

# To shatter, or not to shatter?

The search for a converged model of the CGM

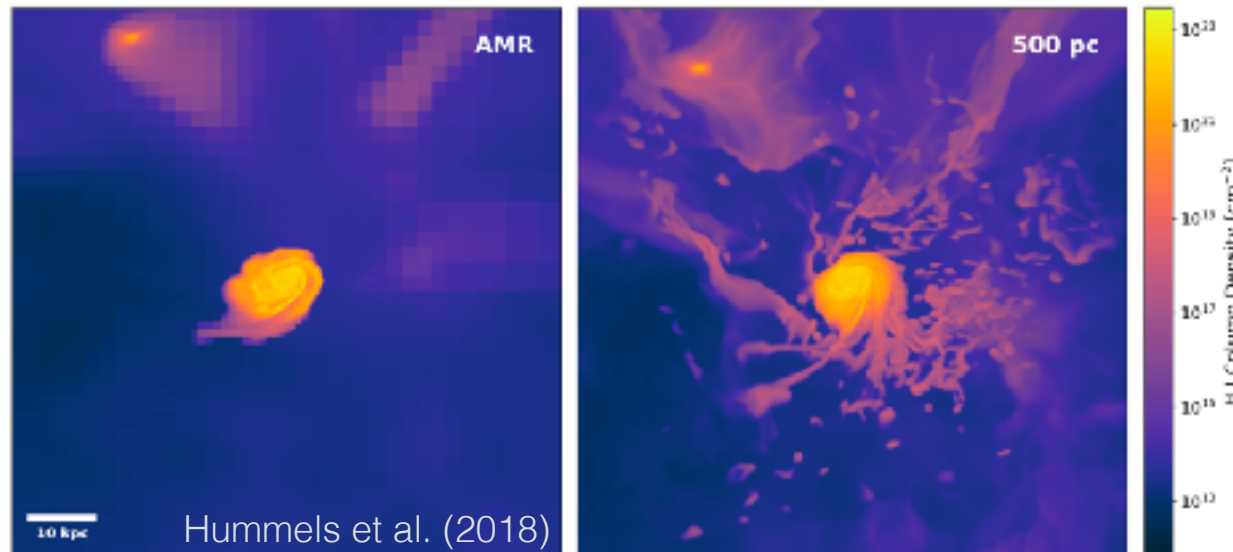
*or: What happens to a gas potato in the CGM?*

MaxGronke

Hubble fellow/UCSB

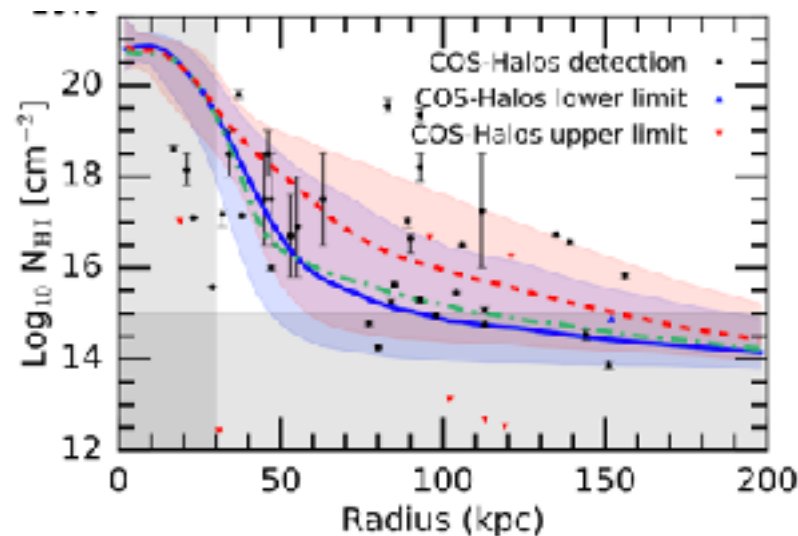
with PengOh

# The issue of non-convergence



Hummels et al. (2018)

dian column density value, primarily in the interior 40 kpc (about half the virial radius). However, the entire median HI column density profile is boosted at all impact parameters for our highest-resolution (500 pc) simulation, increasing observed HI column densities by a factor of two throughout the halo. No convergence in this behavior is seen, suggesting that additional EHR will lead to even larger observed HI column densities.



standard simulation with only mass refinement. However, the median neutral hydrogen column density is much higher in the 1 kpc spatially refined simulation, by up to 1.6 dex. The HI column density could potentially increase even further, because the results are not yet converged. The scatter between HI sightlines is large in all simulations, especially

van de Voort et al. (2018)

also see  
 Faucher-Giguère et al. (2016)  
 Peebles et al. (2018)  
 Suaresh et al. (2018)

...as seen in Freeke's talk!

+ multiple observations suggesting small-scale structure.

e.g., Rauch et al. (1999), Rigby et al. (2002), Shaye et al. (2007), Lau et al. (2015), Churchill et al. (2003), Crighton et al. (2015), Lan et al. (2017)...

Hindering comparison to observations:

(mis)match due to model or numerics?





# The road to convergence

1. What is the characteristic scale of cold gas in the CGM?

2. Can we (soon) resolve it?

Yes

Great!



No

Subgrid model?



“Schwerbelastungskörper”



Two scales in this talk:

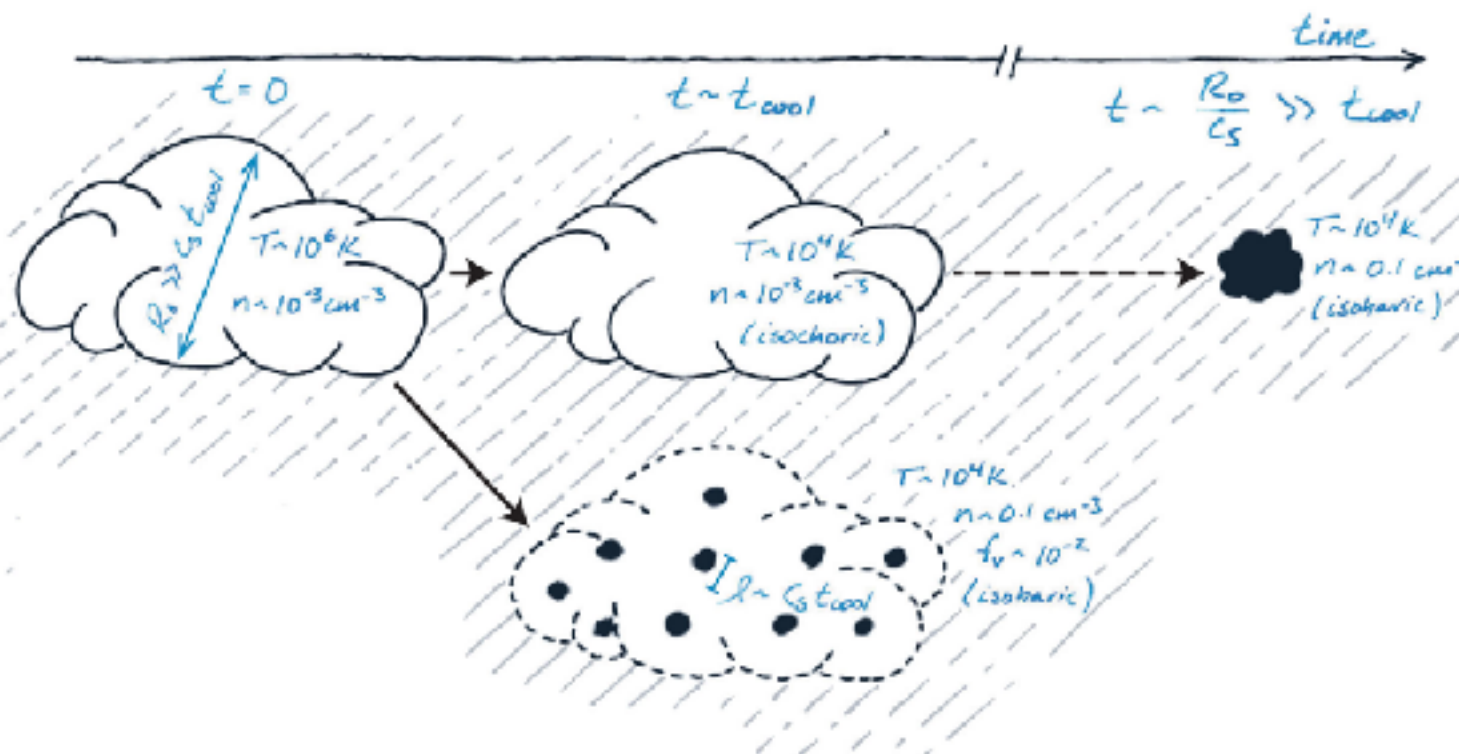
(a) **shattering** scale

(b) **survival** length

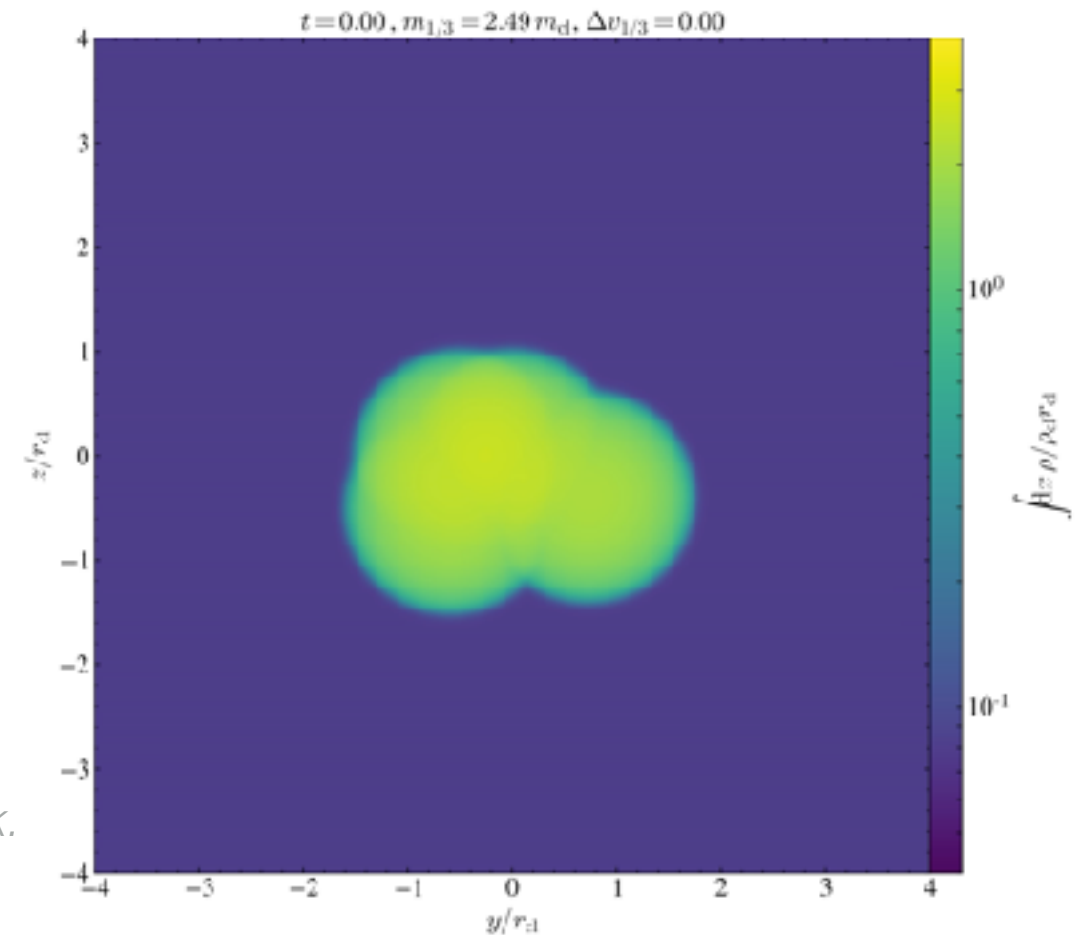
# (a) shattering scale

## A characteristic scale for cold gas

Michael McCourt,<sup>1\*</sup>† S. Peng Oh,<sup>1\*</sup> Ryan O’Leary<sup>2</sup> and Ann-Marie Madigan<sup>2,3</sup>



...as also seen in Cameron's talk.



$$l_{shatter} \sim \min(c_s t_{cool}) \sim 0.1 (n/cm^{-3})^{-1} \text{ pc}$$

**Problem: will droplets survive?**

# Cloud survival in a hot medium

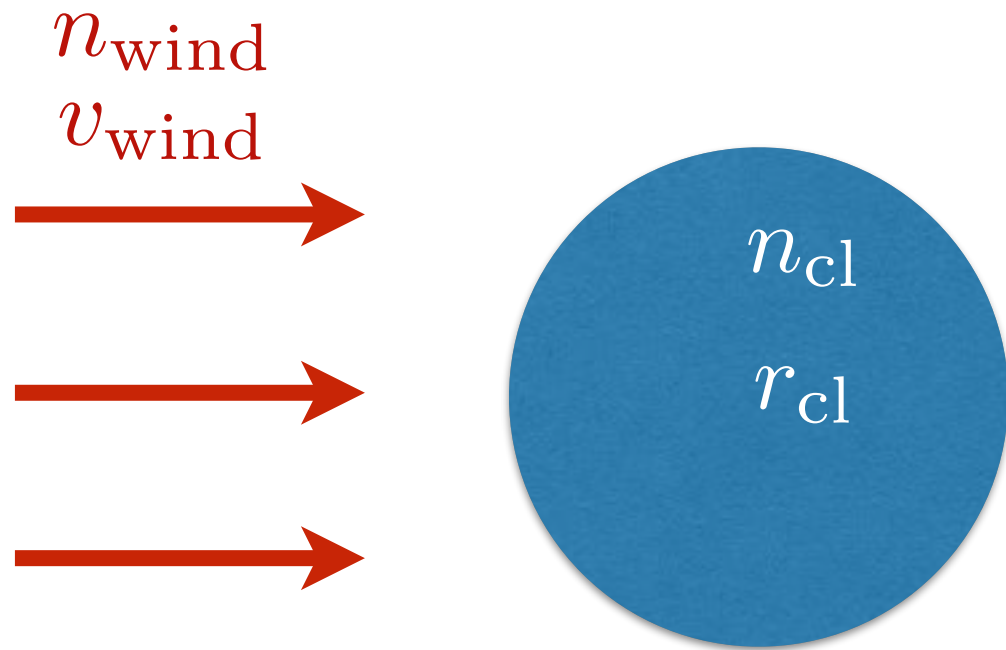
*Destruction time*

$$t_{cc} \sim \chi^{1/2} \frac{r_{cl}}{v_{wind}}$$

with  $\chi \equiv \frac{n_{cl}}{n_{wind}}$

*Acceleration time*

$$t_{drag} \sim \chi \frac{r_{cl}}{v_{wind}}$$



$$\chi \equiv \frac{n_{cl}}{n_{wind}} \sim \frac{T_{wind}}{T_{cl}} \gtrsim 100 \quad \Rightarrow \quad t_{drag} \gg t_{cc} \quad \Rightarrow \quad \text{Cloud destroyed quickly!}$$

**but if  $t_{cool,mix} < t_{cc}$  cloud will survive!**

MG & Oh (2018)

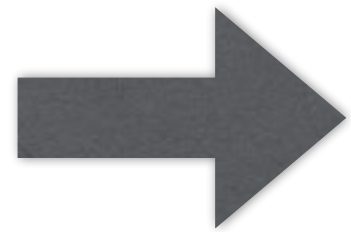
cooling time of *mixed* gas ( $T_{mix} \sim \sqrt{T_{cl} T_{wind}}$ )

Begelman & Fabian (1990)

## (b) survival length

Require  $t_{cool,mix} < t_{cc}$  for cold gas survival

reminder:  $t_{cc} \sim \chi^{1/2} \frac{r_{cl}}{v_{wind}}$

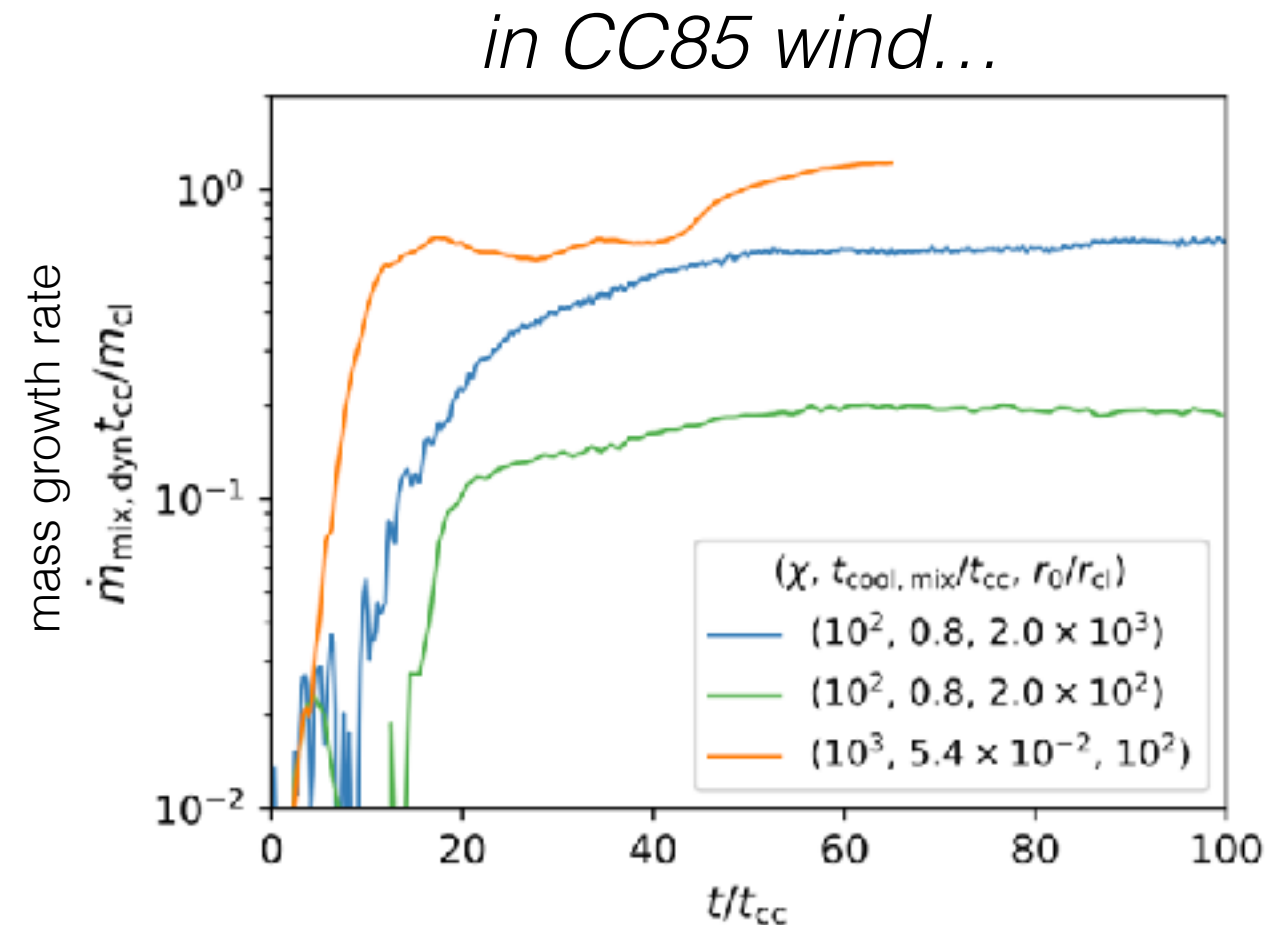
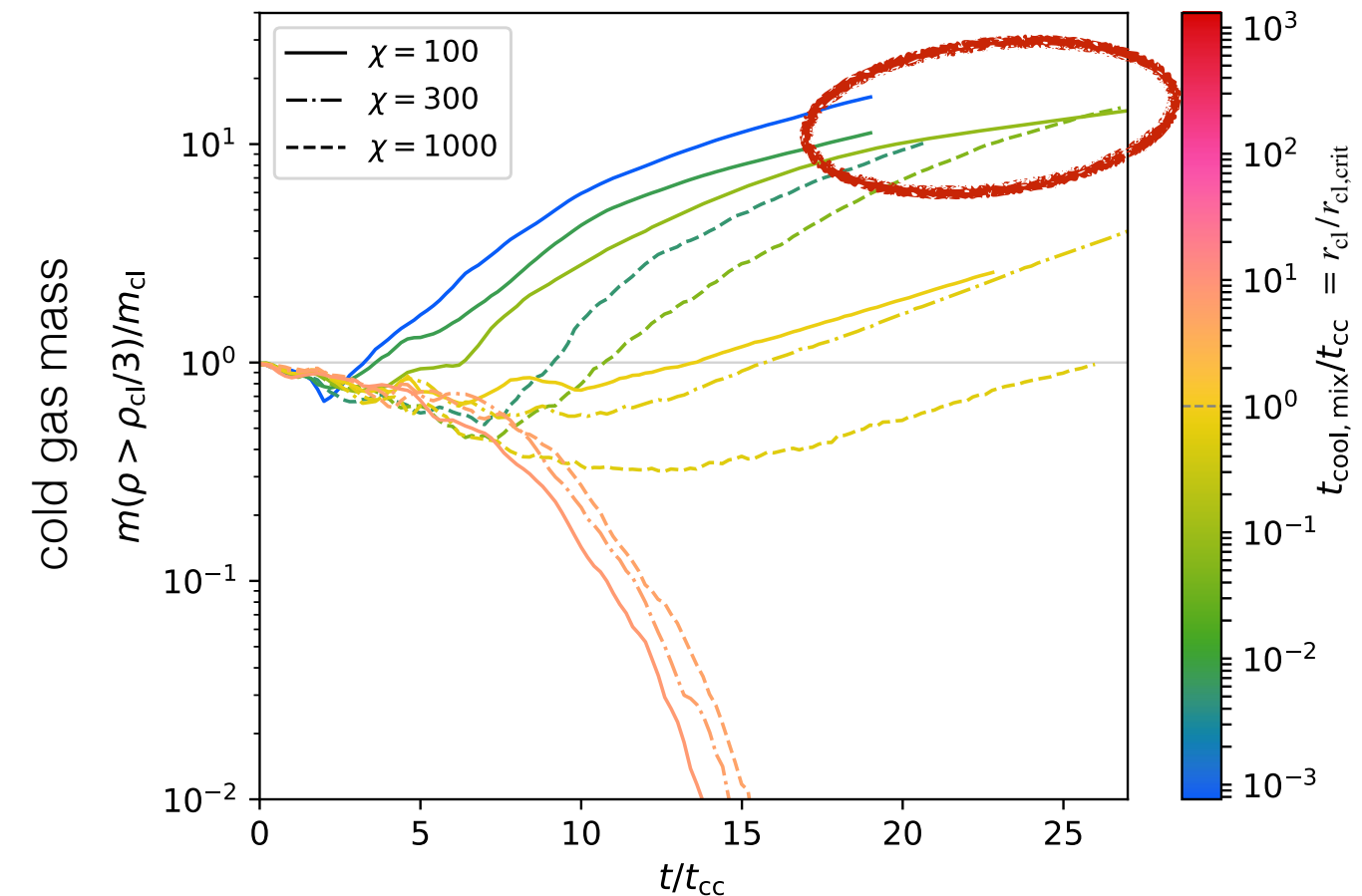


$$r_{cl} > r_{cl,crit} \equiv \frac{v_{wind} t_{cool,mix}}{\chi^{1/2}} \approx 2 \text{ pc} \frac{T_{cl,4}^{5/2} \mathcal{M}_{wind}}{P_3 \Lambda_{mix,-21.4}} \frac{\chi}{100}$$

$T_{cl,4} \equiv (T_{cl}/10^4 \text{ K})$   
 $P_3 \equiv nT/(10^3 \text{ cm}^{-3} \text{ K})$   
 $\Lambda_{mix,-21.4} \equiv \Lambda(T_{mix})/(10^{-21.4} \text{ erg cm}^3 \text{ s}^{-1})$



# Clouds $> r_{\text{cl,crit}}$ will survive and **grow**



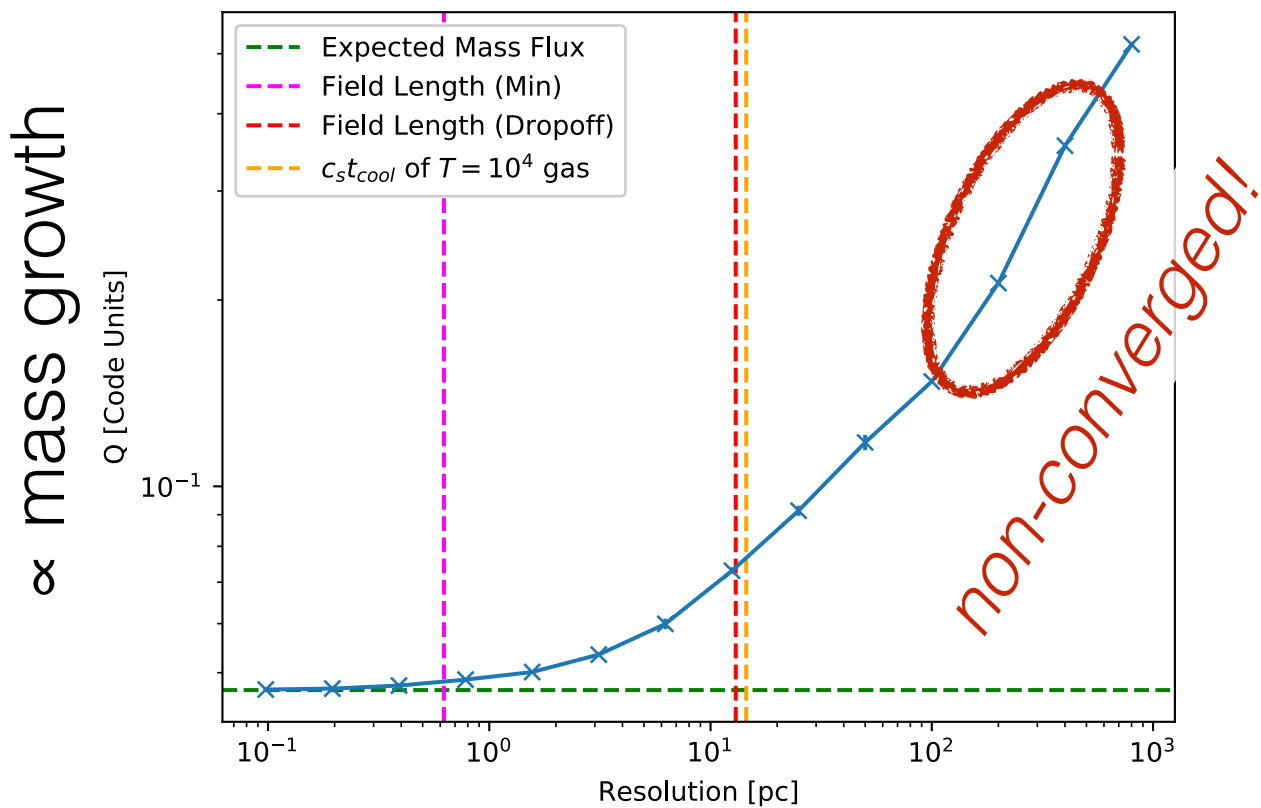
$$M_{\text{cold,CGM}} \sim \int dt \dot{m}_{\text{wind}} \sim \beta M_*$$

(cold gas transported to CGM comparable to stellar mass of galaxy; more work with more realistic wind profiles required)

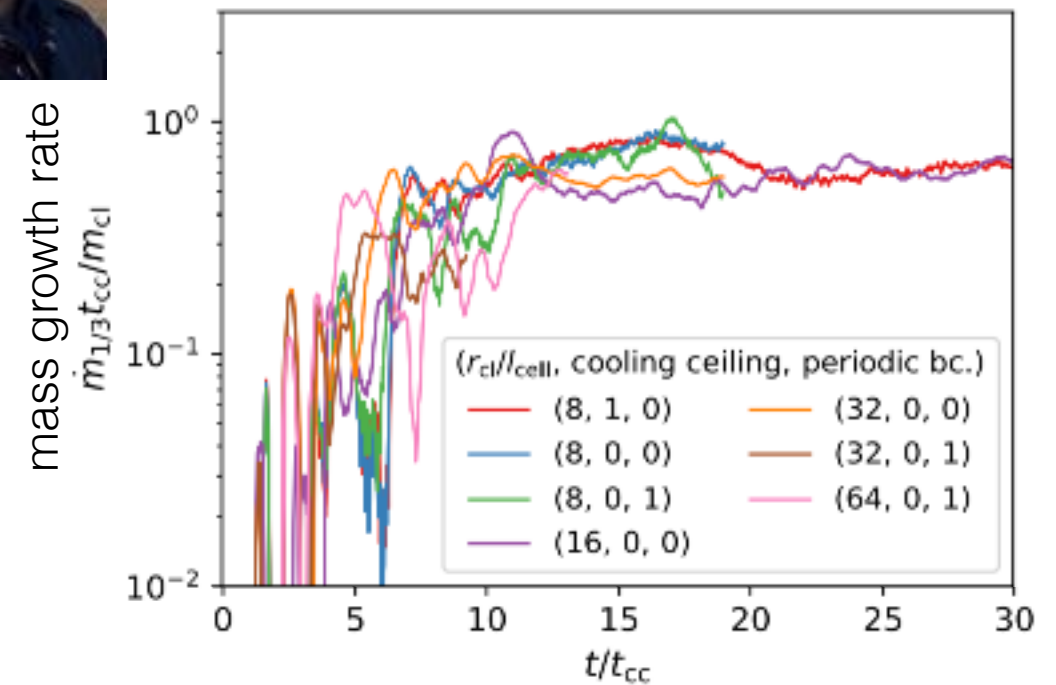
# What about (c) the Field length?

i.e., is the  $r_{cl} > r_{cl,crit}$  mass growth converged in our sims?

**1D cooling layer. Credit: Brent Tan**



**3D windtunnel**

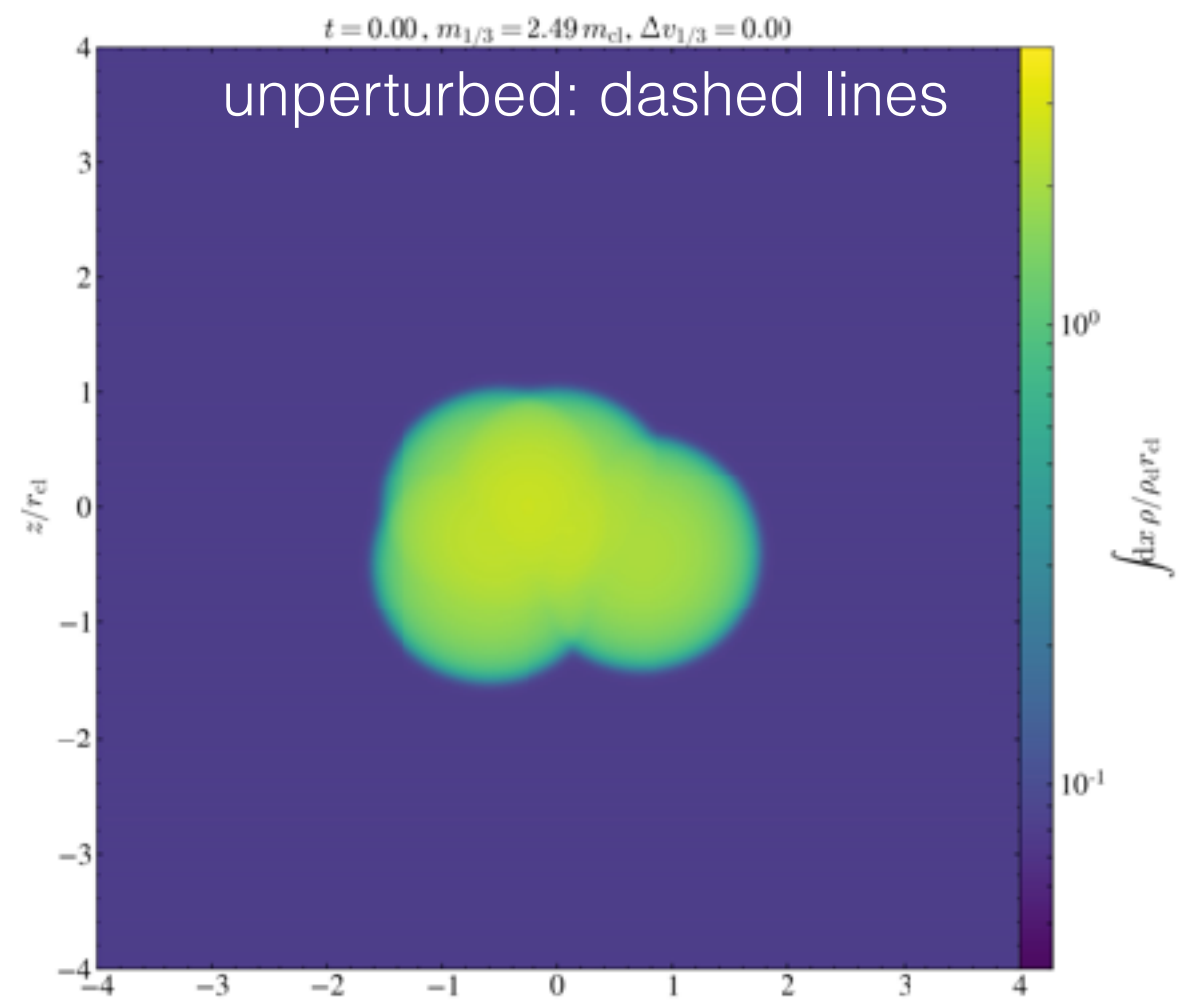
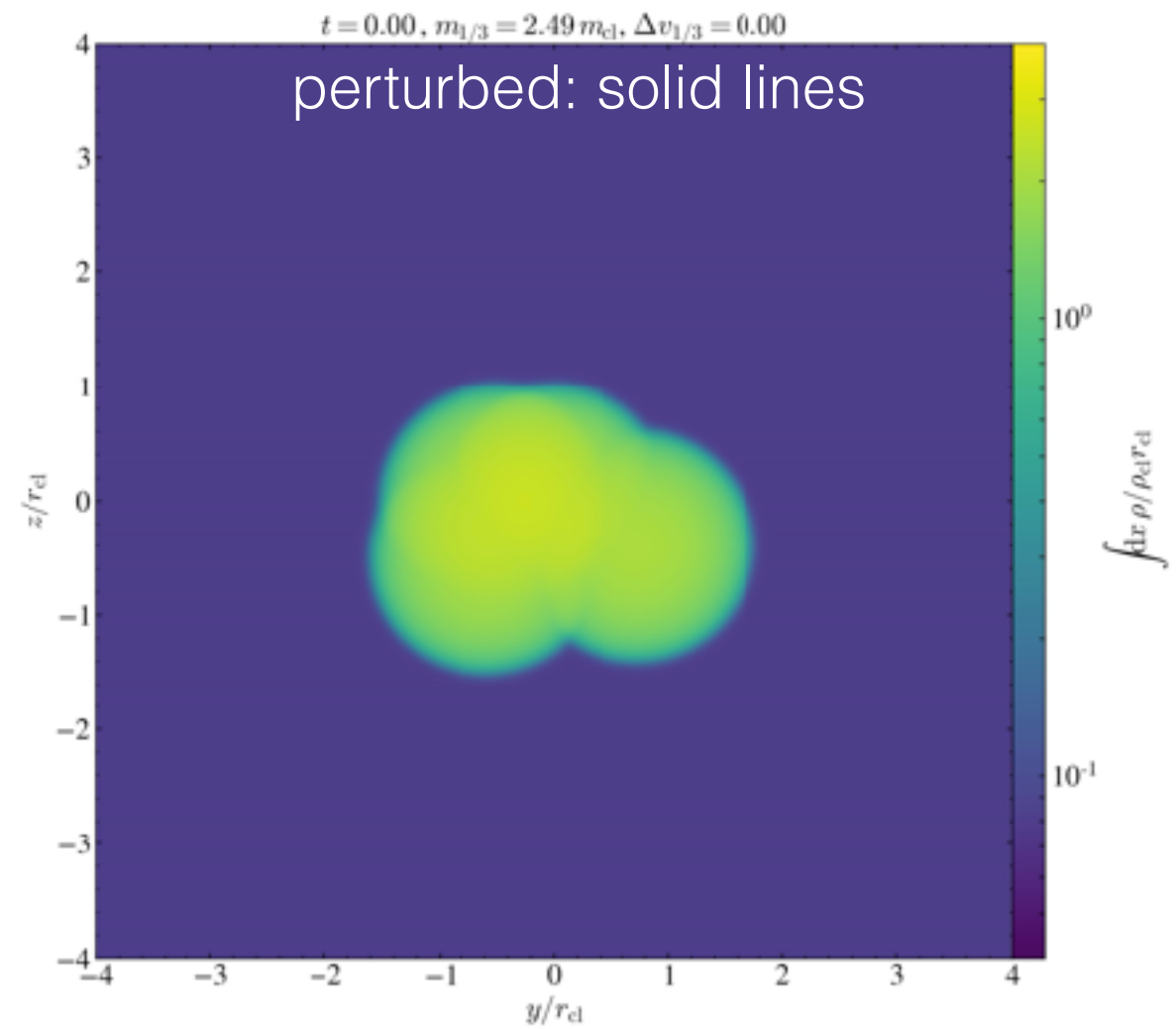
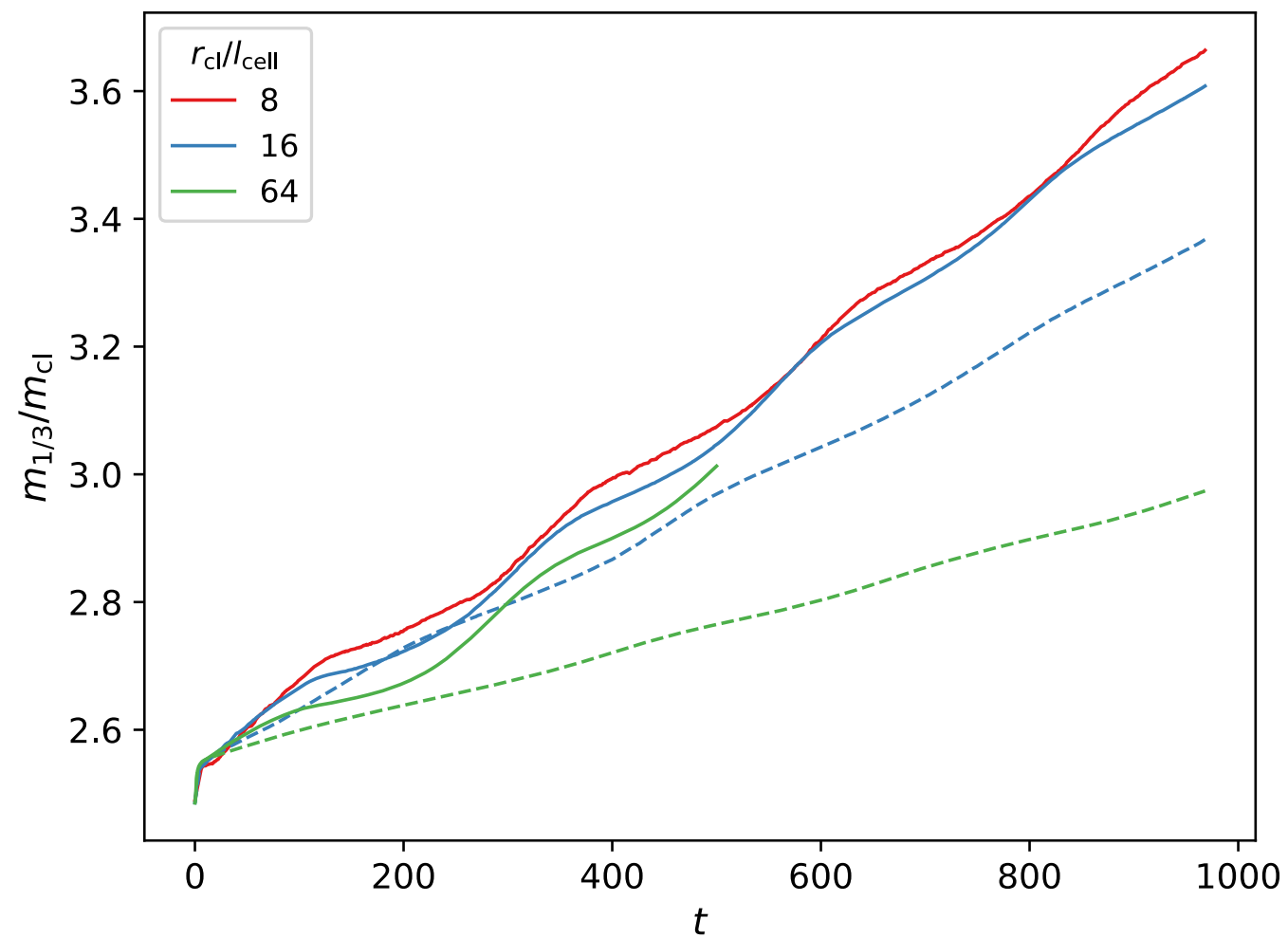


**Dynamics responsible for convergence.** → Drummond's talk.



# Pulsations and convergence

...of cooling induced mass growth.



# Short recap: $l_{\text{shatter}}$ versus $r_{\text{cl,crit}}$

$$l_{\text{shatter}} \sim \min(c_s t_{\text{cool}}) \sim 0.1 (n/\text{cm}^{-3})^{-1} \text{ pc}$$

$$r_{\text{cl,crit}} \sim 2 \frac{T_{\text{cl},4}^{5/2} \mathcal{M}}{P_3 \Lambda_{\text{mix},-21.4}} \frac{\chi}{100} \text{ pc}$$

$$\frac{r_{\text{cl,crit}}}{l_{\text{shatter}}} \sim 10 \mathcal{M} \frac{\chi}{100} \left( \frac{\Lambda(T_{\text{cl}})/\Lambda(T_{\text{mix}})}{0.1} \right)$$

*Idea:* while cooling,  $l_{\text{shatter}}$  emerges naturally

*Idea:* cold gas  $< r_{\text{cl,crit}}$  gets washed away



subgrid model required?



resolving (soon) feasible?

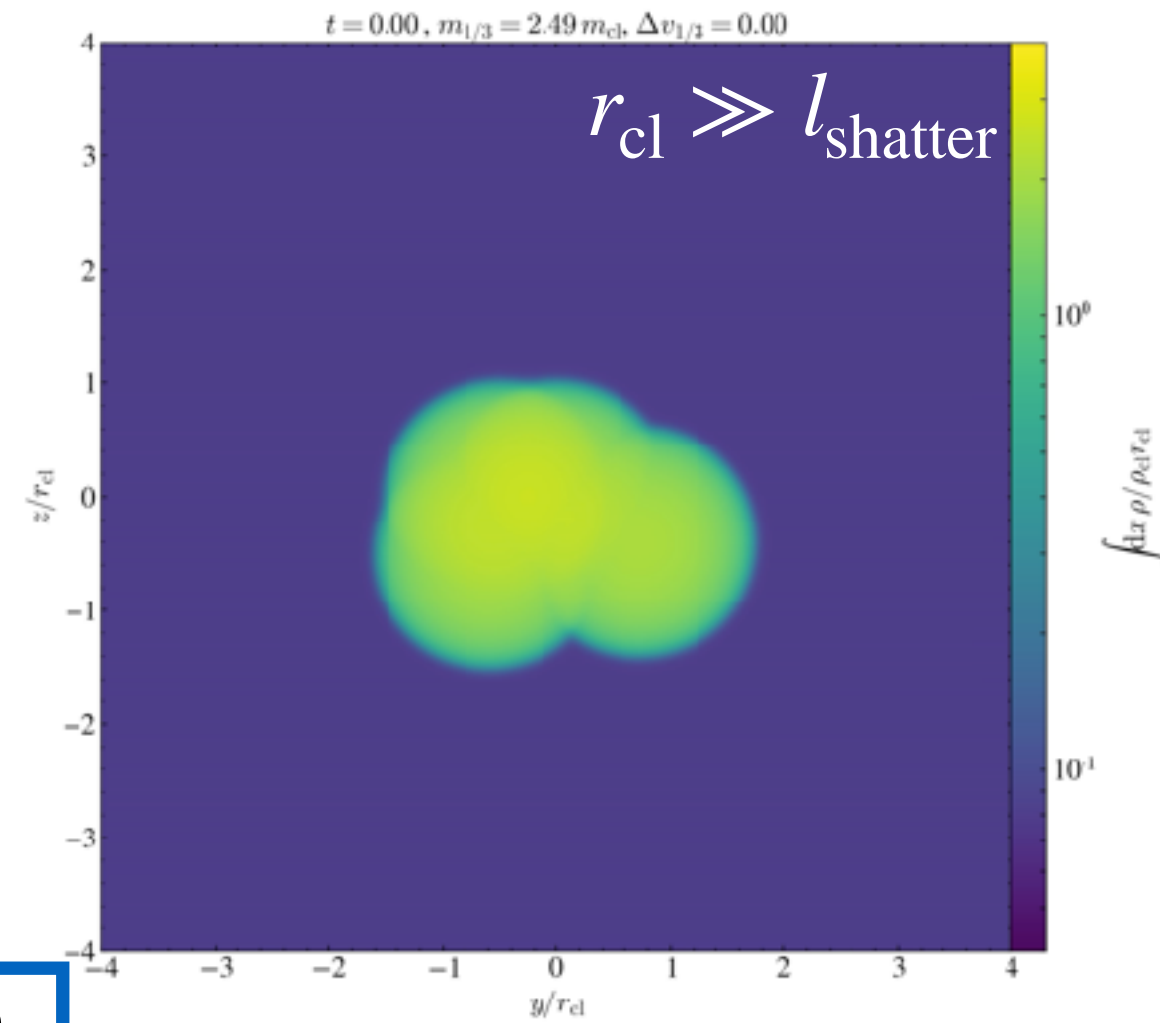
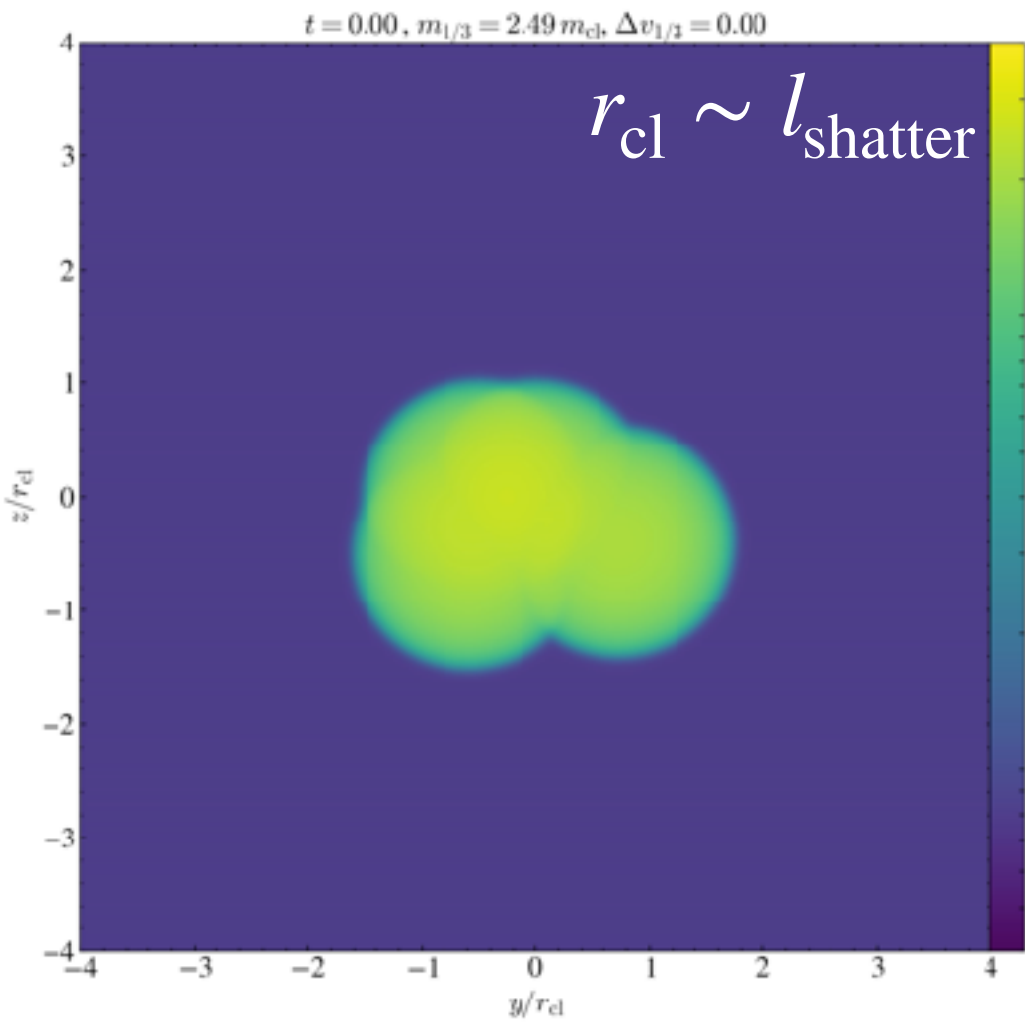


relevant for initial question.

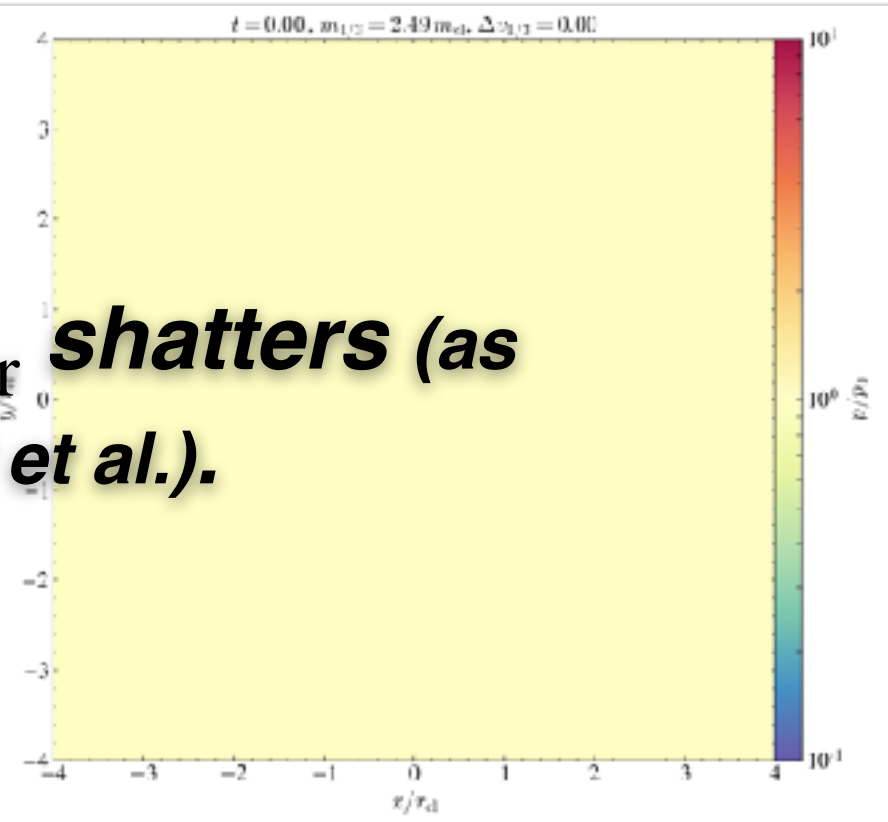
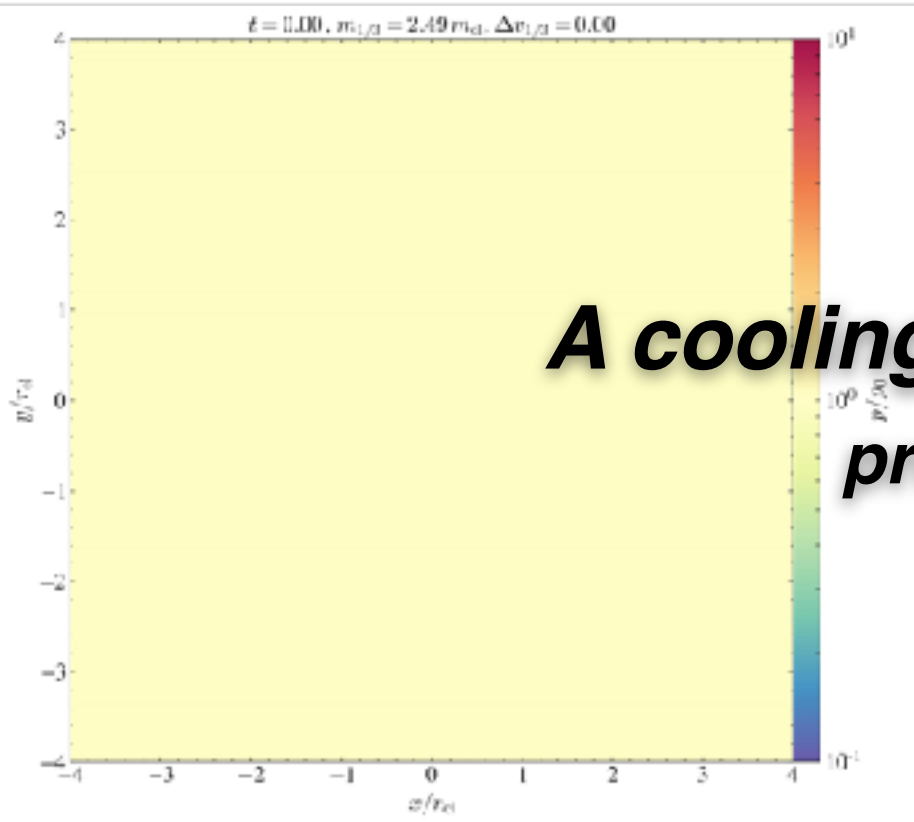
***...but how are the two scales related? → universal setup.***

# When does shattering occur?

(in 3D)



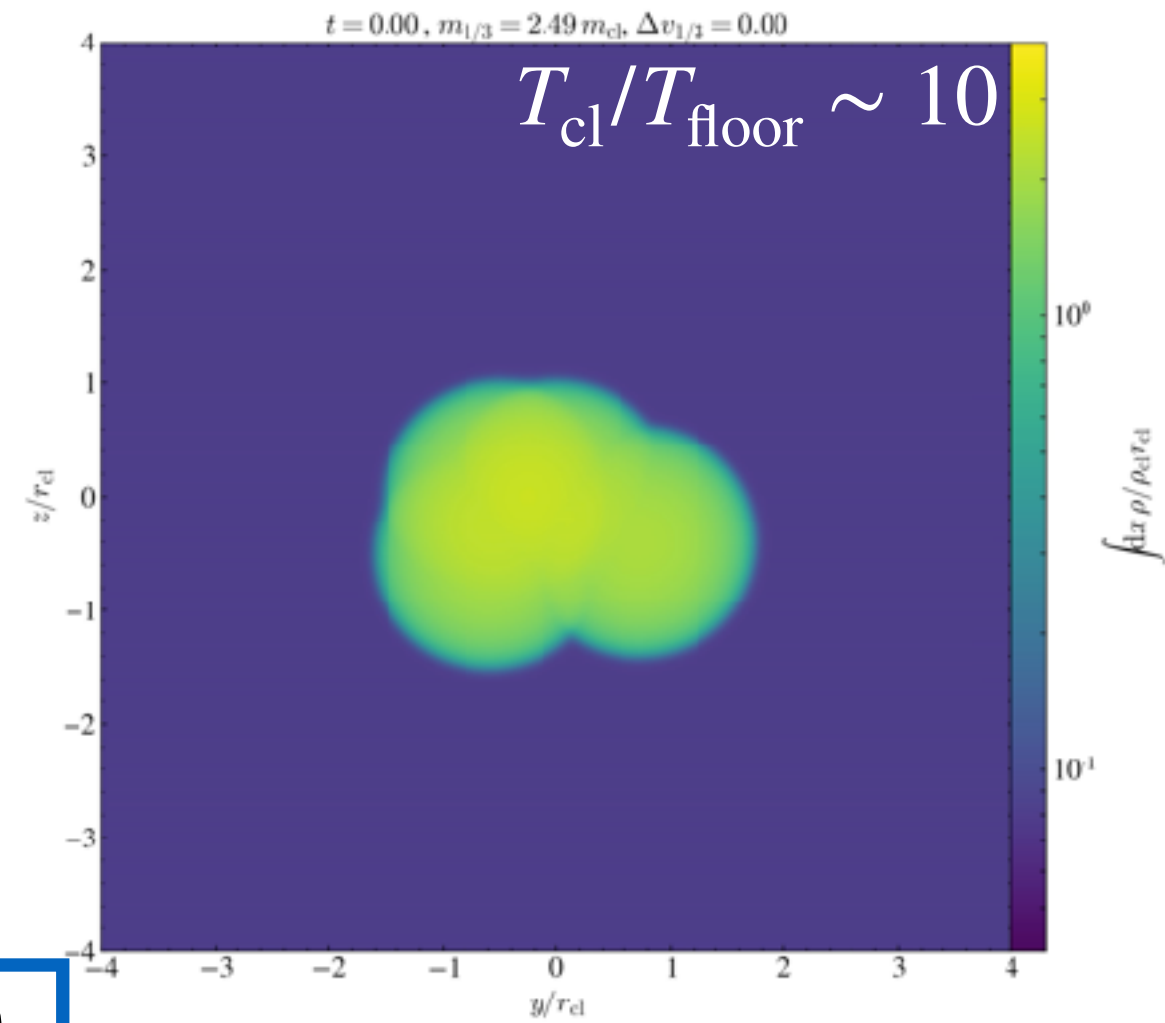
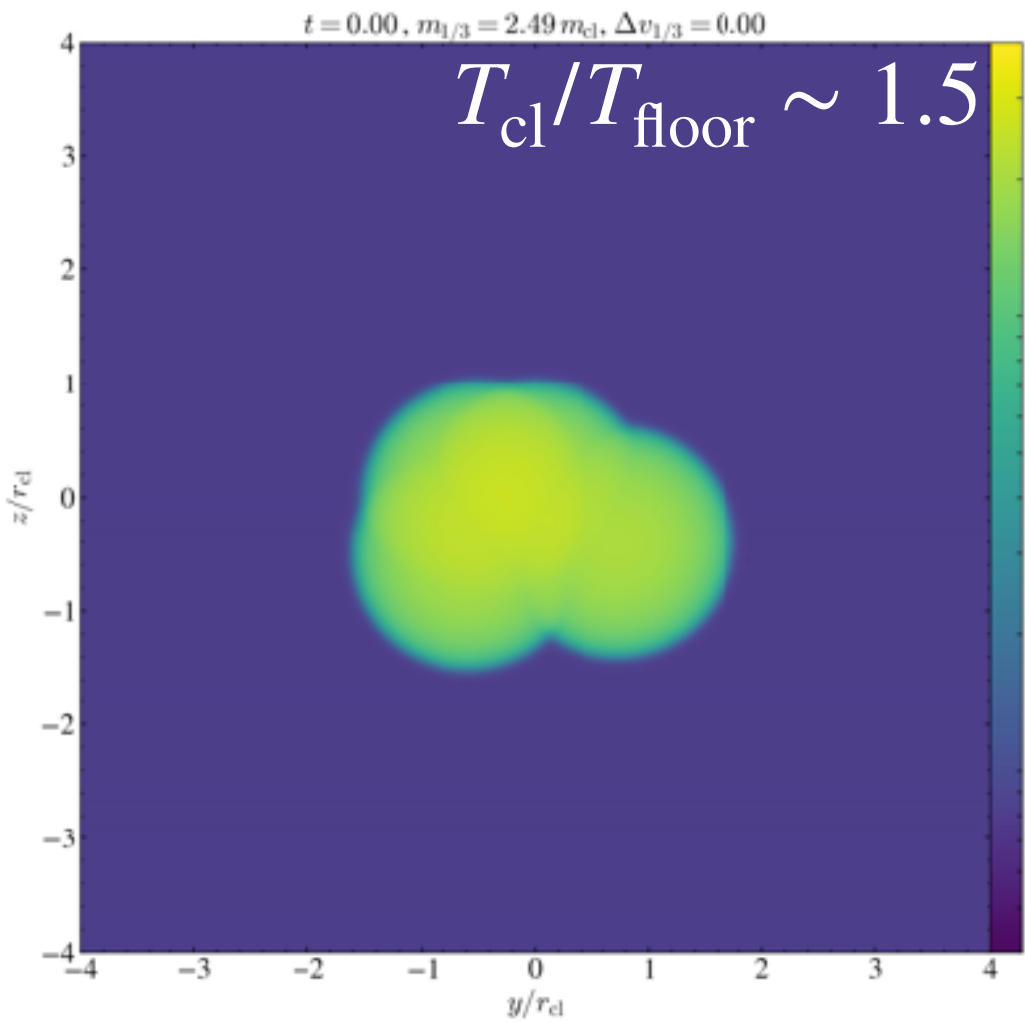
$\chi_{initial} \sim 100,$   
 $T_{cl} \sim 10^5 \rightarrow 10^4 \text{ K}$



**A cooling cloud  $\gg l_{shatter}$  shatters (as predicted by McCourt et al.).**

# When does shattering occur?

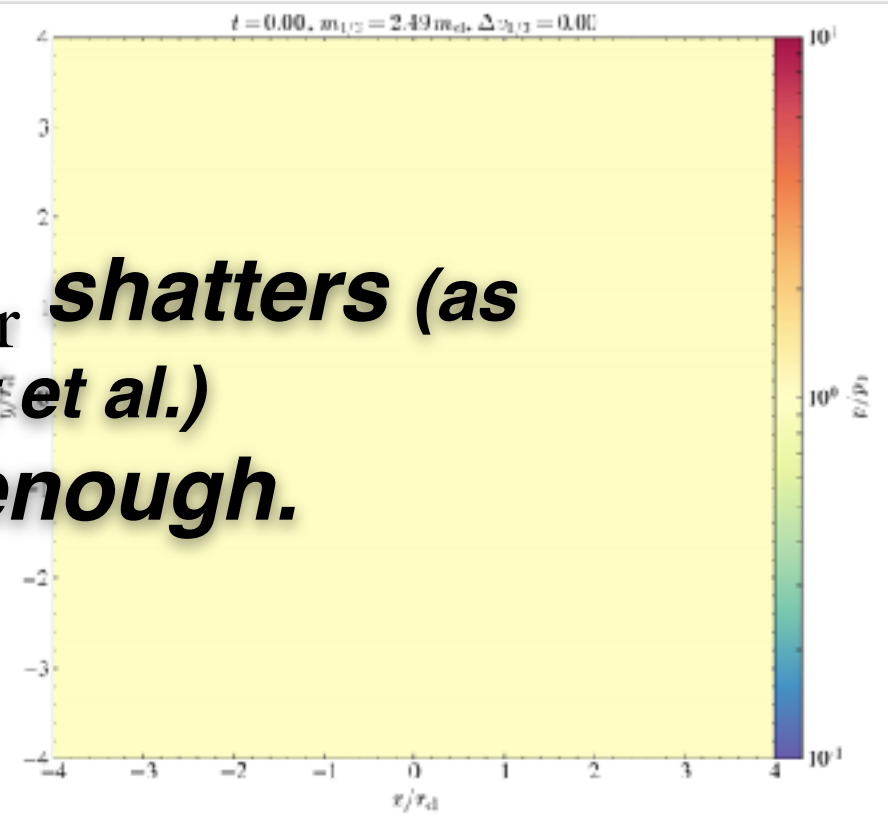
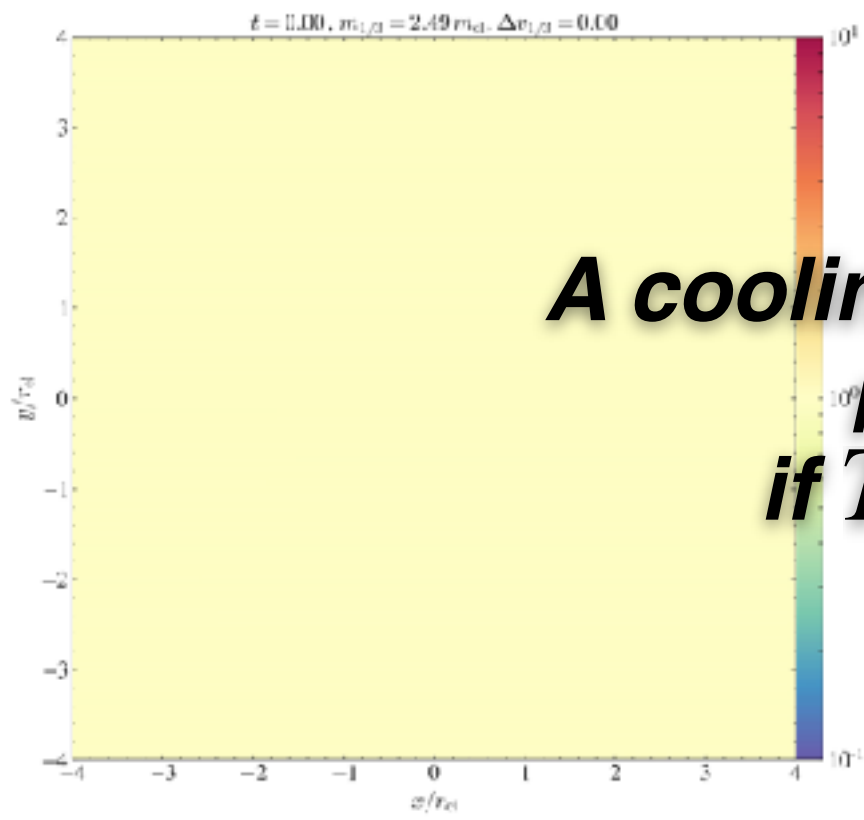
(in 3D)



$$\chi_{initial} \sim 100,$$

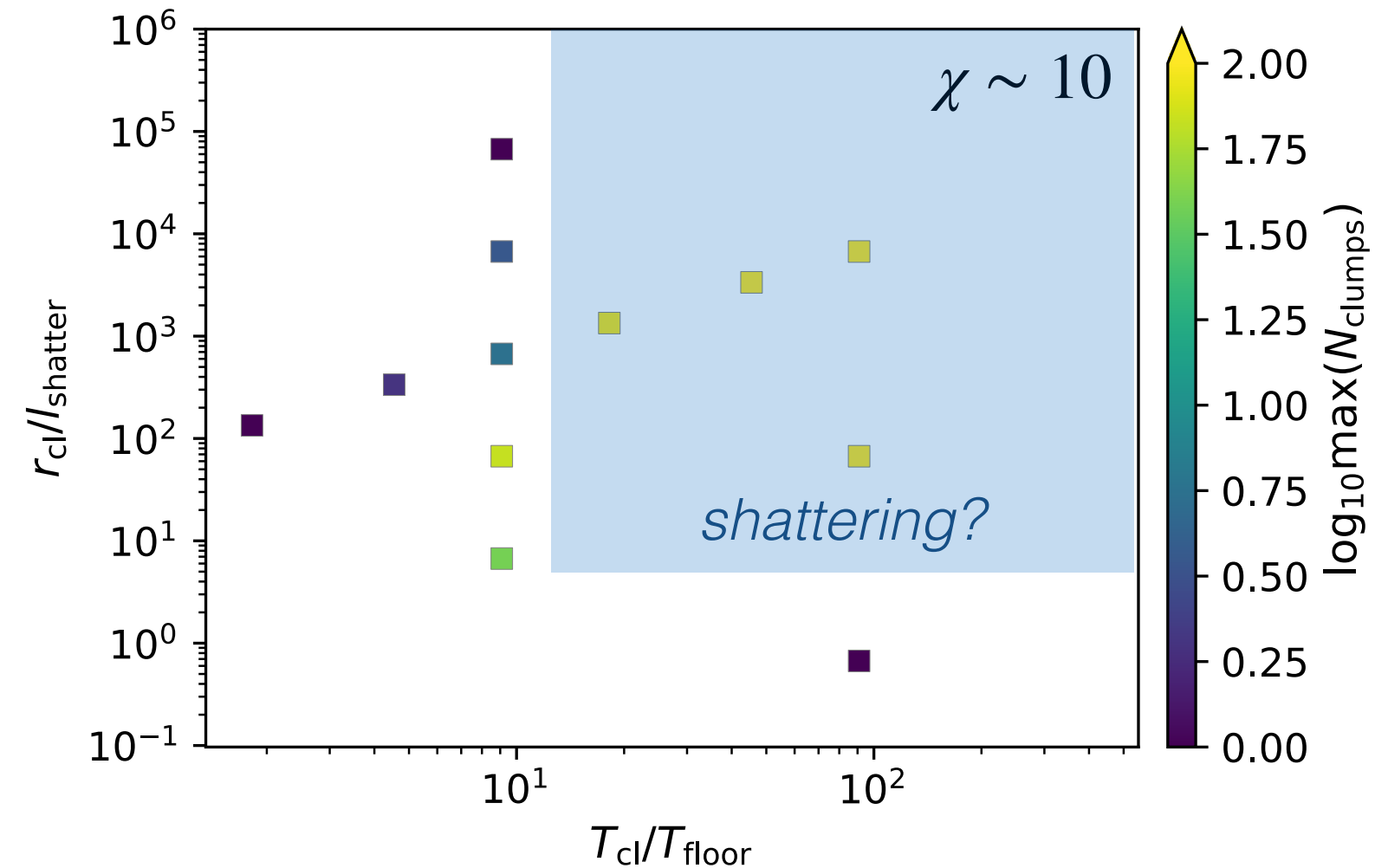
$$r_{cl} \gg l_{shatter}$$

**A cooling cloud  $\gg l_{shatter}$  shatters (as predicted by McCourt et al.) if  $T_{cl}/T_{floor}$  is large enough.**





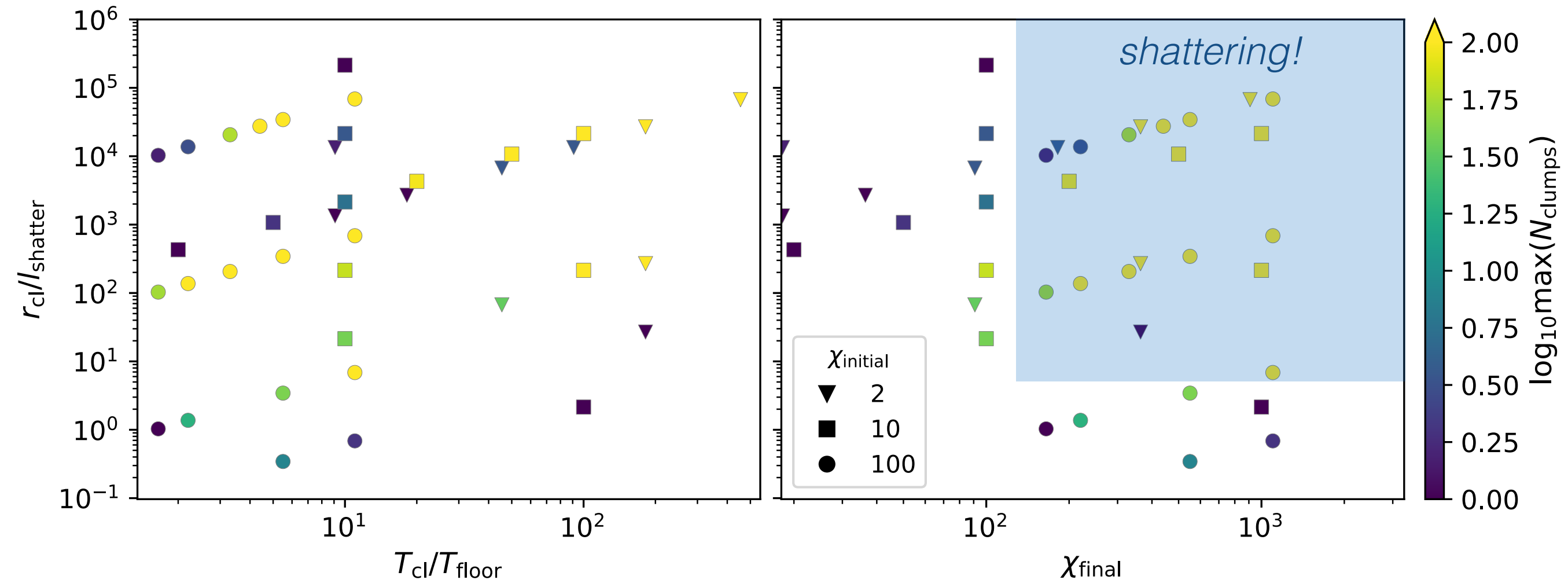
# Conditions of shattering



***A cooling cloud  $\gtrsim 10l_{\text{shatter}}$  shatters if  $T_{\text{cl}}/T_{\text{floor}}$  is large enough.***



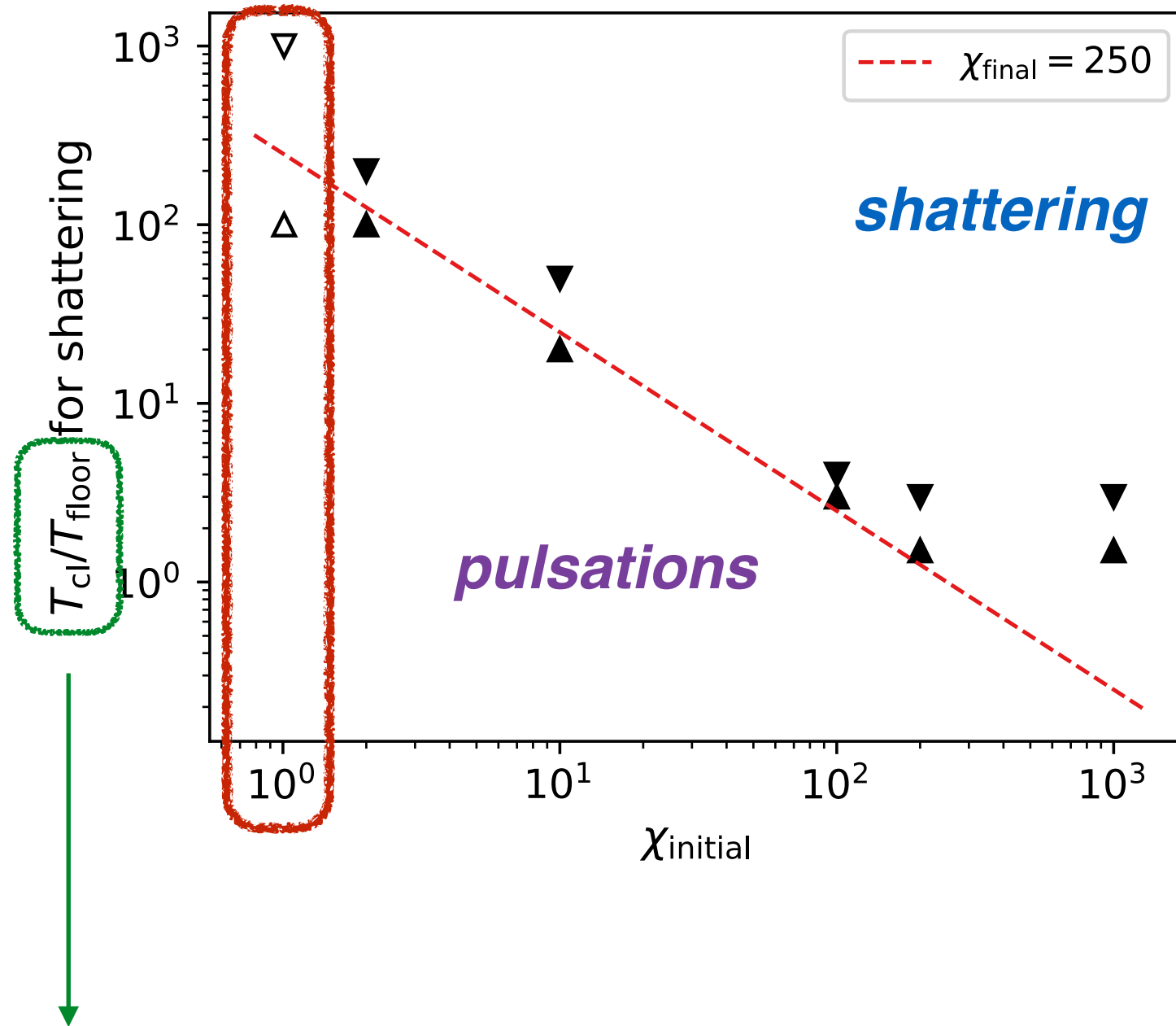
# Conditions of shattering



**A cooling cloud  $\gtrsim 10l_{\text{shatter}}$  shatters**  
**if  $\chi_{\text{final}} \equiv T_{\text{cl}}/T_{\text{floor}}\chi_{\text{initial}} \gtrsim 250$ .**

# Conditions of shattering

For clouds  $r_{cl} > 10^3 l_{shatter}$



can be related to  $\mathcal{M}$  via shock jump conditions

## Implications

*Thermal instability:*

only

$T_{hot} \gtrsim 2 \times 10^6 K$   
leads to "fog".

*Galactic winds:*

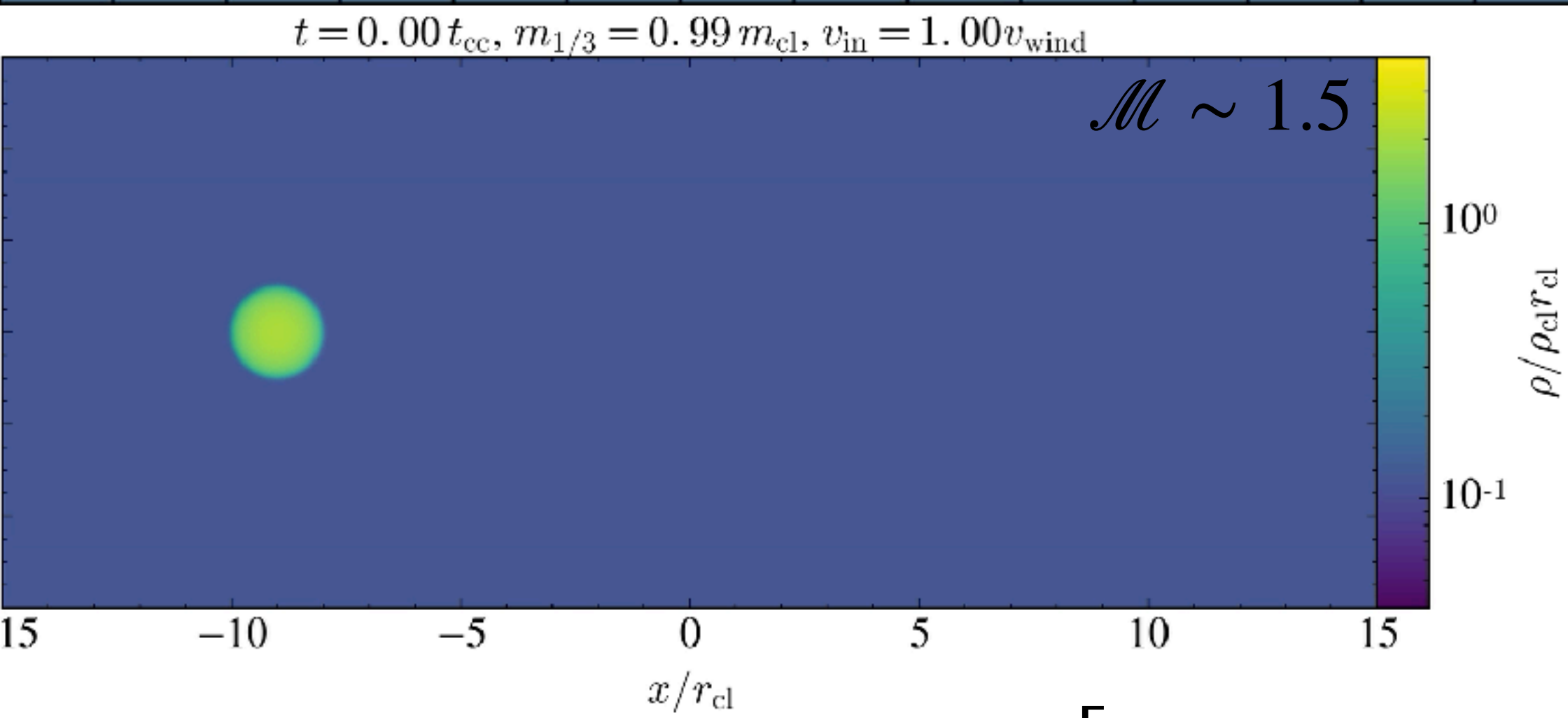
only clouds in

$$\mathcal{M}^2 \lesssim \frac{1}{2\gamma} \left[ \frac{\chi_{crit}}{\chi_{initial}} (\gamma + 1) - (\gamma - 1) \right] \sim 4$$

wind survive "as a whole". Afterwards "dynamic coagulation effects" important.



$\mathcal{M} \sim 3$



*Galactic winds:* only clouds in  $\mathcal{M}^2 \lesssim \frac{1}{2\gamma} \left[ \frac{\chi_{\text{crit}}}{\chi_{\text{initial}}} (\gamma + 1) - (\gamma - 1) \right] \sim 4$

wind survive “as a whole”. Afterwards “dynamic coagulation effects” important.

# To shatter, or not to shatter?

**Is the region big enough?**

$$r_{\text{cl}} \gtrsim 10 \min(c_s t_{\text{cool}}) \sim 1 (n/\text{cm}^{-3})^{-1} \text{ pc}$$

Yes

No

**Does it cool a lot?**

$$\chi_{\text{final}} \equiv \chi T_{\text{cl}}/T_{\text{floor}} \gtrsim 250$$

cools isochorically

gets destroyed on short timescale?

**(damped) pulsations**

**Is it even bigger?**

$$r_{\text{cl}} \gtrsim r_{\text{cl,crit}} \sim 20 \frac{T_{\text{cl},4}^{5/2} \mathcal{M}}{P_2 \Lambda_{\text{mix},-21.4}} \frac{\chi}{100} \text{ pc}$$

Destroyed?

Survives and grows!

**shatters!**

“dynamic coagulation effects”?