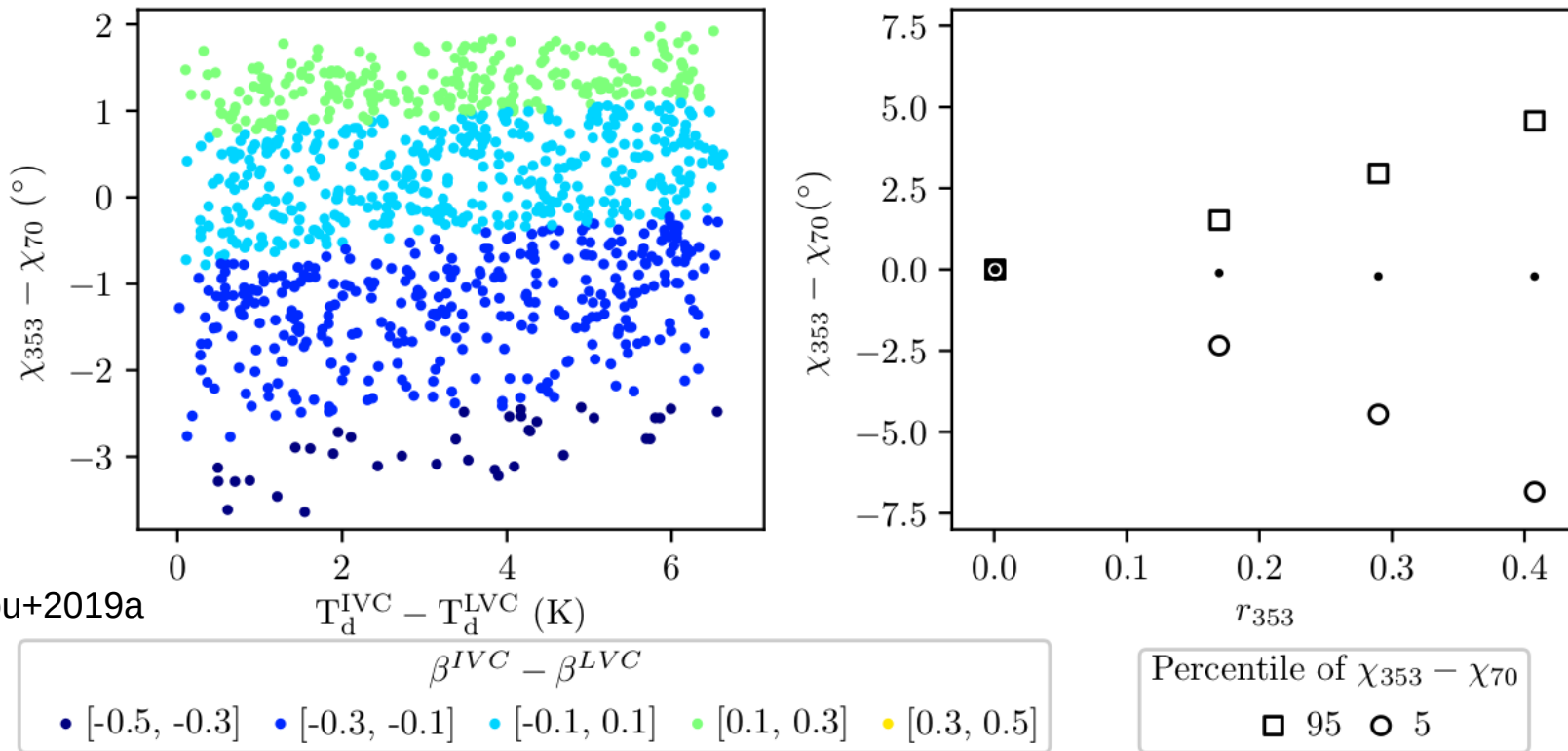


But also just from:

$$p = \frac{\sqrt{Q_V^2 + U_V^2}}{I_V} = \frac{\sqrt{(AQ)^2 + (AU)^2} \left(\frac{\nu}{\nu_0}\right)^\beta B_V(T)}{A^I \left(\frac{\nu}{\nu_0}\right)^\beta B_V(T)}$$

If we assume $P_{353}^{C_1}/p_V^{C_1} = P_{353}^{C_2}/p_V^{C_2}$ and $p(\nu) \sim \text{const}...$
the only remaining unknowns are temperature, β

Predicting the polarization angle at different frequencies



Polarization angle with 2-cloud model:

$$\chi_{\nu} = \frac{1}{2} \arctan \frac{r_{\nu} \sin 2\chi^{C_1} + \sin 2\chi^{C_2}}{r_{\nu} \cos 2\chi^{C_1} + \cos 2\chi^{C_2}}$$

$$r_{\nu} = \frac{P_{\nu}^{C_1}}{P_{\nu}^{C_2}} = \frac{p_{\nu}^{C_1} I_{\nu}^{C_1}}{p_{\nu}^{C_2} I_{\nu}^{C_2}}$$

Summary

Upcoming optical polarization survey & Gaia enables 3D B-field mapping

1st pathfinding demonstration of tomographic capabilities successful

Exciting future prospects for 3D modeling: starlight polarization, HI, dust extinction, MHD simulations...

Thank you

